

Chasing the Unicorn: RHIC and the QGP

Unicorn = fantastic and mythical beast!

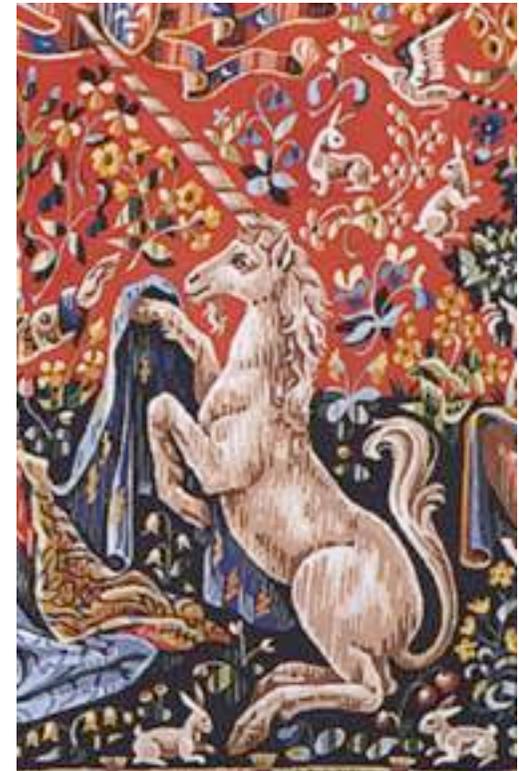
RHIC = Relativistic Heavy Ion Collider @ Brookhaven Natl. Lab (BNL):
collide large nuclei at high energies (also: SPS & LHC @ CERN)

QGP = Quark Gluon Plasma =
New *state* of hadronic matter, in
thermodynamic *equilibrium* at **temperature $T \neq 0$**

Q: *Has RHIC made the QGP?*

1. QCD @ nonzero temp.: what is the QGP?
2. The QGP on the Lattice: numerical “experiment”
3. Experiments at RHIC: evidence for “gluon stuff” -
the (high-pt) tail wags the (low-pt) body of the Unicorn

A: *Some new kind of matter has been created*



Symmetries of QCD: Chiral Symmetry

Like a magnet: *broken* at low temperature,
restored at some finite temperature.

up & down quarks: “flavor” symmetry = $SU_L(2) \times SU_R(2) = O(4)$

with strange: $SU_L(3) \times SU_R(3)$

In broken phase, (approx.) “spin waves”
= (almost massless) pions, K’s, η

(What about η' from extra axial U(1)? Instantons....

Could dramatically affect transition properties with *light* quarks.)

Deconfinement as a *Global Z(3) Symmetry*

Multiply each quark by a **constant** phase:

$$q \rightarrow e^{2\pi i/3} q \quad , \quad \bar{q} \rightarrow e^{-2\pi i/3} \bar{q}$$

Mesons and baryons don't change:

$$\bar{q}q \rightarrow \bar{q}q \quad , \quad qqq \rightarrow (e^{2\pi i/3})^3 qqq = qqq$$

but q, qq, etc, are not. Could use $\exp(-2\pi i/3)$, too = Z(3) symmetry.

Z(3) spin = *Polyakov loop*
= *propagator* “test” quark =>

$$\ell = \frac{1}{3} \text{tr } \mathcal{P} \exp \left(ig \int_0^{1/T} A_0 d\tau \right)$$

= (trace) color Aharonov-Bohm phase.

Only valid in a **pure** gauge theory, **with**out dynamical quarks.

In QCD, is the Z(3) symmetry **approximate**?

Deconfinement & Polyakov Loops

't Hooft: part of *local* SU(3) is *global* Z(3) $\ell \rightarrow e^{2\pi i/3} \ell$

At T=0, confinement => quarks don't propagate => UNbroken Z(3) symmetry

$$\langle \ell \rangle = 0 \quad , \quad T < T_{deconf}$$

As $T \rightarrow \infty$, by *asymptotic freedom*, g^2 small, pert. thy. ok, => loop is near one (x3).

=> deconfined phase in which quarks propagate:

$$\langle \ell \rangle \neq 0 \quad , \quad T > T_{deconf}$$

Deconf. *opposite* to spins: Z(3) broken at *high*, and not *low*, temp.

