



Higgs Bosons and b Quarks

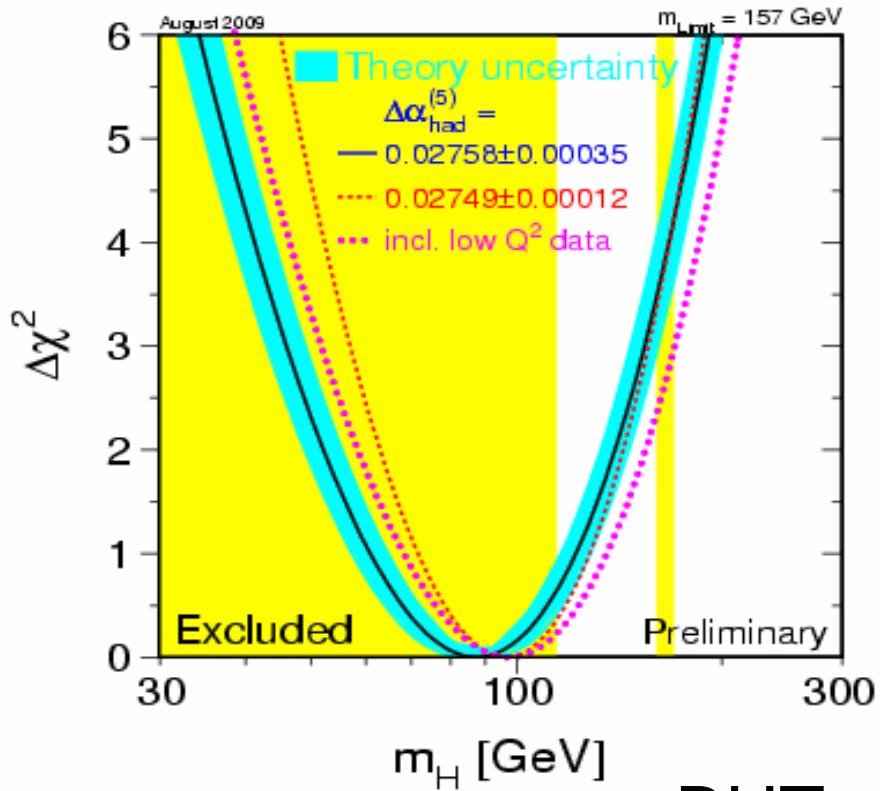
April, 2010
Sally Dawson

Laura Reina, Chris Jackson, Doreen Wackerlo, Chung Kao, Yili Wang, Prewit Jaiswal

Plan:

- Lightning review of SM & MSSM Higgs physics
- QCD corrections to $bg \rightarrow bh$ (review)
 - Discussion of $gg \rightarrow b\bar{b}h$ vs $bg \rightarrow bh$
- MSSM results for $bg \rightarrow bh$
 - Status of current limits
- Effects of SUSY QCD (SQCD) and EW corrections on $bg \rightarrow bh$
 - Why are these effects interesting?
 - Does the effective Lagrangian approach work here?
 - What about decoupling for heavy SUSY particles?

EW measurements suggest light Higgs

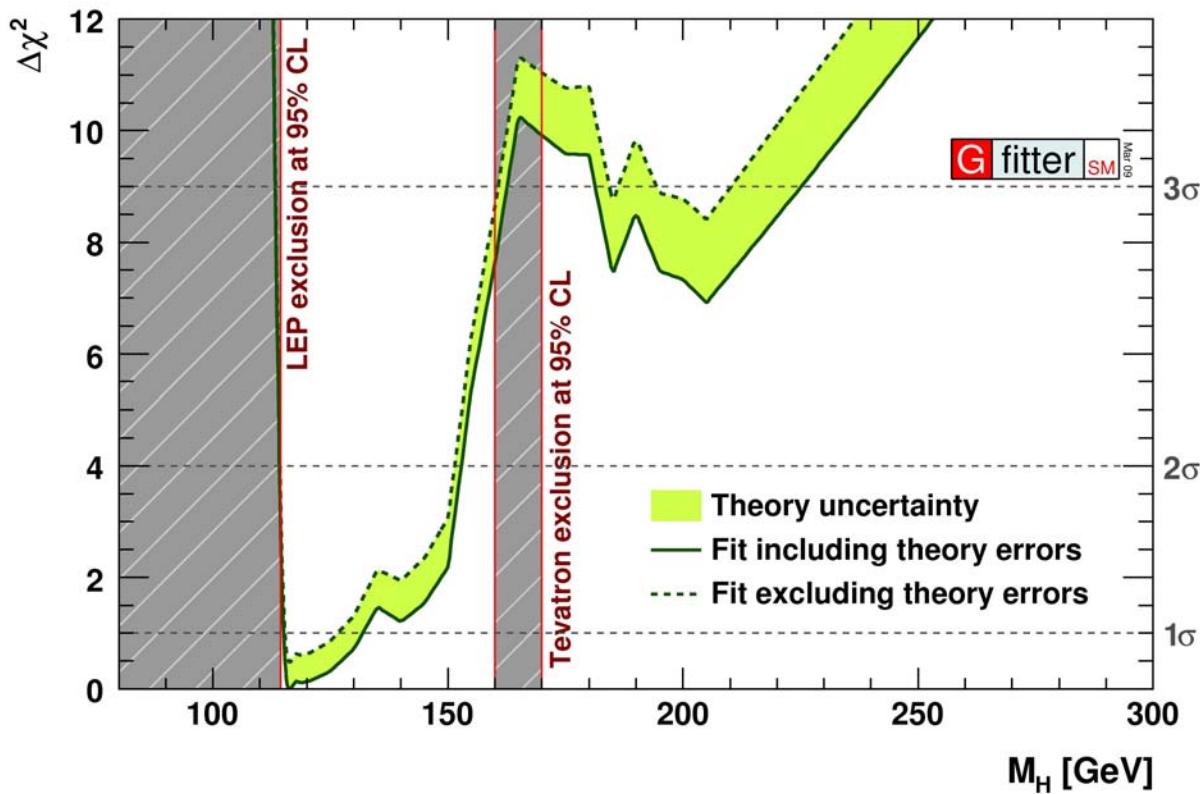


- $M_H = 87^{+35}_{-26} \text{ GeV}$ (68% CL)
- $M_H < 186 \text{ GeV}$ (Precision measurements plus direct search limit)

BUT.....Fits assume SM with weakly interacting Higgs boson

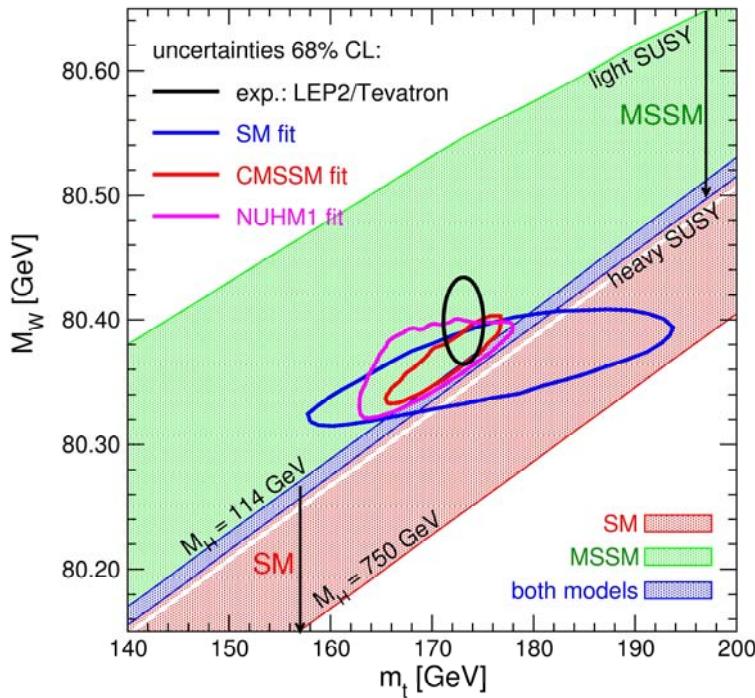
GFITTER Approach

- Includes direct search limits from Fermilab
- Includes estimate of theoretical uncertainties



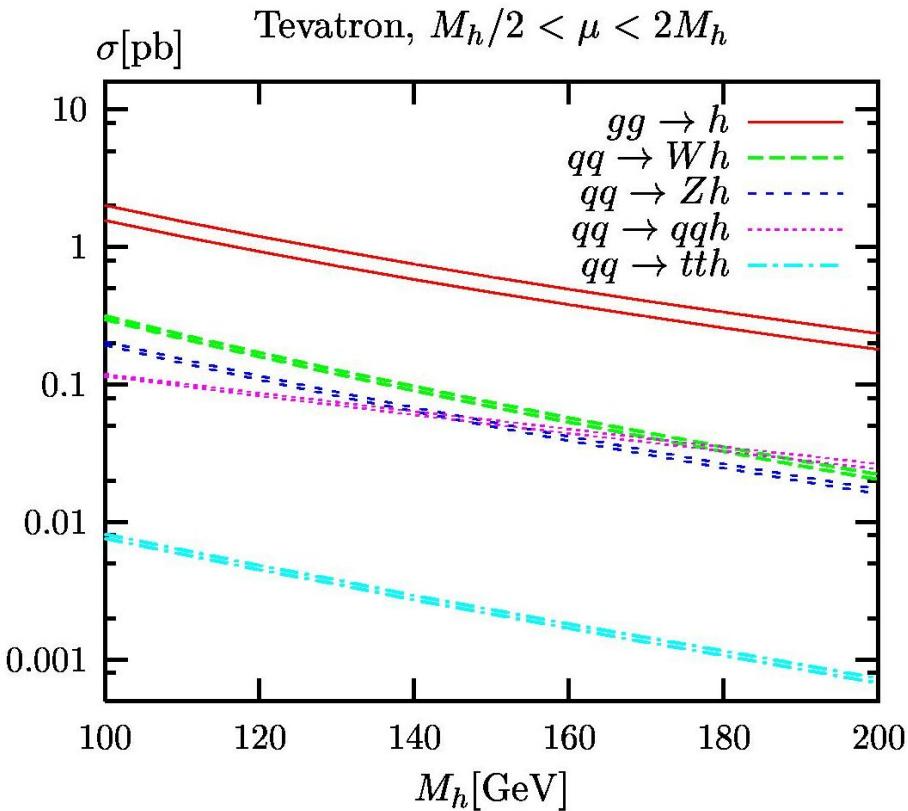
SUSY is favorite alternative

- SUSY: No quadratic divergences, large top Yukawa can give EWSB, dark matter candidate, good fit to EW data