Order of Phase Transitions

Relation between deconfining and chiral transitions? 1 or 2 trans.'s?

For QCD, both $Z(3)$ and chiral symmetries are *approximate*.

Strongly First Order Transition(s)?

“Of course”! Hadrons \neq Quarks & Gluons.

Limits:

Deconfining transition (NO quarks): cubic invariant is $Z(3)$ symmetric: ℓ^3
first order deconfining trans. (Svetitsky & Yaffe).
colors $\Rightarrow \infty$: *first order* deconf.'g trans.

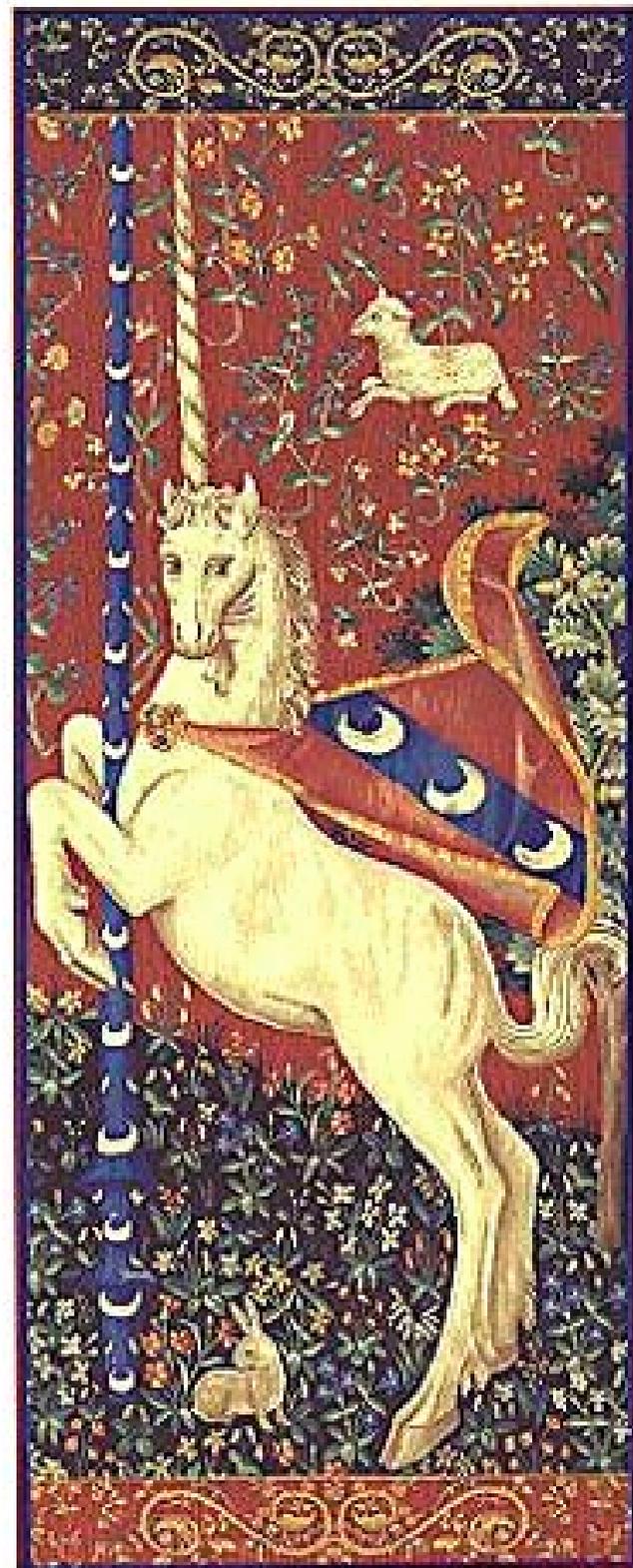
Chiral transition: two massless flavors: $O(4)$ ~~sym~~ \Rightarrow *second order chiral trans.*
three massless flavors: cubic invariant \Rightarrow *first order chiral trans.*
if axial $U(1)$ restored: *first order chiral transition* for 2 & 3 flavors
(RDP & Wilczek)

The “Unicorn”:

Quark-Gluon Plasma =

Deconfined,
Chirally Symmetric “Phase”
at nonzero temperature

But how to compute
properties of the QGP?