SUSY is slightly
better fit than
SM

Producing the Higgs at the Tevatron

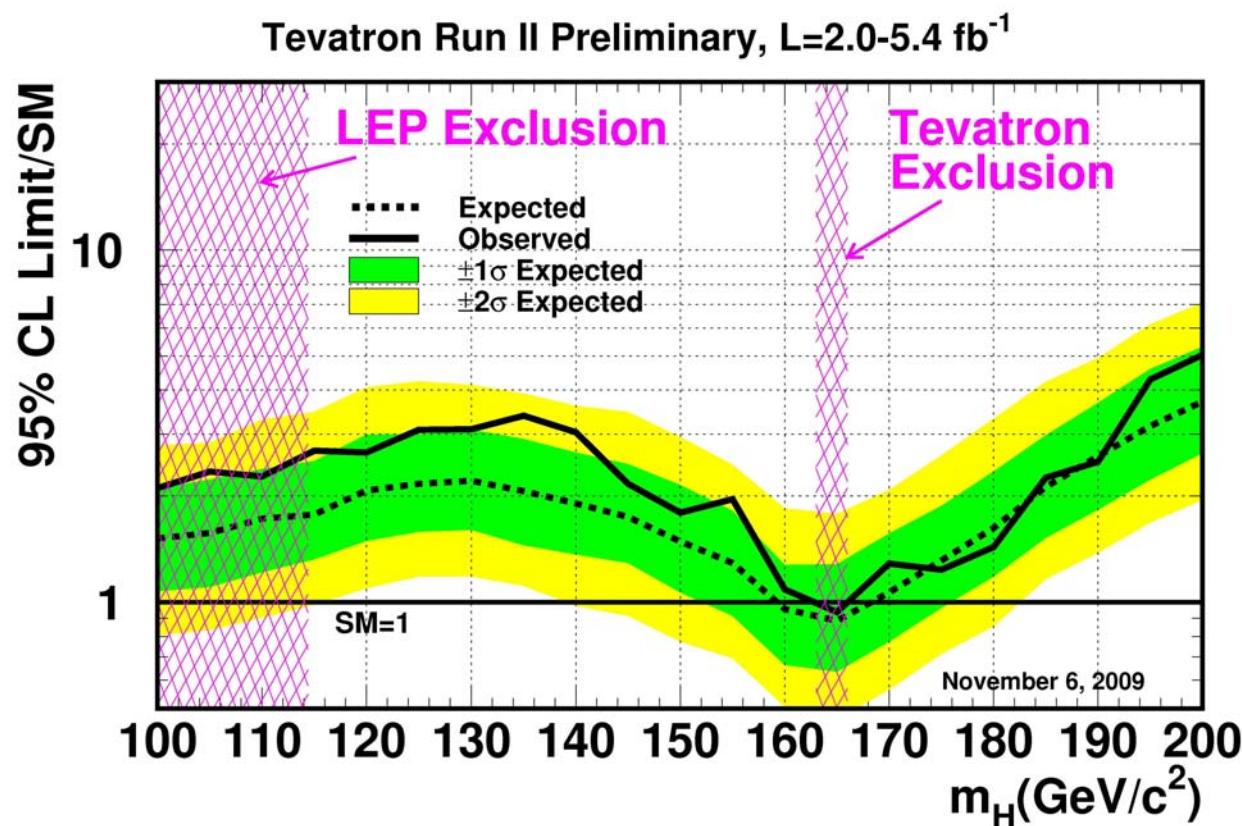


- SM Higgs production with b's not relevant
- $\lambda_b = m_b/v$

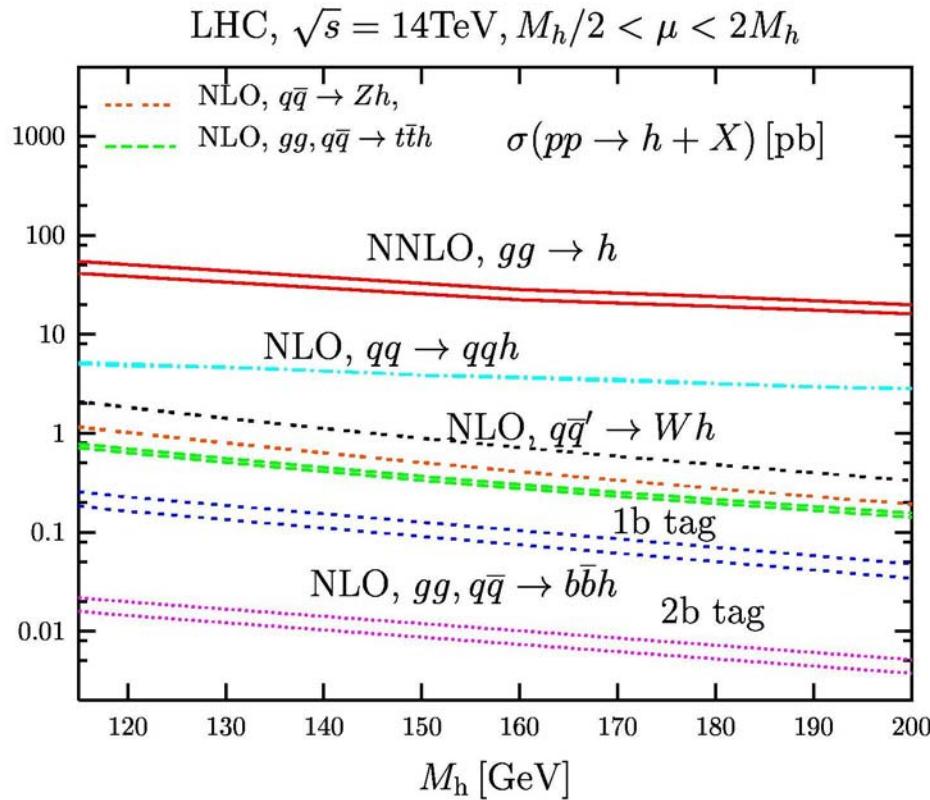
NNLO or NLO rates

$$M_h/2 < \mu < M_h/4$$

SM Higgs Searches at Tevatron



SM Production Mechanisms at LHC



Bands show scale dependence

All important channels
calculated to NLO or NNLO

Production with b's
very small in SM

Higgs in the MSSM

- MSSM has 2 Higgs doublets: H_d and H_u

$$H_d = \begin{pmatrix} \phi_d^+ \\ \phi_d^0 \end{pmatrix}$$

$$H_u = \begin{pmatrix} \phi_u^0 \\ -\phi_u^- \end{pmatrix}$$

$$\phi_d^0 = \frac{1}{\sqrt{2}}(v_1 + h_d^0)$$

$$\phi_u^0 = \frac{1}{\sqrt{2}}(v_2 + h_u^0)$$

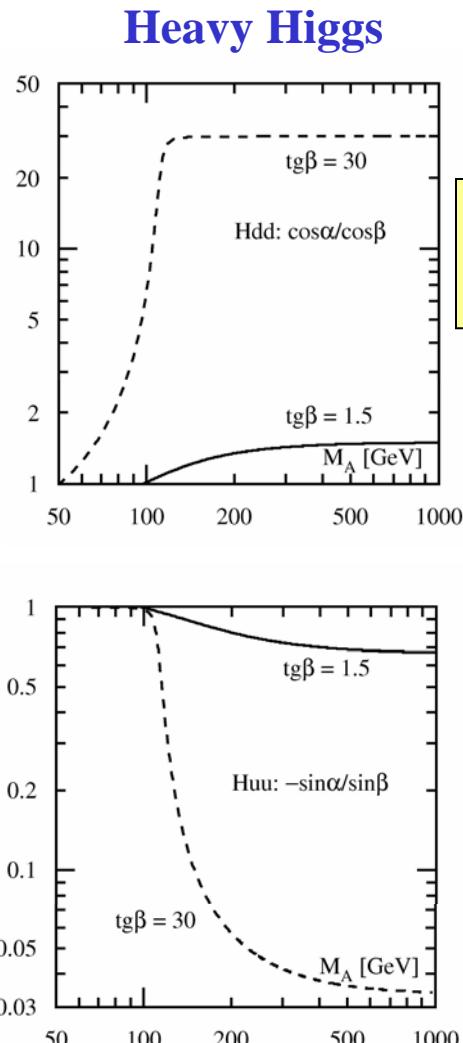
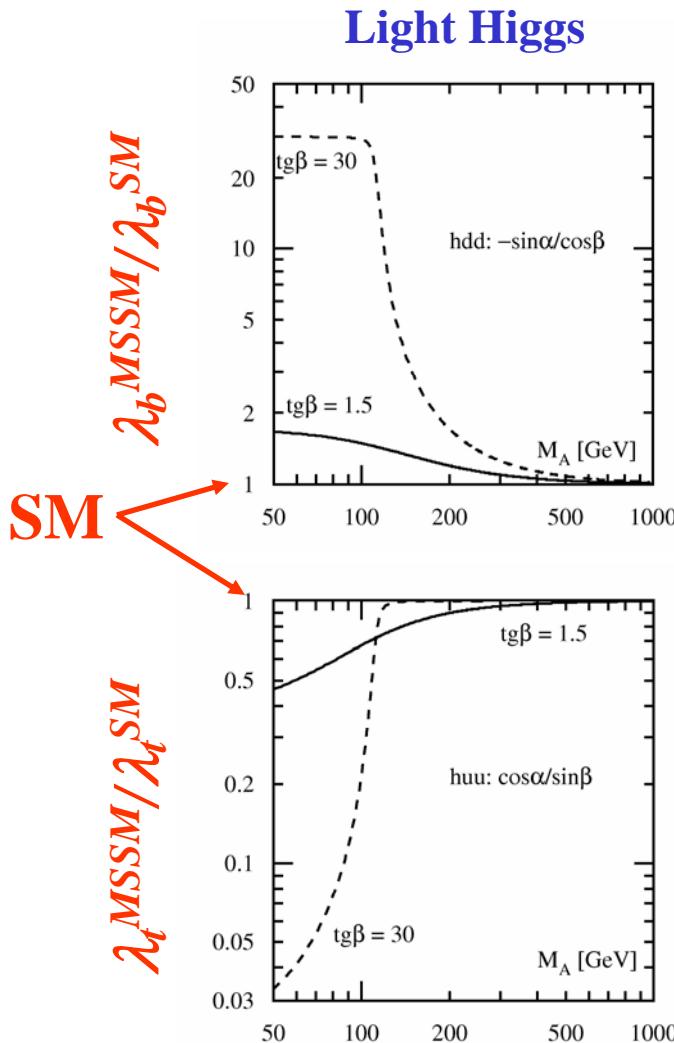
$$\tan\beta = v_1/v_2$$

- Physical CP-Even Higgs bosons

$$\begin{pmatrix} h^0 \\ H^0 \end{pmatrix} = \begin{pmatrix} c_\alpha & -s_\alpha \\ s_\alpha & c_\alpha \end{pmatrix} \begin{pmatrix} h_u^0 \\ h_d^0 \end{pmatrix}$$

- Pseudoscalar, A^0 , and two charged Higgs, H^\pm

Higgs Couplings very different in MSSM

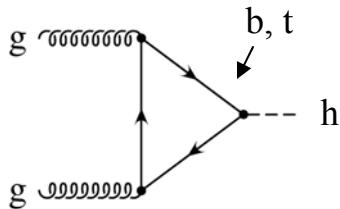


Couplings to d, s, b
enhanced at large $\tan\beta$

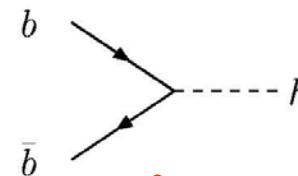
Couplings to u, c, t
suppressed at large
 $\tan\beta$

Decoupling limit: Higgs couplings go to SM limit for $M_A \rightarrow \infty$

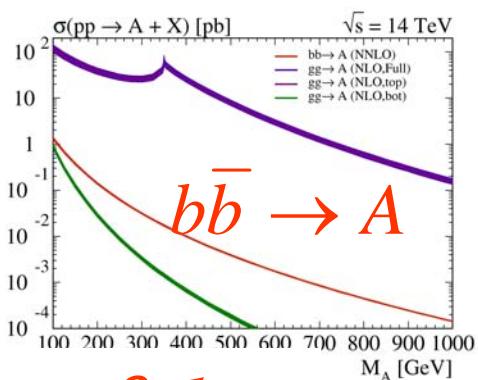
Large $\tan \beta$ Changes Relative Importance of Production Modes



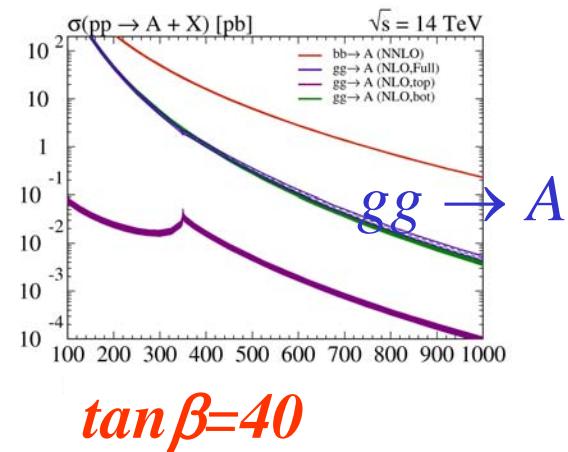
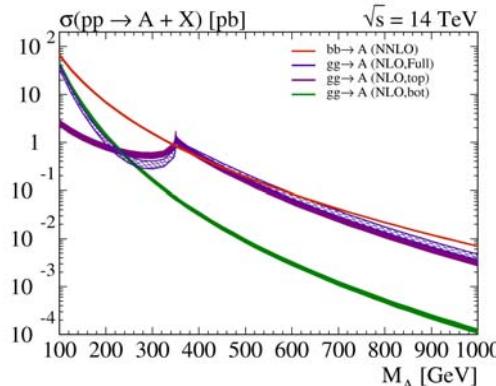
$$\sigma_{gg} = \frac{1}{M_h^2} \left(c_1 \cot^2 \beta + c_2 \frac{m_b^2}{M_h^2} + c_3 \frac{m_b^4}{M_h^4} \tan^2 \beta \right)$$



$$\sigma_{bb} = \frac{m_b^2}{M_h^4} c_4 \tan^2 \beta$$



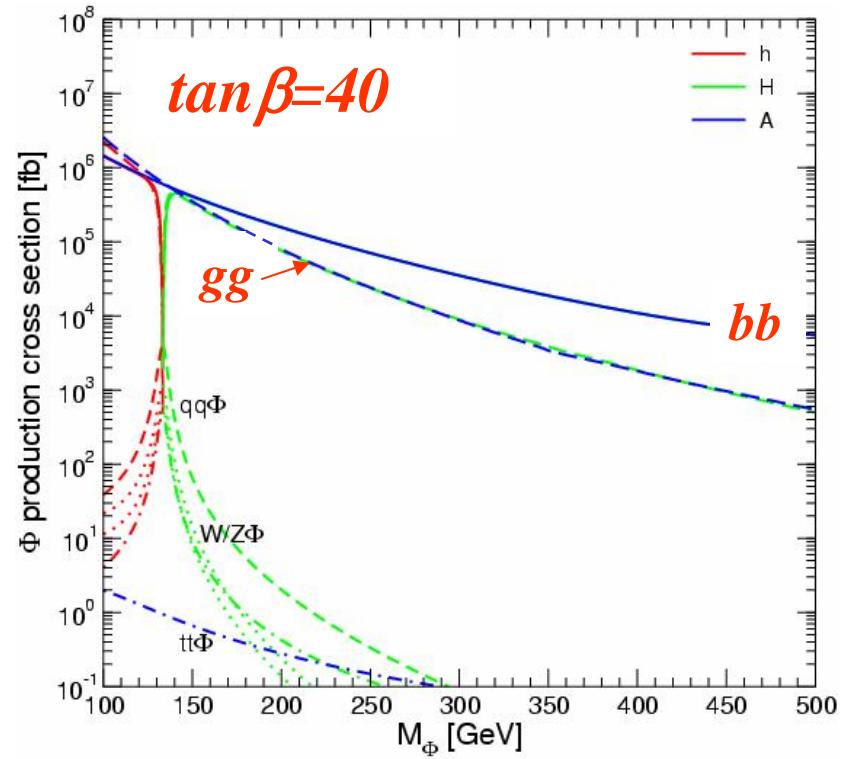
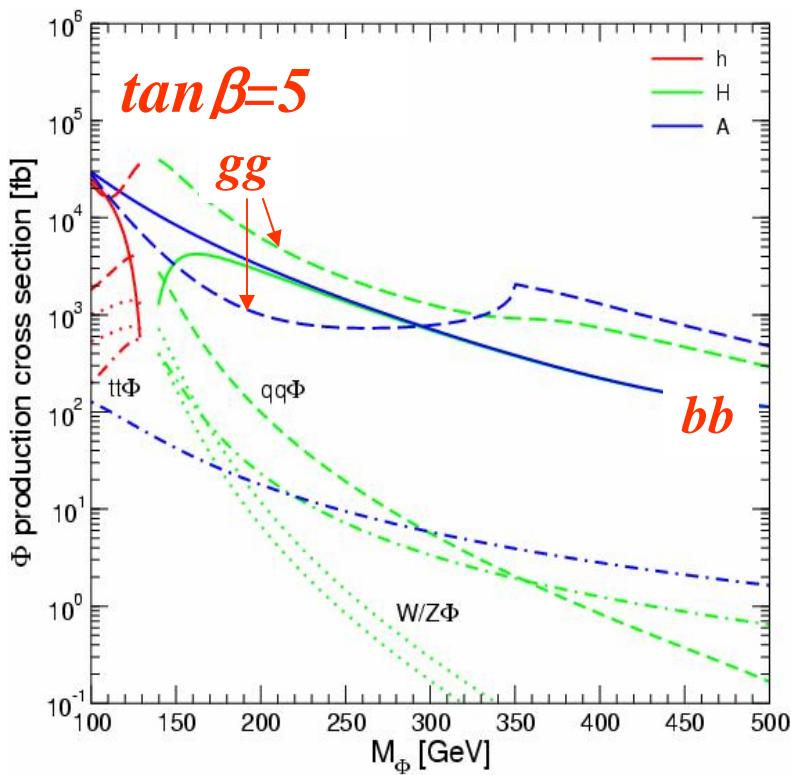
$\tan \beta = 1$



$\tan \beta = 40$

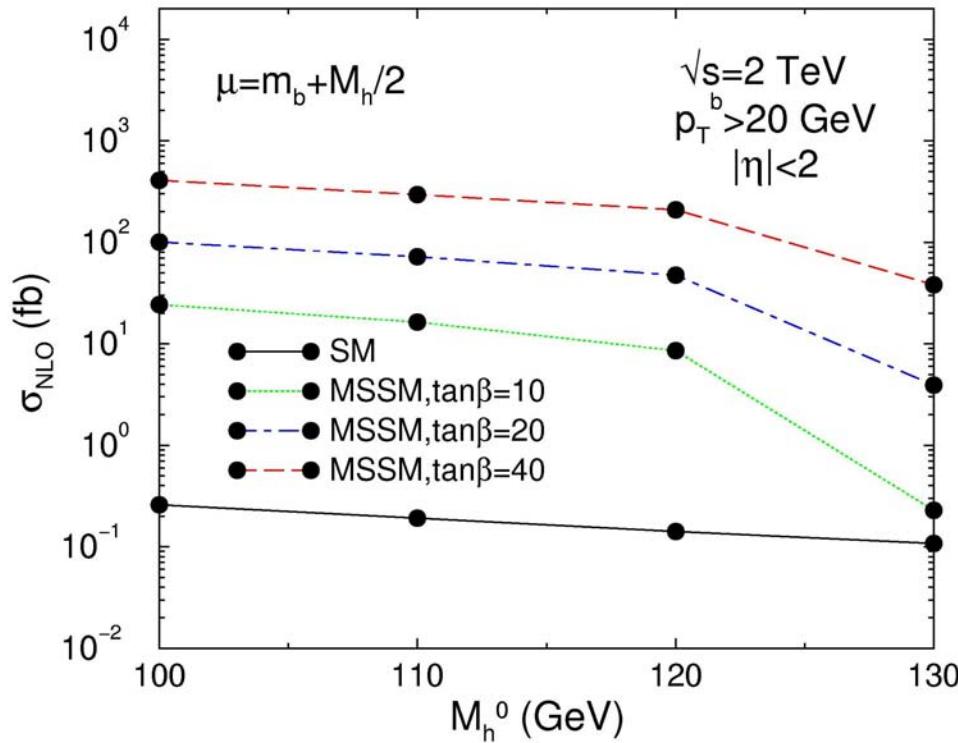
$\tan \beta \geq 7, \ b\bar{b}$ production mode larger than gg

SUSY Higgs Rates at the LHC



- For large $\tan \beta$, dominant production mechanism is with b's
 - bbh can be 10x's SM Higgs rate in SUSY for large $\tan \beta$
- $\sigma_{SM}^{gg}(M_h=200 \text{ GeV}) \sim 1.5 \times 10^4 \text{ fb}$

gg \rightarrow bb̄h in SUSY Models at Tevatron

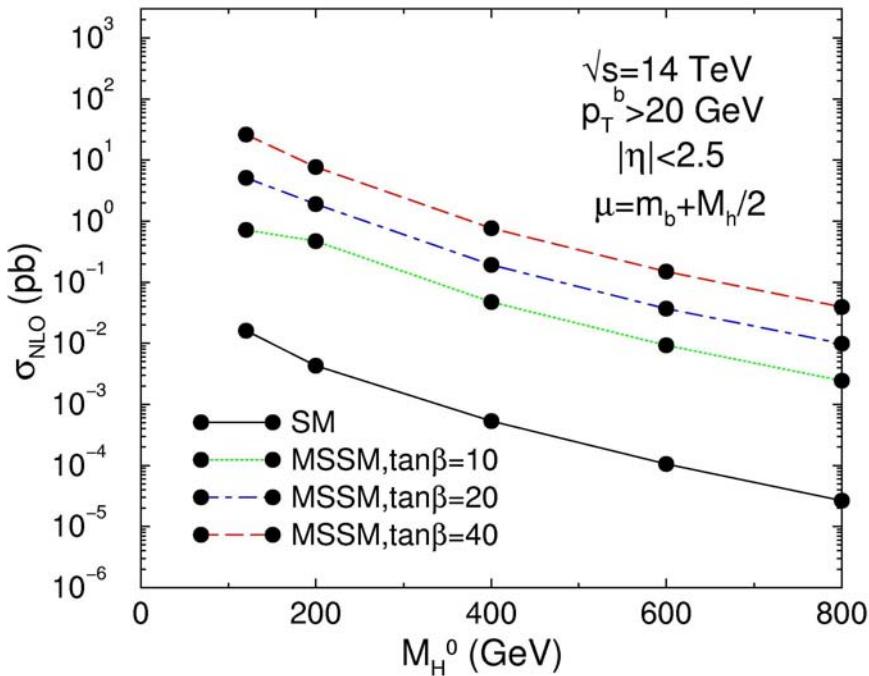


Huge enhancements in SUSY from SM Rate

Couplings/masses with FeynHiggs

$pp, p\bar{p} \rightarrow b\bar{b}H$ Enhancement in MSSM

Note log scale!



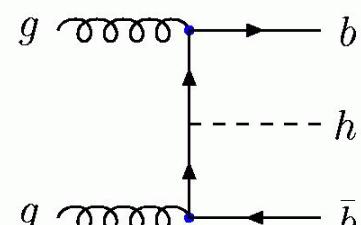
This is why the calculation is interesting!

α_{eff} from FeynHiggs with
 $M_{\text{SUSY}} = M_g = \mu = M_2 = 1 \text{ TeV}$,
 $A_b = A_t = 25 \text{ GeV}$

Can observe heavy MSSM scalar Higgs boson

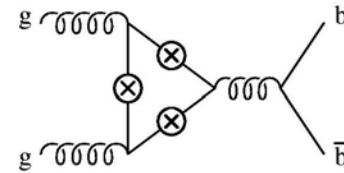
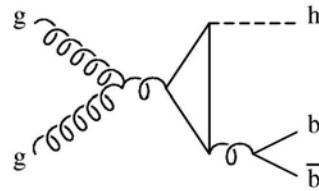
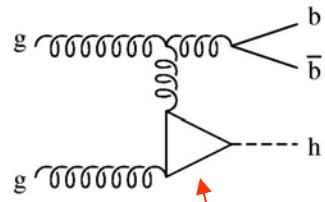
$$pp \rightarrow b\bar{b}h$$

- Why is $b\bar{b}h$ interesting?
 - Higgs discovery mode in SUSY models at large $\tan \beta$
 - Direct measurement of b quark Yukawa coupling
(enhanced in MSSM at large $\tan \beta$)
 - Theoretical questions about b quark parton distribution functions (PDFs)
- Why do NLO corrections?
 - Improved theoretical reliability
 - Often find large numerical results



$pp \rightarrow b\bar{b}h$ at NLO in QCD

- Almost identical calculation to $pp \rightarrow t\bar{t}h$ calculation
 - Dominant contribution at both Tevatron and LHC is gg initial state
 - Virtual + real corrections computed numerically using phase space slicing
 - b quark mass included everywhere
 - Differences: closed loops with top quarks, numerical problems from large $\log(m_b/M_h)$



This can be a top quark

General Approach

- NLO total cross section

$$\sigma_{NLO} = \sum_{i,j} \int dx_1 dx_2 F_i^p(x_1, \mu) F_j^{p,\bar{p}}(x_2, \mu) \hat{\sigma}_{ij}(x_1, x_2, \mu)$$

- NLO corrections contain:

$$\hat{\sigma}_{ij}^{NLO} = \hat{\sigma}_{ij}^{LO} + \frac{\alpha_s}{4\pi} \delta \hat{\sigma}_{ij}^{NLO}$$

$$\delta \hat{\sigma}_{ij}^{NLO} = \hat{\sigma}_{ij}^{virt} + \hat{\sigma}_{ij}^{real}$$

$\hat{\sigma}_{ij}^{virt}$: One loop virtual corrections to $q\bar{q}, gg \rightarrow b\bar{b}h$

$\hat{\sigma}_{ij}^{real}$: One gluon real emission $q\bar{q}, gg \rightarrow b\bar{b}h + g, qg \rightarrow b\bar{b}hq$

- Renormalize UV divergences ($d=4-2\varepsilon$)
- Cancel IR divergences in virtual + real contributions
- Check μ dependence

Virtual Corrections

- Reduce each diagram in terms of scalar integrals of the form:

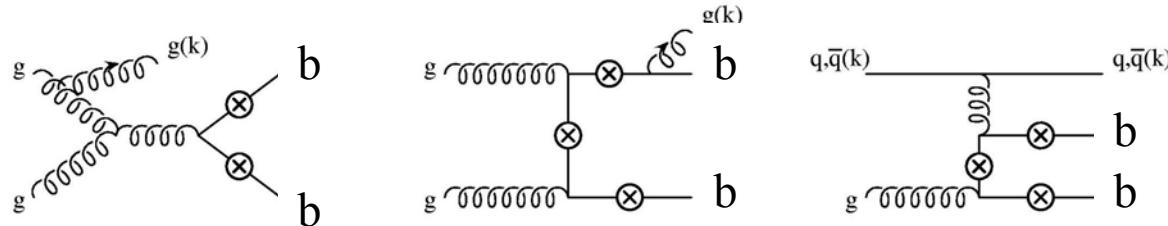
$$\int \frac{d^n k}{(2\pi)^n} \frac{1}{[(k^2 - m_1^2)((k + p_1)^2 - m_2^2) \dots]}$$

- Three external massive particles (keep b mass everywhere)
- Several massive internal propagators
- Finite integrals: use existing libraries/packages
- UV divergent integrals: analytic (easy)
- IR divergent integrals: analytic (hard)
- Most challenging part: pentagons with 3 mass scales