QGP on the Lattice

Lattice: compute from *first* principles as lattice spacing $a \Rightarrow 0$.

But how close is the lattice (today) to the continuum limit, $a=0$?

“Pure” gauge (no dynamical quarks): present methods close to $a=0$!

QCD: present methods *not* close to $a=0$. All results tentative.

Very hard to put *global* chiral symmetry on lattice!

View: lattice simulations as (another) experiment... What it has told us to date

Pure gauge: $T_d \sim 270 \pm 10$ MeV.

Weakly first order deconfining trans.

Non-perturbative QGP from $T_d \Rightarrow 3 T_d$. NO “Of Course”

With quarks: $T_c \sim 175 \pm ?$ MeV

Order? Crossover today.

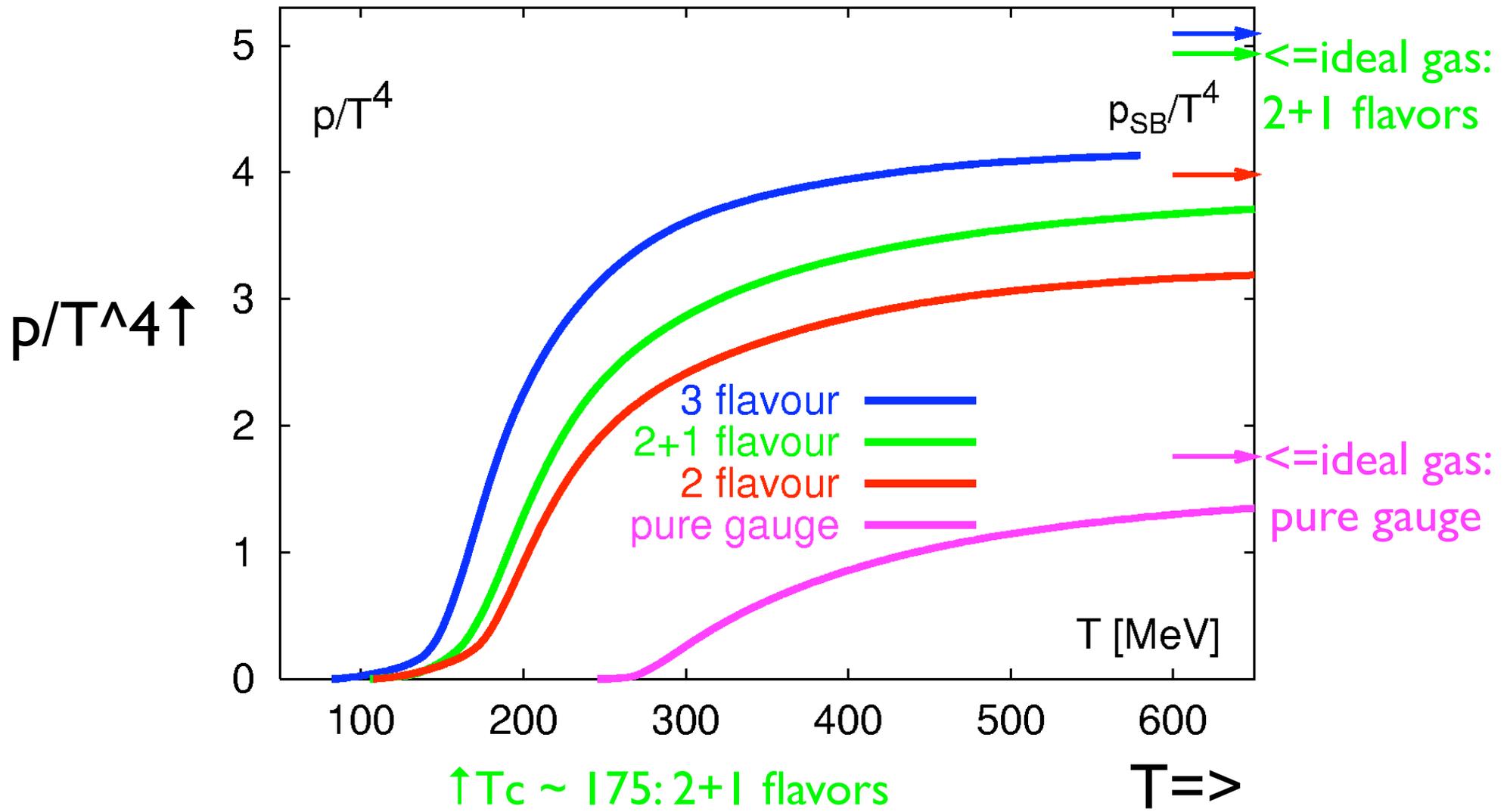
Only *one* transition (chiral = deconfining)