This calculation at the limit of what can be done by brute force

Real Corrections

- Real gluon emission: IR singularities for $2 \rightarrow 4$ process



- Phase Space Slicing \rightarrow isolate the region of phase space where $s_{ig} \rightarrow 0$

$$s_{ig} = 2p_i \cdot p_j = 2E_i E_g (1 - \beta \cos \theta_{ig})$$

\rightarrow Two cut-off method:

- δ_s ($E_g < \delta_s \sqrt{s}/2$) Soft singularities
- δ_c ($1 - \cos \theta_{ig} < \delta_c$) Collinear singularities

Final result is independent of cut-offs

Two Cutoff Method (δ_s, δ_c):

$$\hat{\sigma}_{real}(ij \rightarrow b\bar{b}h + g) = \hat{\sigma}_{soft} + \hat{\sigma}_{hard}$$

Divide gluon phase space: $\hat{\sigma}_{soft} \rightarrow E_g < \frac{\sqrt{s}}{2} \delta_s$ $\hat{\sigma}_{hard} \rightarrow E_g > \frac{\sqrt{s}}{2} \delta_s$

In the **soft limit** ($E_g \rightarrow 0$):

$$d(\text{PS})_4 \rightarrow d(\text{PS})_3 d(\text{PS})_g = d(PS_3) \frac{d^{n-1}k}{(2\pi)^{n-1} (2E_g)}$$

$$|A_{real}(ij \rightarrow b\bar{b}h + g)|^2 \rightarrow (4\pi\alpha_s) |A_{LO}|^2 \phi_{eik}$$

Eikonal factor contains soft poles: $\phi_{eik} = \sum_{ij} \left(\frac{s_{ij}}{s_{ig}s_{jg}} - \frac{m_i^2}{s_{ig}^2} - \frac{m_j^2}{s_{jg}^2} \right)$

σ_{soft} computed analytically: $\hat{\sigma}_{soft} = (4\pi\alpha_s) \int d(PS_3) |A_{LO}|^2 \int_{soft} d(PS)_g \phi_{eik}$

Hard gluon phase space further divided: $\hat{\sigma}_{hard} = \hat{\sigma}_{hard/coll} + \hat{\sigma}_{hard/not-coll}$

In collinear limit: $i \rightarrow i'g$; $p_{j'} = z p_i$, $p_g = (1-z)p_i$

$$\left| A_{real} (ij \rightarrow b\bar{b}h + g) \right|^2 \rightarrow (4\pi\alpha_s) |A_{LO}|^2 \frac{2P_{ii'}(z)}{zs_{ig}}$$

$$d(PS_4)(ij \rightarrow b\bar{b}h + g) \rightarrow d(PS_3)(i'j \rightarrow b\bar{b}h)zd(PS_g)$$

Compute hard/collinear σ analytically

$$\hat{\sigma}_{hard/coll} \approx \int d(PS_3) \int_{coll} d(PS_g) \sum_i \frac{P_{ii'}}{s_{ig}} |A_{LO}|^2$$

σ hard/not collinear is finite: compute numerically

Use \overline{MS} Renormalization

- Compute the $O(\alpha_s)$ corrections:

$$\Gamma_1(h \rightarrow b\bar{b}) = \frac{3M_h}{8\pi} \left(\frac{m_b}{v} \right)^2 \left\{ 1 + \frac{2\alpha_s}{3\pi} \left[\frac{9}{2} - 3 \log \left(\frac{M_h^2}{m_b^2} \right) \right] \right\}$$

- Define the running b mass

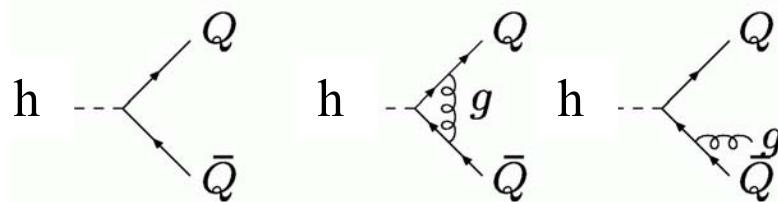
$$\overline{m}_b(\mu) = m_b \left[1 - \frac{\alpha_s}{3\pi} \left(4 + 3 \ln \left(\frac{\mu^2}{m_b^2} \right) \right) \right]$$

- Large logarithms absorbed to 2-loops

$$\Gamma(h \rightarrow b\bar{b}) = \Gamma_0 \left\{ 1 + 5.67 \frac{\alpha_s(M_h)}{\pi} + (36 - 1.4n_{lf}) \frac{\alpha_s(M_h)^2}{\pi^2} \right\}$$

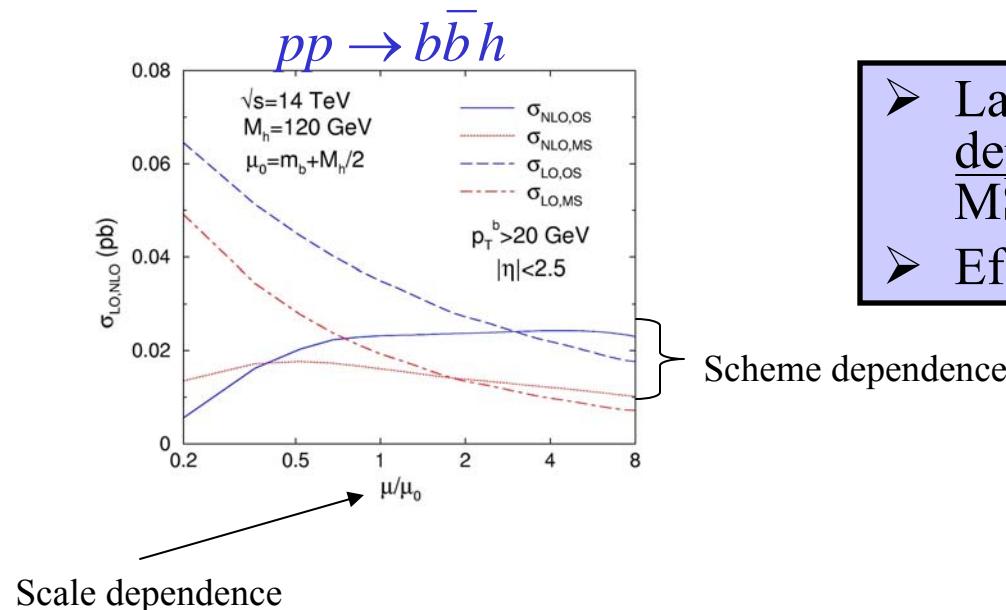
$$\Gamma_0(h \rightarrow b\bar{b}) = \frac{3M_h}{8\pi} \left(\frac{\overline{m}_b(M_h)}{v} \right)^2$$

Lore: \overline{MS} is best!



Scale and Scheme Dependence at NLO

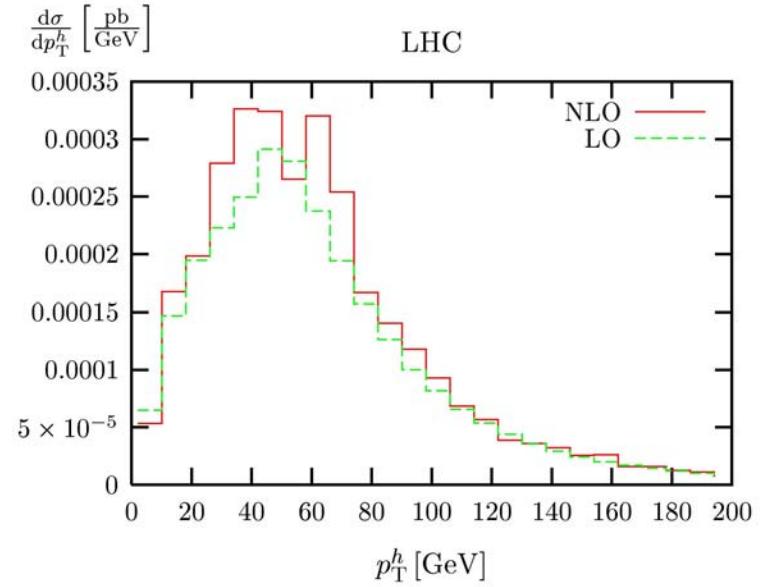
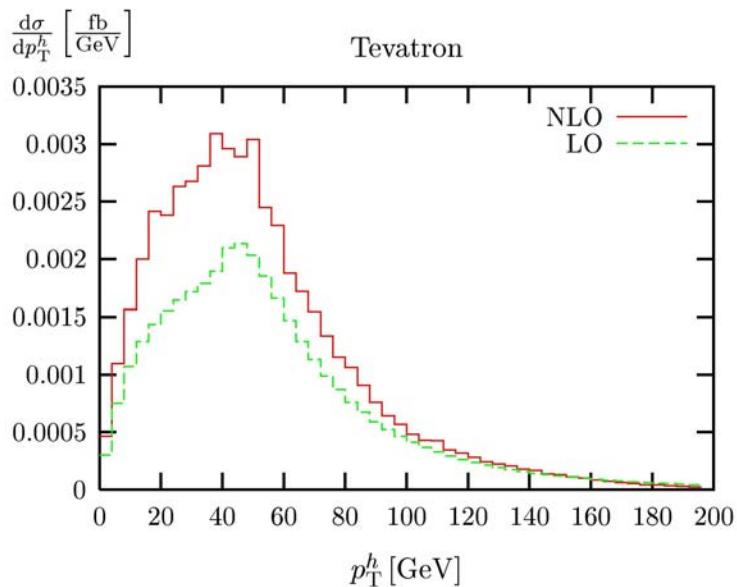
- NLO calculations improve scale dependence
 - Scale dependence enters in running of $\alpha_s(\mu)$ and PDFs, $g(\mu)$, as well as $\alpha_s^3 \log(\mu)$ contributions
 - Formally, scale dependence is $O(\alpha_s^4)$ but may be numerically large



- Large remaining scheme dependence between OS and MS at NLO
- Effect $\approx 10\text{-}20\%$

Distributions for $b\bar{b}h$ production

M_h=120 GeV

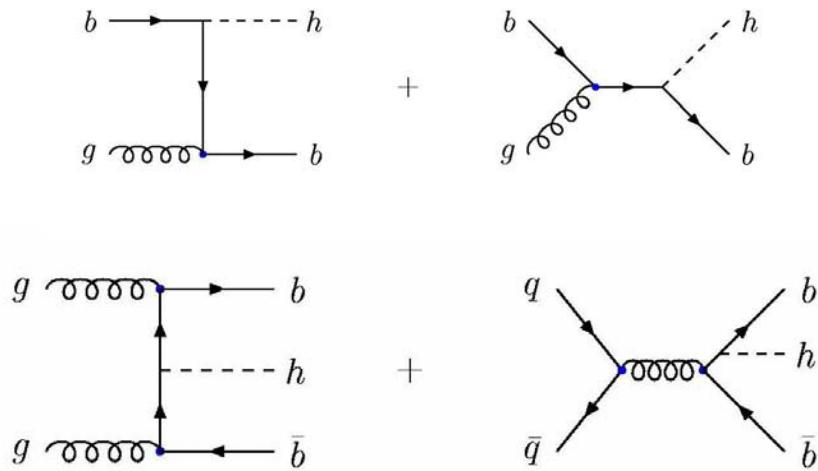


$p_T^b > 20$ GeV

$|\eta| < 2$ (Tevatron), 2.5 (LHC)

$\Delta R > 0.4$

What is the dominant process for Higgs + b Production?



- Answer depends on whether you tag outgoing b's
- Is there double counting when including b initial state?

The b quark as a parton

Phase space factorizes in collinear limit:

$$(PS)_3 \rightarrow (PS)_2(\dots) \int \frac{dE_b}{E_b}$$

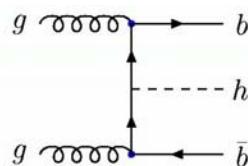
- Integration over b phase space gives large log
- Absorb log into b quark distribution

$$b(x, \mu) = \frac{\alpha_s}{2\pi} \ln \left(\frac{\mu^2}{m_b^2} \right) \int_x^1 \frac{dz}{z} P_{bg} \left(\frac{x}{z} \right) g(z, \mu)$$

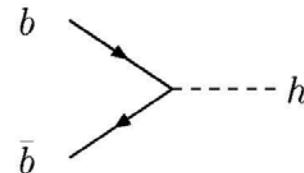
- Altarelli-Parisi evolution of PDFs sums $\alpha_s^n \ln^n(\mu^2/m_b^2)$
- b quark PDF $\approx \alpha_s \ln(\mu^2/m_b^2)$ relative to gluon PDF

Two Schemes for PDFs:

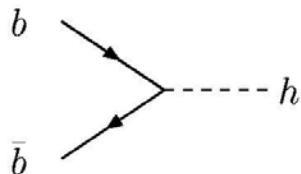
- 4 flavor number scheme (also called fixed flavor number scheme)
 - No b quarks in initial state
 - Lowest order process involving Higgs and b's is $gg \rightarrow b\bar{b}h$
- 5 flavor number scheme (also called variable flavor number scheme)
 - Define b quark PDFs (absorbs large logarithms)
 - Higgs produced with no p_T at lowest order ($b\bar{b} \rightarrow h$)
 - Higgs p_T generated at higher orders in expansion



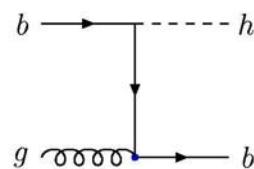
VS



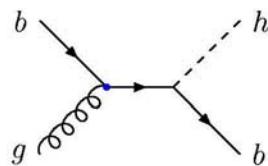
Counting Rules with b PDFs: Reordering of perturbation expansion



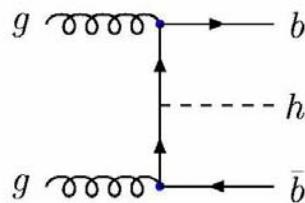
$$(\alpha_s \ln(M_h^2/m_b^2))^2 \approx .4$$



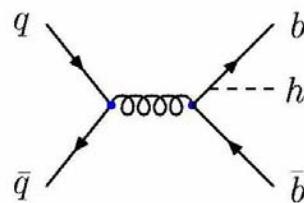
+



$$\alpha_s^2 \ln(M_h^2/m_b^2) \approx .06$$



+



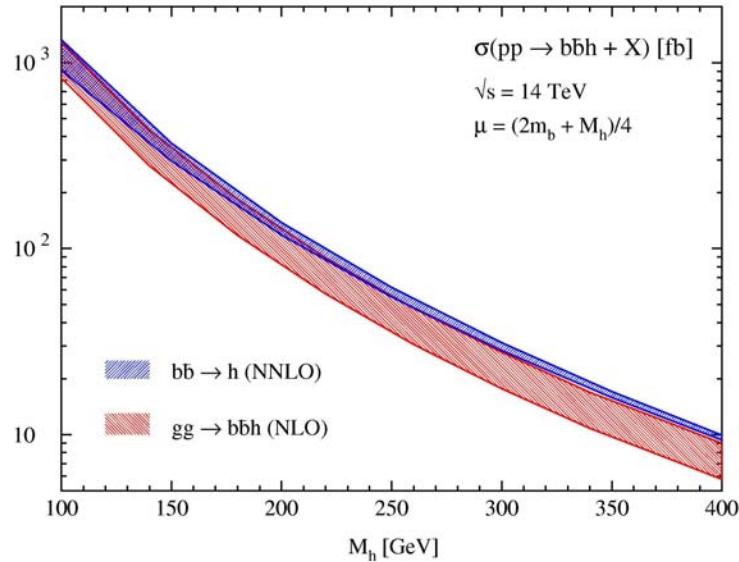
$$\alpha_s^2 \approx .01$$

Re-ordering of Perturbation Theory

- 0 b tag process in 5FNS:
 - LO: $b\bar{b} \rightarrow h$ $\mathcal{O}(\alpha_s^2 \Lambda_b^2)$
 - NLO: Virtual+real corrections $\mathcal{O}(\alpha_s^3 \Lambda_b^2)$
 - NLO: $bg \rightarrow bh$ $\mathcal{O}(\alpha_s^2 \Lambda_b)$, correction of $\mathcal{O}(1/\Lambda_b)$ to tree level
 - NNLO: $gg \rightarrow b\bar{b}h$ $\mathcal{O}(\alpha_s^2)$, correction of $\mathcal{O}(1/\Lambda_b^2)$ to tree level
- 1 b tag process in 5FNS:
 - LO process is $bg \rightarrow bh$: Tree level, $\mathcal{O}(\alpha_s^2 \Lambda_b)$
 - NLO includes new subprocess: $gg \rightarrow b\bar{b}h$, $\mathcal{O}(1/\Lambda_b)$ correction to LO

$$\Lambda_b = \log(M_h^2/m_b^2)$$

Inclusive Cross Section for $b\bar{b} \rightarrow h$: 0 b tags

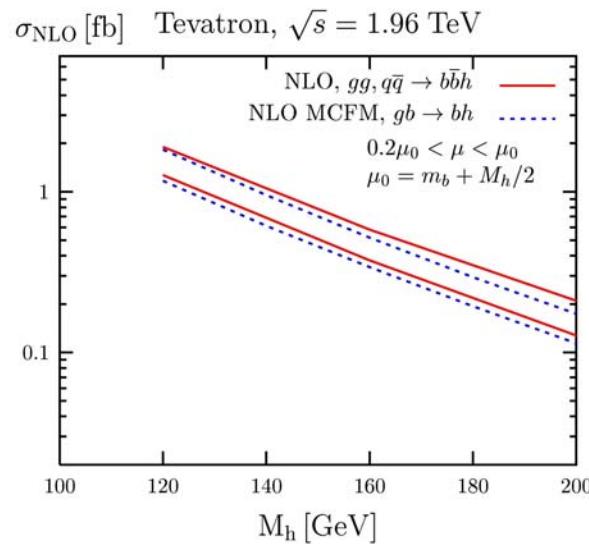
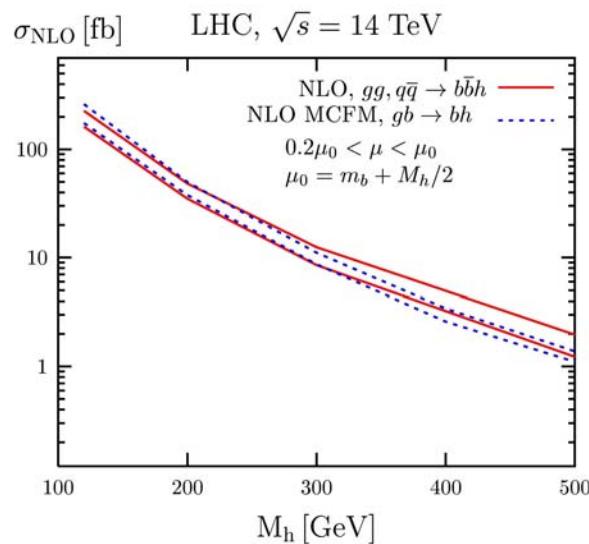


$b\bar{b} \rightarrow h$ vs $gg \rightarrow b\bar{b}h$

Agreement best at low M_h

Exclusive cross section for $\text{pp} \rightarrow b\bar{b}h$: 1 b tag

- Compare *5 flavor number scheme* (b PDFs) with *4 flavor number scheme* (no b PDFs) for total rates
- Consistent results in two schemes

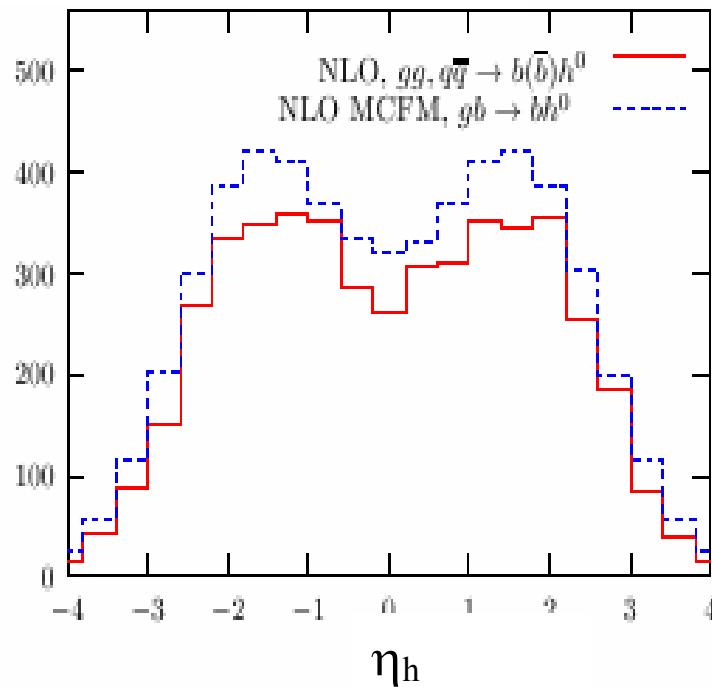


It doesn't matter
which scheme
you use !

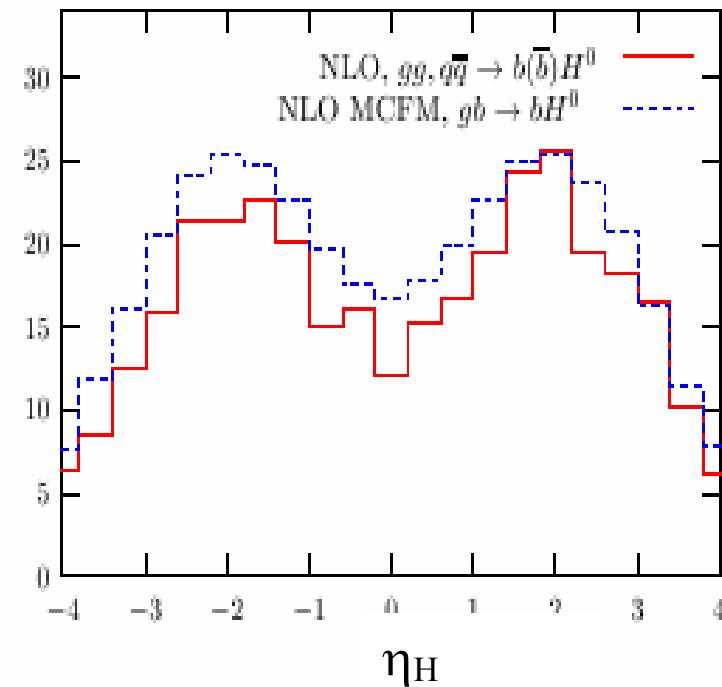
This is SM—Note
smallness of rates

Compare Distributions: Single b Tag

$d\sigma/d\eta_h$ (fb/GeV) Tevatron



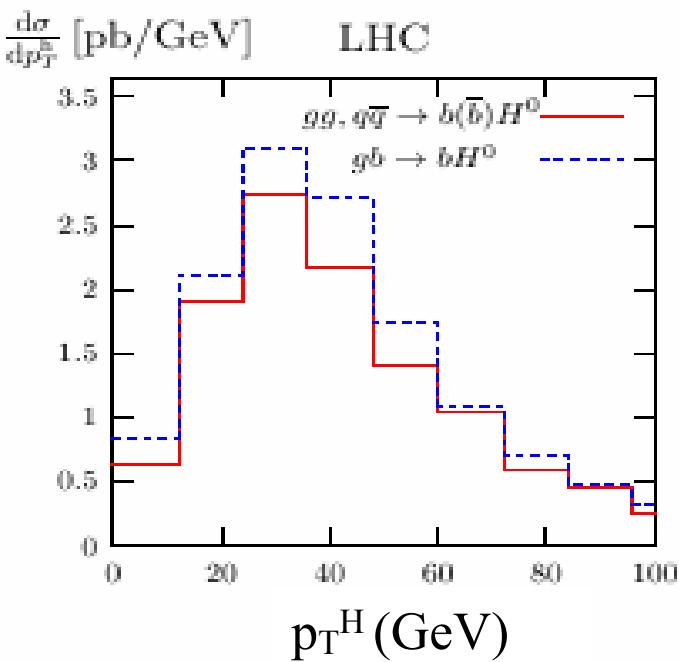
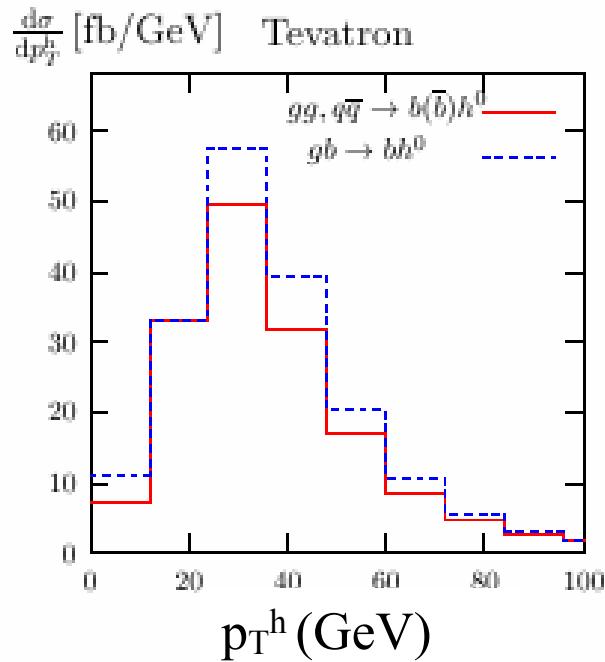
$d\sigma/d\eta_H$ (pb/GeV) LHC