“Flavor independence”: pressure *with* qks like that *without* qks.

Lattice: Pressure vs T, Different # Flavors

QCD: "2+1" flavors (up & down light, strange heavy): **BIG changes**

$p=p(T)$ =pressure. Plot p/T^4 , => constant as $T \rightarrow \infty$ (asymp. freedom)

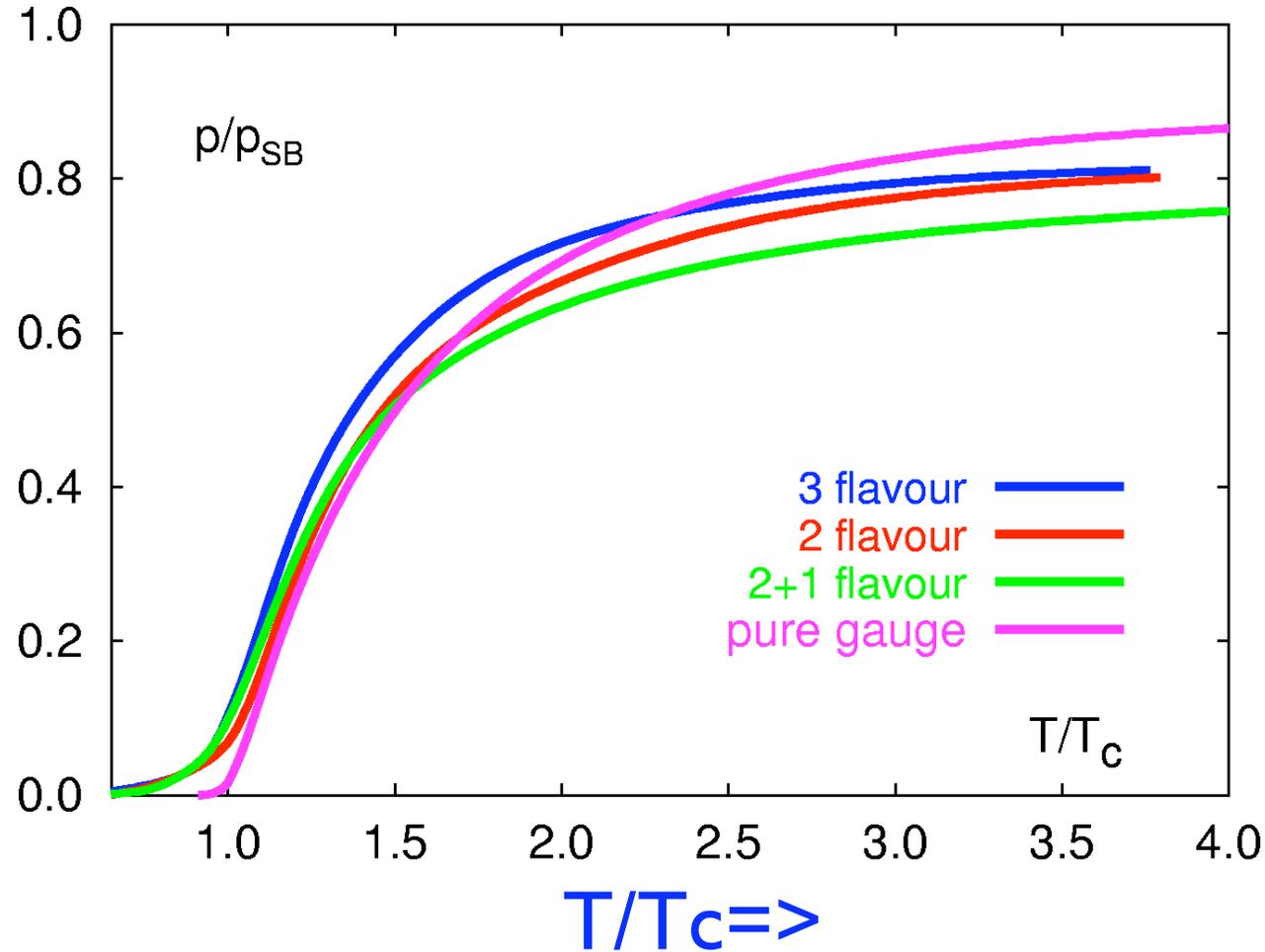


Lattice: "Flavor Independence"

Lattice finds *amazing* property:
properly scaled, pressure *with* quarks
like that *without*: *Bielefeld*.