MSSM with $M_h = M_H = 120$ GeV, $\tan \beta = 40$

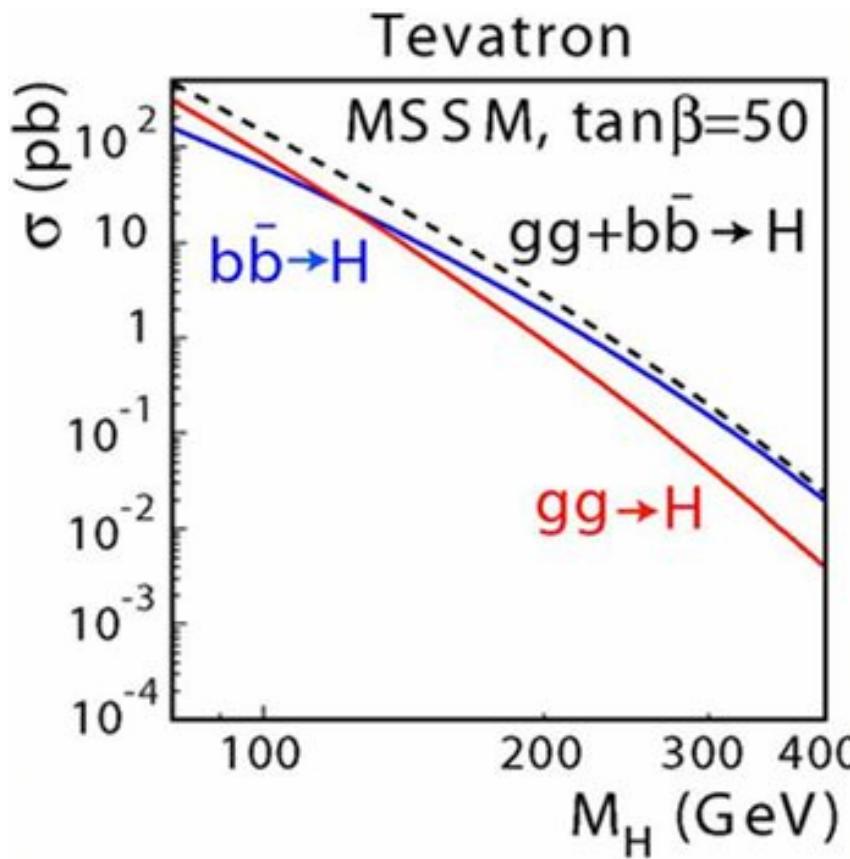
Single b tag

NLO



MSSM with $M_h = M_H = 120$ GeV, $\tan \beta = 40$

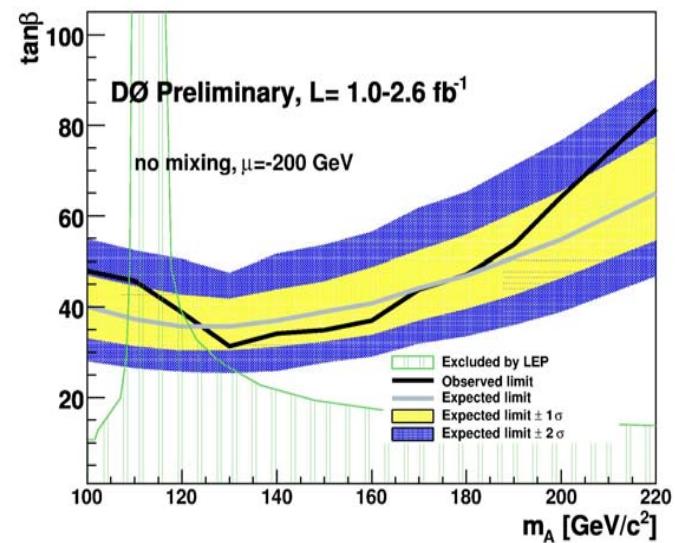
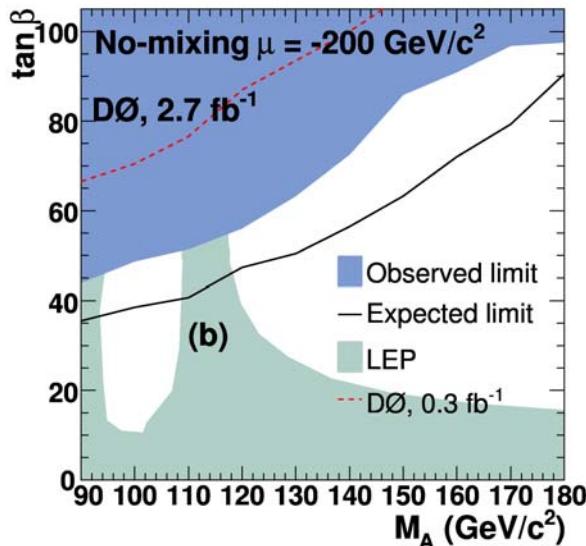
Tevatron Limits From bbh



- Higgs decays:**
- bb ($\sim 90\%$)
 - $\tau\tau$ ($\sim 9\%$)

MSSM limits from $bg \rightarrow bh$ and $bb \rightarrow h$

- Larger rate than bbh process
- Extra b tag and Higgs transverse momentum improve detection efficiency from 0-b tag process ($bb \rightarrow h$)

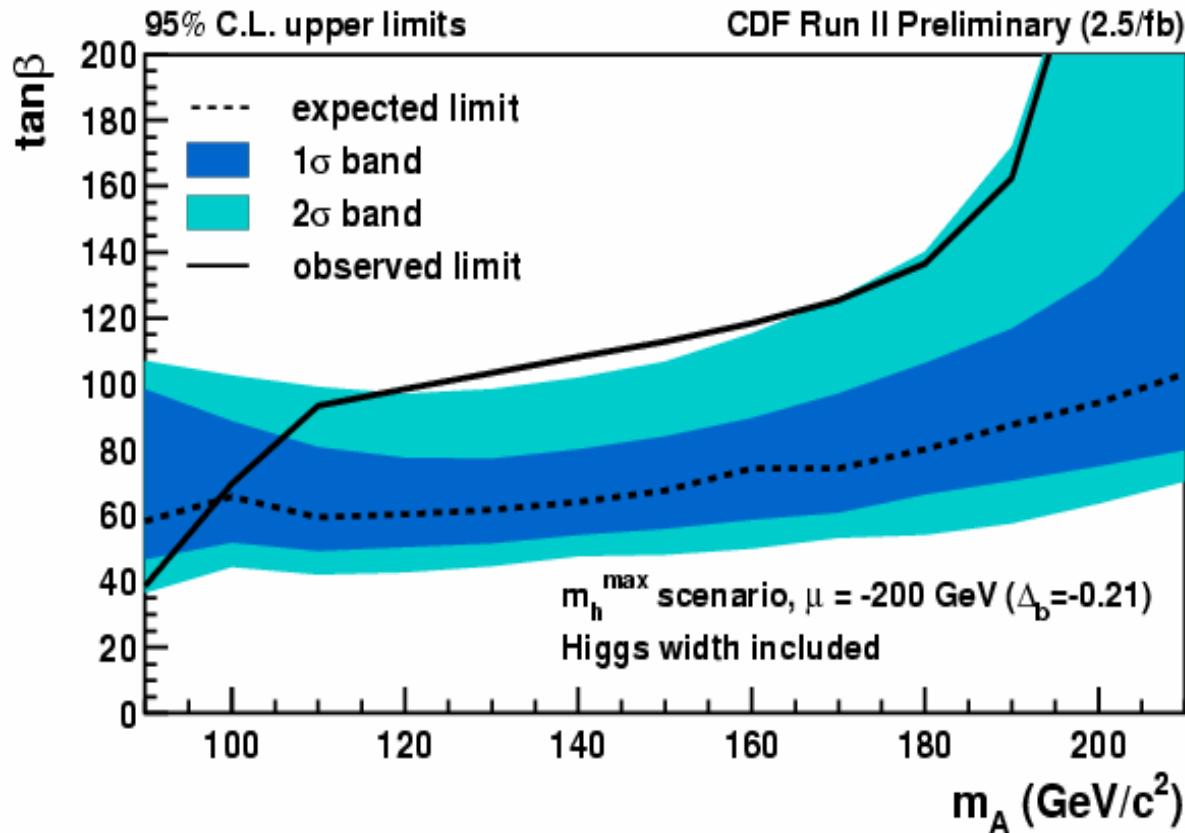


$bg \rightarrow hb, h \rightarrow \tau\tau$

$bg \rightarrow hb, h \rightarrow \tau\tau, bb$

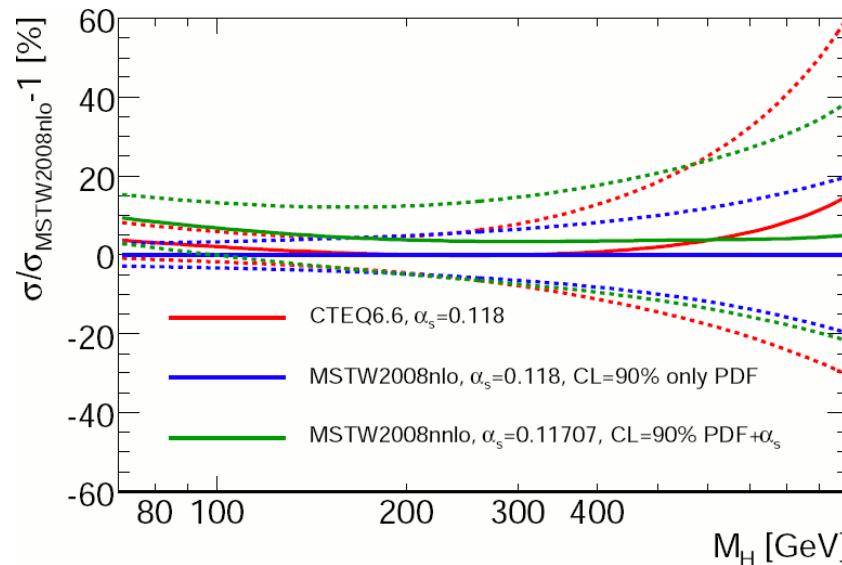
$bb \rightarrow h, h \rightarrow \tau\tau$

New CDF Limits



A Reliable Prediction?

- $b\bar{b} \rightarrow h$ at QCD NNLO
- We have $bg \rightarrow bh$ at QCD NLO
 - Large PDF uncertainties
 - Arise from gluons at large x



Higgs Couplings to Fermions

- At tree level, H_d couples to charge -1/3 quarks, and H_u couples to charge 2/3 quarks

$$L = -\lambda_b \bar{\psi}_L H_d b_R - \lambda_t \bar{\psi}_L H_u t_R + h.c.$$
$$\psi_L = \begin{pmatrix} t_L \\ b_L \end{pmatrix}$$

- Since up and down quark sectors are diagonalized independently, Higgs interactions are flavor diagonal
- Trilinear couplings couple both Higgs to charge -1/3 and charge 2/3 squarks

$$L = \tilde{t}_L^* \lambda_t (A_t H_u - \mu^* H_d) \tilde{t}_R + \tilde{b}_L^* \lambda_b (A_b H_d - \mu^* H_u) \tilde{b}_R + h.c.$$

Couples “wrong” Higgs

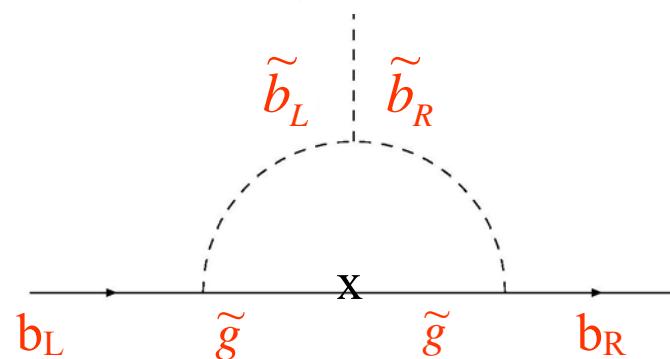
b quarks couple to both Higgs at 1-Loop

Calculate squark/gluino contributions to $h \rightarrow b\bar{b}$

$$\Gamma(h \rightarrow b\bar{b}) = \Gamma_0 \left(1 + 2\delta_{QCD} + 2\delta_{SQCD} \right)$$

Non-decoupling Effect:

$$m_{\tilde{g}}, m_{\tilde{b}_1}, m_{\tilde{b}_2}, \mu \gg M_h, M_Z$$



$$\boxed{\delta_{SQCD} = -\text{sign}(\mu) \frac{\alpha_s}{3\pi} \left(\frac{\mu m_{\tilde{g}}}{M_{SUSY}^2} \right) (\tan \beta + \cot \alpha)}$$

(+WF and CTs)

$h \rightarrow b\bar{b}$

- If M_A also large, decoupling recovered
- Approach to decoupling slowed for large $\tan \beta$

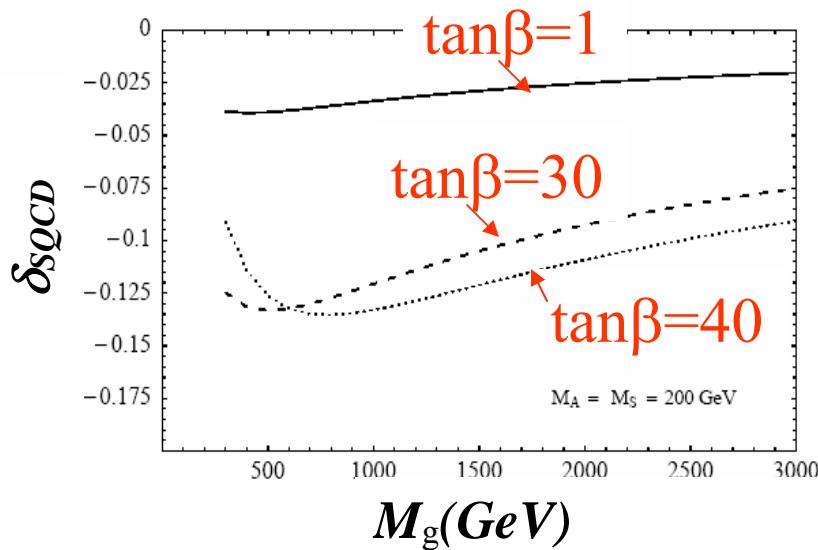
$$\delta_{SQCD} = -\text{sign}(\mu) \frac{\alpha_s}{3\pi} \left(\frac{\mu m_{\tilde{g}}}{M_{SUSY}^2} \right) (\tan \beta + \cot \alpha)$$

$$\tan \beta + \cot \alpha \rightarrow -\frac{2M_Z^2}{M_A^2} \tan \beta \cos 2\beta$$

Decoupling very slow for large gluino mass

$$m_{\tilde{g}} \gg m_{\tilde{b}_1}, m_{\tilde{b}_2}, \mu \gg M_h, M_Z$$

$$\delta_{SQCD} = -\text{sign}(\mu) \frac{2\alpha_s}{3\pi} \left(\frac{\mu}{\tilde{m}_g} \right) (\tan \beta + \cot \alpha) \left(1 - \log \left(\frac{\tilde{m}_g^2}{\tilde{m}_b^2} \right) \right)$$



For large tan β,
effects ~10-15%

Effective Lagrangian Approach

- No tree level $H_u \bar{b} b$ coupling in MSSM, but it arises at 1-loop

$$L_{eff} = -\lambda_b \bar{b}_R \left(\phi_d^0 + \frac{\Delta m_b}{\tan \beta} \phi_u^{0*} \right) b_L + hc$$

$$\tan \beta = \frac{v_2}{v_1}$$

- At tree level, $m_b = \lambda_b v_1 / \sqrt{2}$
- At one loop: $m_b \equiv \lambda_b v_1 (1 + \Delta m_b) / \sqrt{2}$
- Yukawa coupling shifted:

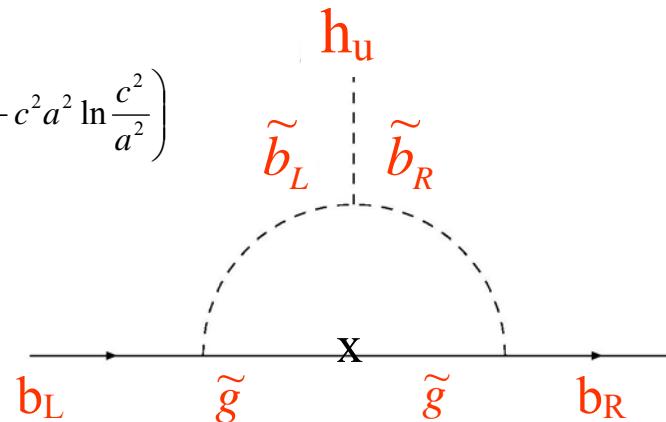
$$L_{eff} = \frac{m_b}{v_{SM}} \left(\frac{1}{1 + \Delta m_b} \right) \left(-\frac{\sin \alpha}{\cos \beta} \right) \left(1 - \frac{\Delta m_b}{\tan \beta \tan \alpha} \right) \bar{b} b h^0$$

Define Effective Yukawa Couplings

$$\Delta m_b = \frac{2\alpha_s}{3\pi} m_{\tilde{g}} \mu I(m_{\tilde{b}_1}, m_{\tilde{b}_2}, m_{\tilde{g}})$$

Assumes $M_h \ll M_{\text{SUSY}}$

$$I(a, b, c) = \frac{1}{(a^2 - b^2)(b^2 - c^2)(a^2 - c^2)} \left(a^2 b^2 \ln \frac{a^2}{b^2} + b^2 c^2 \ln \frac{b^2}{c^2} + c^2 a^2 \ln \frac{c^2}{a^2} \right)$$

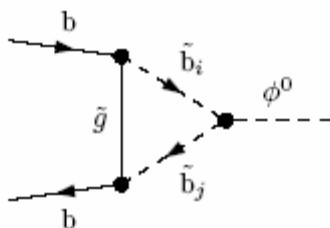


$$g_{hbb} \equiv \frac{m_b}{v_{SM}} \left(\frac{1}{1 + \Delta m_b} \right) \left(-\frac{\sin \alpha}{\cos \beta} \right) \left(1 - \frac{\Delta m_b}{\tan \beta \tan \alpha} \right)$$

Effective Lagrangian approach neglects momentum dependence of 3-pt function

Squark/Gluino Contributions to $b\bar{b} \rightarrow h$

- Just calculate it....
- Compare with tree level rescaled by effective Yukawa couplings
- Squark/gluino effects almost completely described by *Improved Born Approximation (IBA)*
- SQCD effects not contained in IBA are 1-2%



Dittmaier et al, hep-ph/0611353

Calculate SUSY QCD Corrections to $b\bar{g} \rightarrow b\bar{b}$

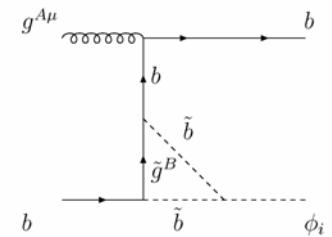
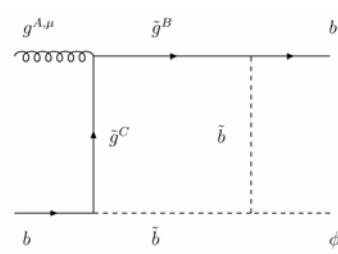
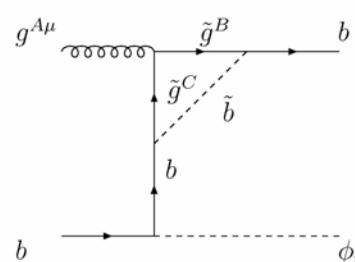
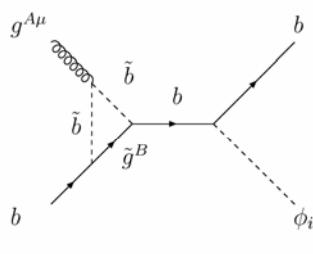
- Approach 1: “Improved Born Approximation”

$$g_{hbb} \equiv \frac{m_b}{v_{SM}} \left(\frac{1}{1 + \Delta m_b} \right) \left(-\frac{\sin \alpha}{\cos \beta} \right) \left(1 - \frac{\Delta m_b}{\tan \beta \tan \alpha} \right)$$

$$\sigma_{IBA} = \left(\frac{g_{hbb}}{g_{hbb}^{SM}} \right)^2 \sigma_{LO}$$

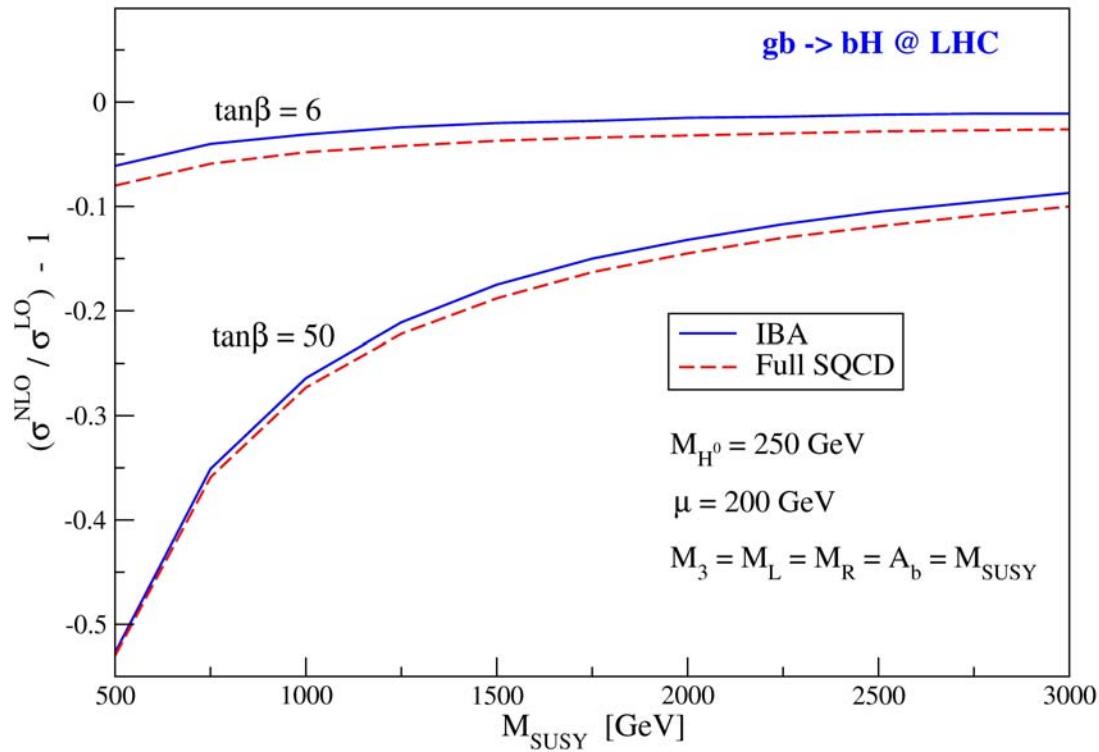
- Approach 2: $O(\alpha_s^2)$ NLO calculation

- Use g_{hbb} as above, so subtract off double counting
- Include all contributions from squark/gluino loops



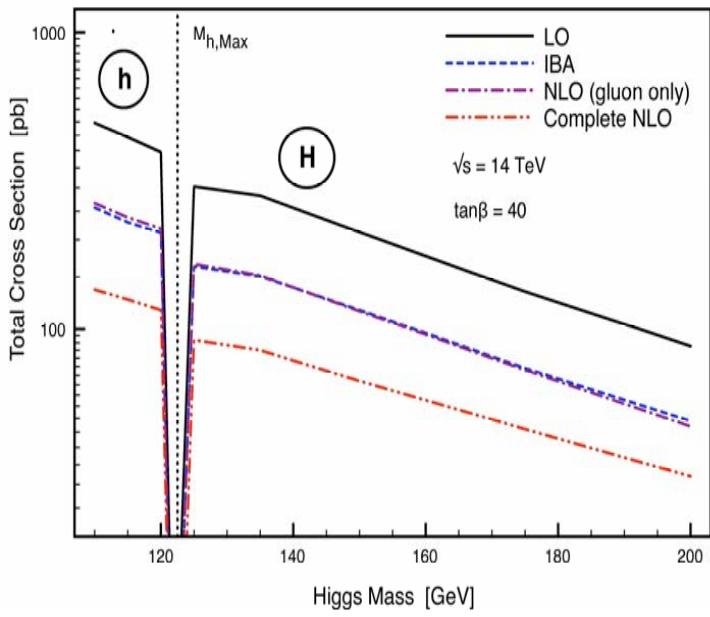
Many contributions
not included in IBA

IBA (Effective L approach) works

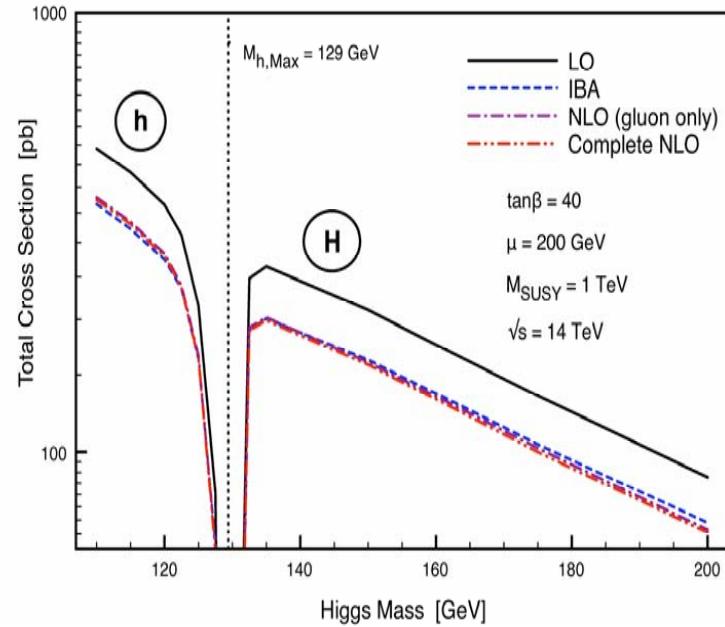


➤ Note slow approach to decoupling limit for large $\tan\beta$

Non-Decoupling of SQCD for Moderate M_{SUSY} ($\text{bg} \rightarrow \text{bh}$)