$$\frac{p}{p_{ideal}} \left(\frac{T}{T_c} \right) \approx \text{universal}$$

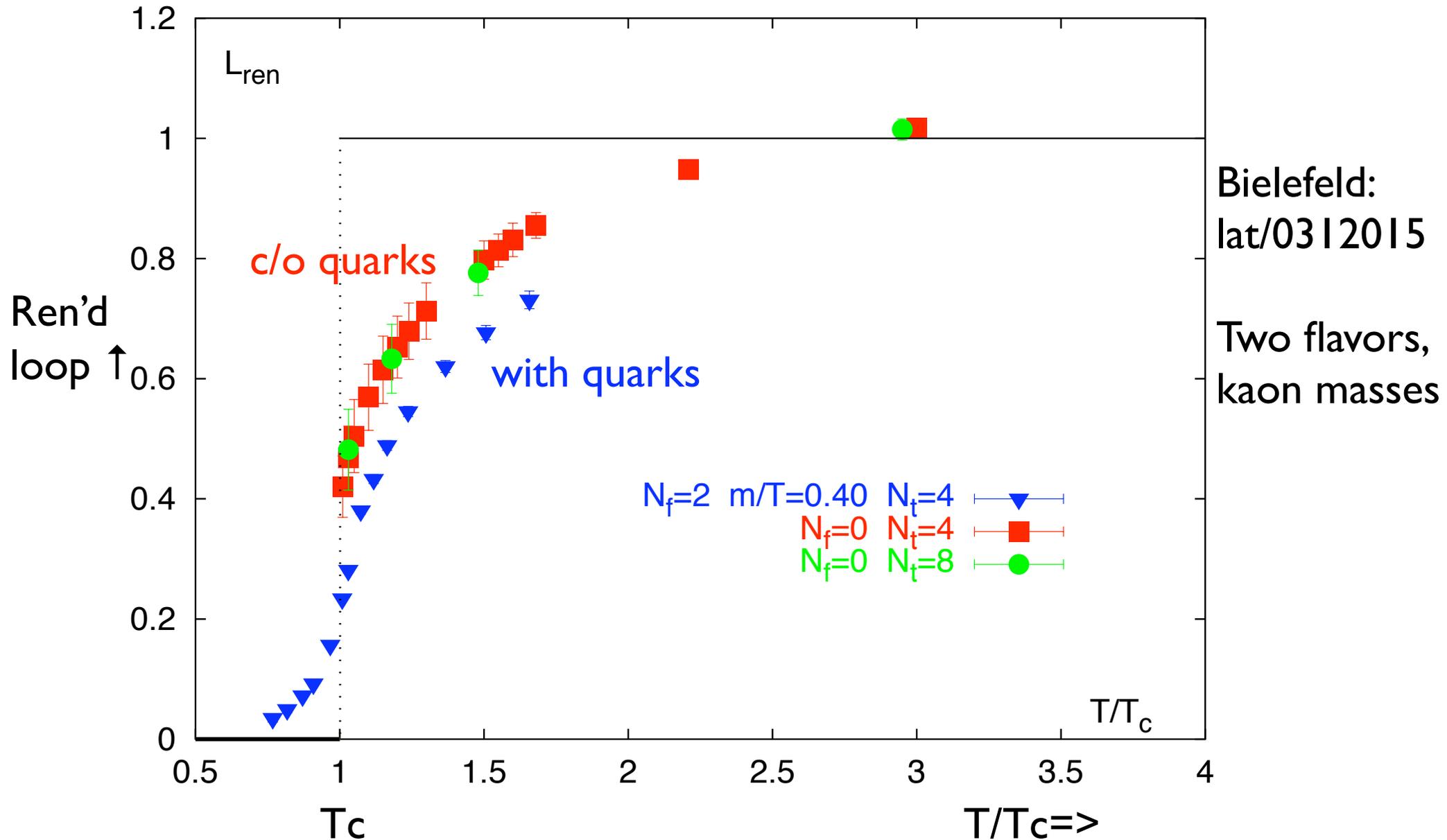
1.0 =>



=> pressure
dominated by
gluons?

(Ren.'d) Polyakov Loop with Quarks \sim Pure Gauge

NON-pert. QGP from $T_c \Rightarrow \sim 3 T_c$ (loop far from one)



Hunting for the “Unicorn”: the Quark-Gluon Plasma, in Heavy Ion Collisions



“Unicorn” & the QGP: Scott, Stock, Gyulassy...

Why do AA? Big Transverse Size.

pp: protons on protons. “Ordinary” hadronic collisions.

AA: nucleus with atomic number A on same.

pA: proton on a nucleus. At RHIC, often dA. Serves as test to tell pp from AA.

WHY AA? Nuclear size $r_A \sim A^{1/3}$