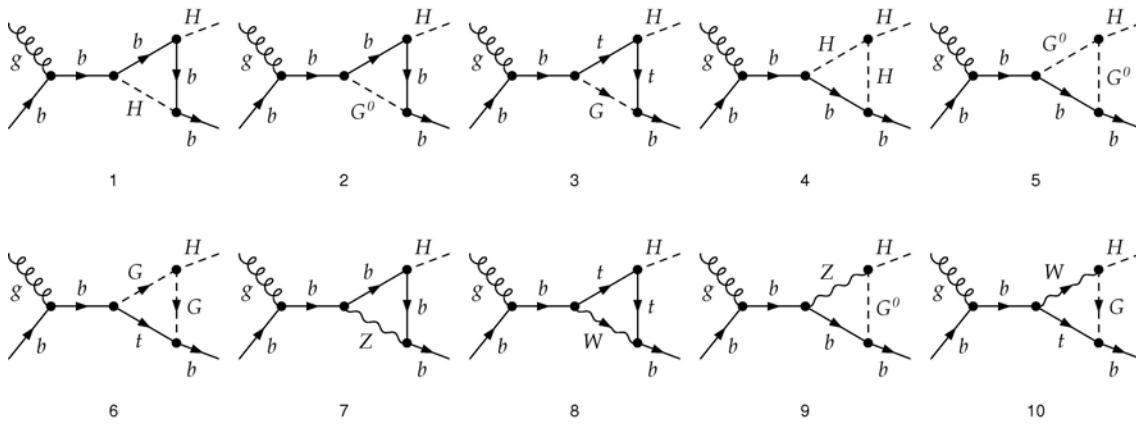
$m_g = m_b = 250 \text{ GeV}$



$m_g = m_b = 1 \text{ TeV}$

Do Electroweak Corrections Matter?

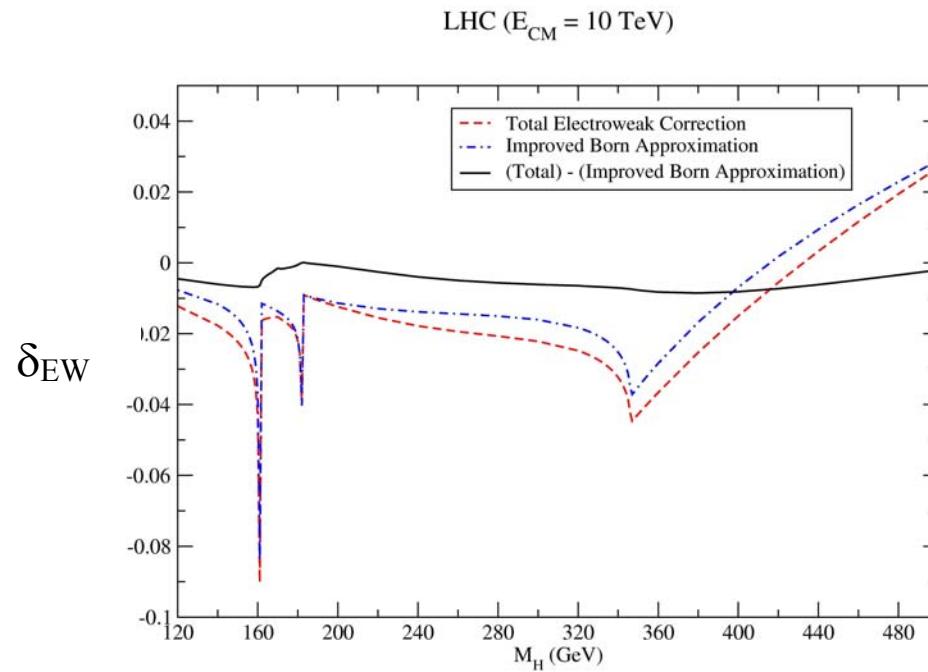
- Full EW calculation
- At 1-loop, there are diagrams which do NOT vanish in $m_b=0$ limit



Plus many more.....

EW Corrections to $b\bar{b} \rightarrow b\bar{b}$

$$\Gamma(h \rightarrow b\bar{b}) = \Gamma_0 \left(1 + 2\delta_{QCD} + 2\delta_{SQCD} + 2\delta_{EW} \right)$$



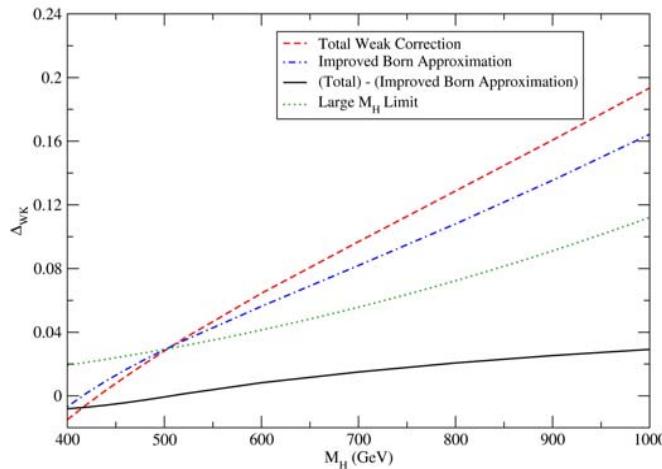
Dawson & Jaiswal,
arXiv:1002.2672

EW corrections in large M_H limit

- Dominant contributions from bbH Vertex
 - No contributions which grow with M_h from triangle or box diagrams

$$\sigma(bg \rightarrow bh) \approx \sigma_0 \left(1 + \frac{M_h^2}{32\pi v^2} [13 - 2\pi\sqrt{3}] \right)$$

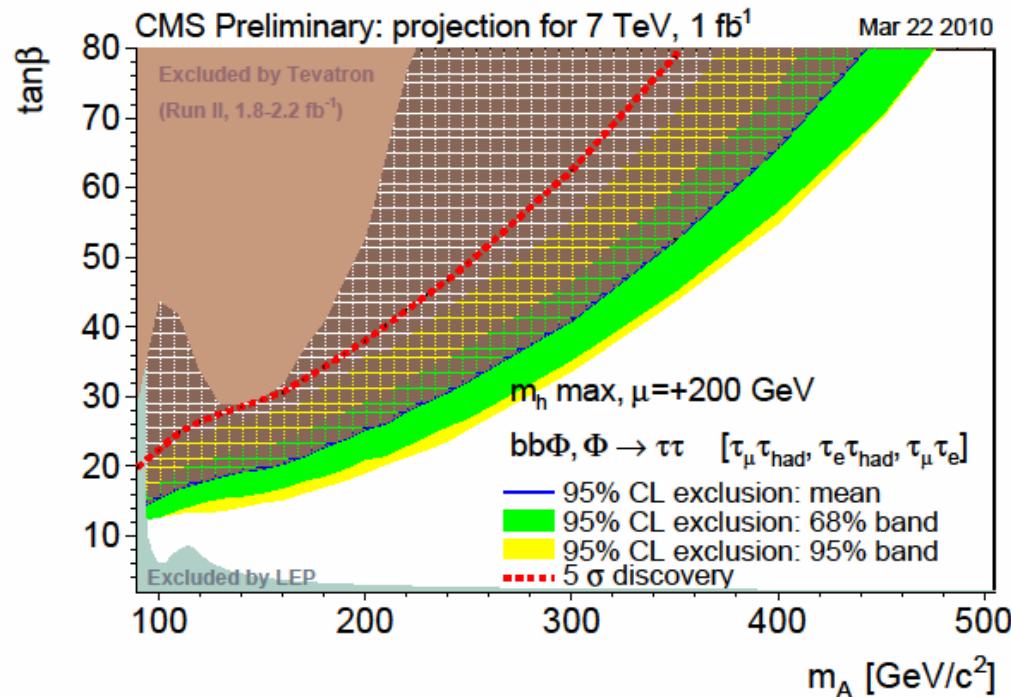
LHC ($E_{CM} = 7$ TeV)



Need $\log(M_h)$ pieces

LHC Expectations

$(b)bH, H \rightarrow \tau\tau$



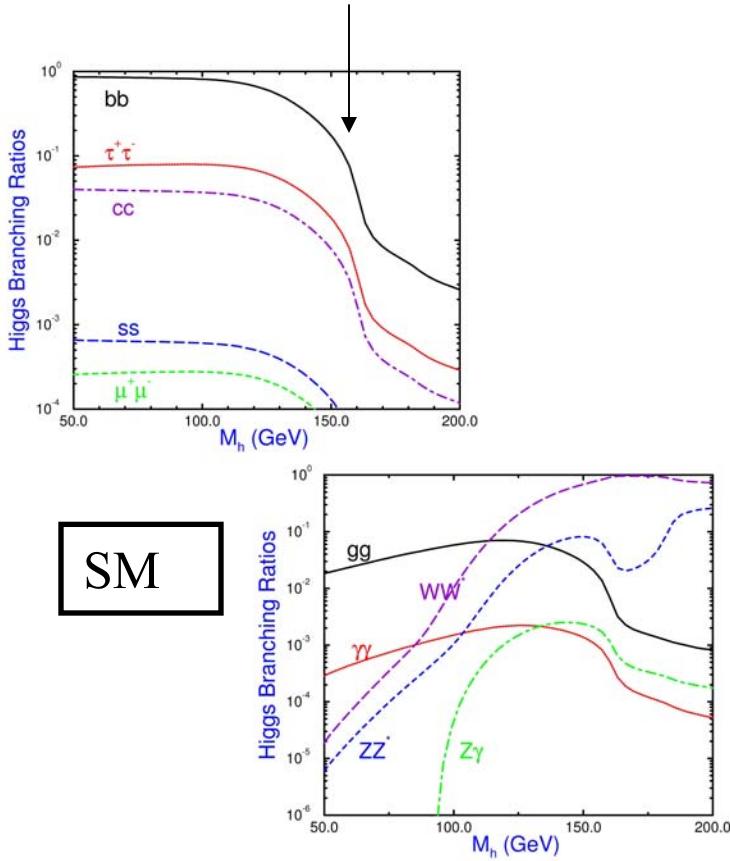
Conclusions

- In the MSSM Higgs and b quarks go together at large $\tan \beta$
- Higgs production with b's is dominant mechanism for $\tan \beta > 7$
- Theoretical understanding of b PDFs: compatible answers in 4FNS and 5FNS for PDFs
- EW corrections important at large M_h
- SUSY QCD corrections can be important
 - Decoupling only occurs for $M_A \rightarrow \infty$
 - SUSY QCD has slow decoupling for large $\tan \beta$

Backup

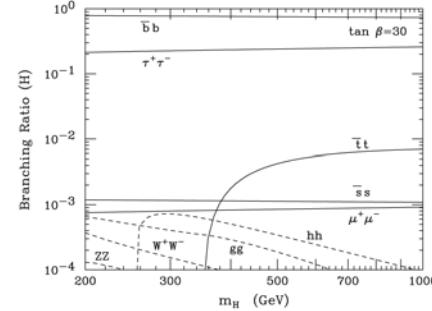
Higgs Decays also affected at large $\tan \beta$

- SM: Higgs branching rates to bb and $\tau^+\tau^-$ turn off as rate to W^+W^- turns on ($M_h > 160$ GeV)



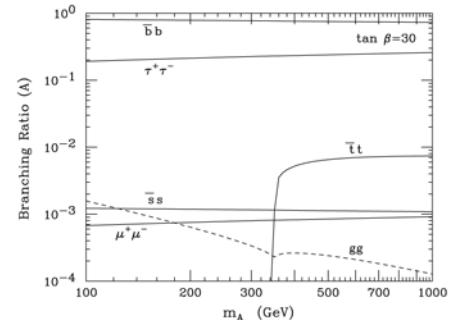
- MSSM: At large $\tan \beta$, rates to bb and $\tau^+\tau^-$ stay large

Heavy H^0 MSSM BRs



Rate to bb and $\tau^+\tau^-$ almost constant in MSSM

A^0 MSSM BRs



New Logs in Production Processes

- At NLO:

$$\sigma(b\bar{b} \rightarrow h)_{NLO} \approx \sigma_0 \left(1 + C_F \frac{\alpha_s}{2\pi} \left[\dots - 3 \log \frac{M_h^2}{\mu^2} \right] \delta(1-z) + P_{qq}(z) \log \frac{M_h^2}{\mu_F^2} + \dots \right)$$

$\mu \approx M_h$ associated with renormalization of α_s

$\mu_F \approx m_b$ associated with PDFs

- Logs not neatly absorbed into running b mass