Biggest: Pb (lead) or Au (gold), $A \sim 200 \Rightarrow r_A \sim 7$.

Transverse radius of nucleus $\sim A^{2/3} \Rightarrow$ trans. size ~ 50 x proton.

$A \rightarrow \infty$: infinite nuclear matter. $A \sim 200$ close to ∞ ? Decide by experiment.

Colliders: Energy, Machines

Basic invariant: **total energy in the center of mass**, $E_{c.m.} \equiv \sqrt{s}$

For AA collisions, energy *per* nucleon is $\sqrt{s}/A \equiv \sqrt{s_{NN}}$

Machines:

$$\sqrt{s}/A$$

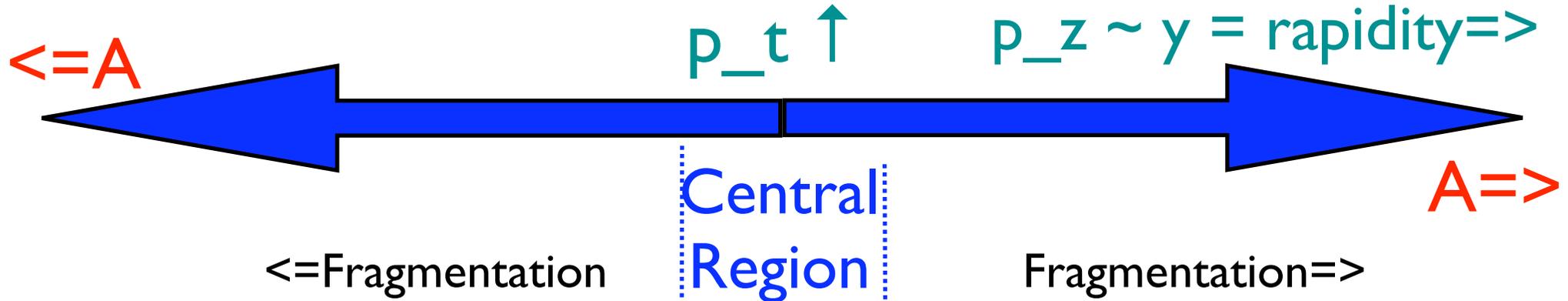
SPS @ CERN:	5 => 17 GeV	(fixed target)
RHIC @ BNL:	20, 130, 200 GeV	(collider)
LHC @ CERN:	5500 GeV = 5.5 TeV	(collider, > 2007)

SPS = Super Proton Synchrotron: CERN @ Geneva, Switzerland.

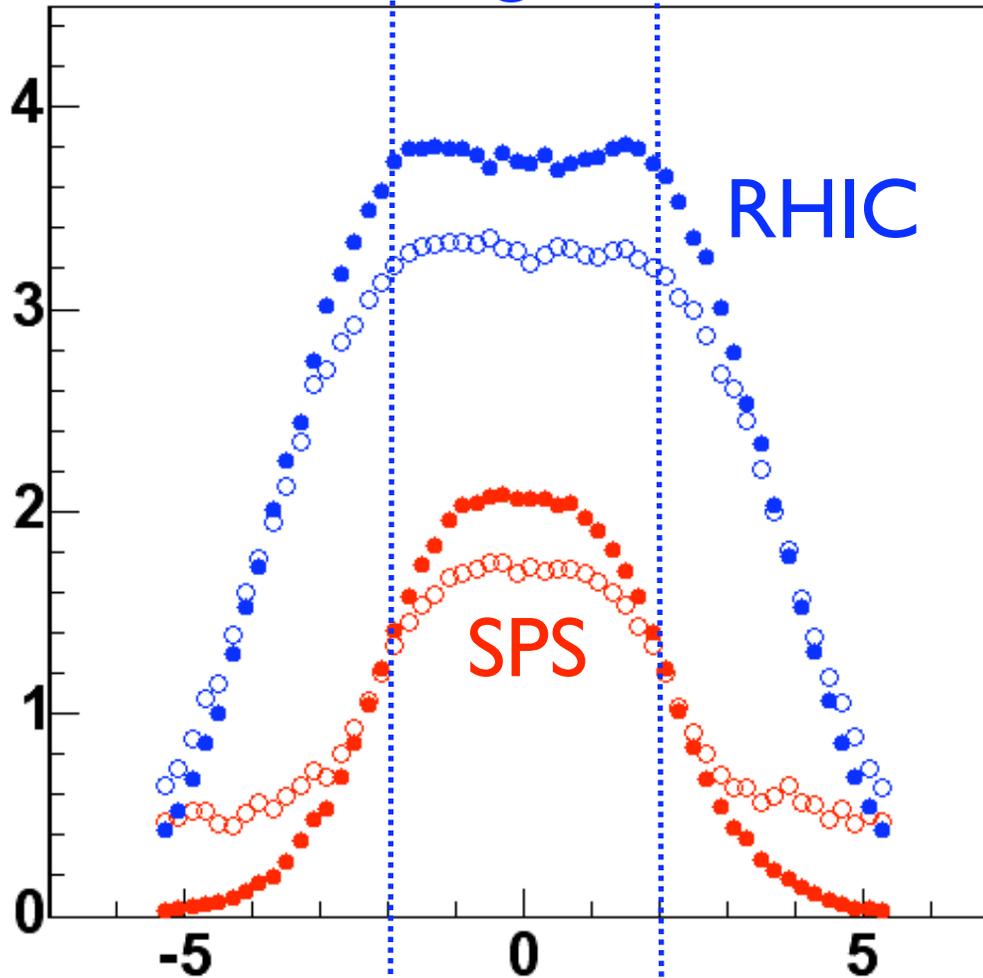
RHIC = Relativistic Heavy Ion Collider; BNL @ Long Island, NY

LHC = Large Hadron Collider.

Relativistic Kinematics @ Collider



particles \uparrow
(int'd over p_{\perp})



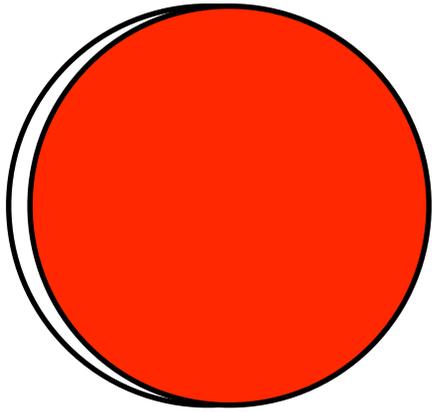
Central Region:
(almost) free of
incident baryons,
most likely to be
@ $T \neq 0$
 90° to beam
for a collider.

$$y = \log\left(\frac{E+p_z}{E-p_z}\right)$$

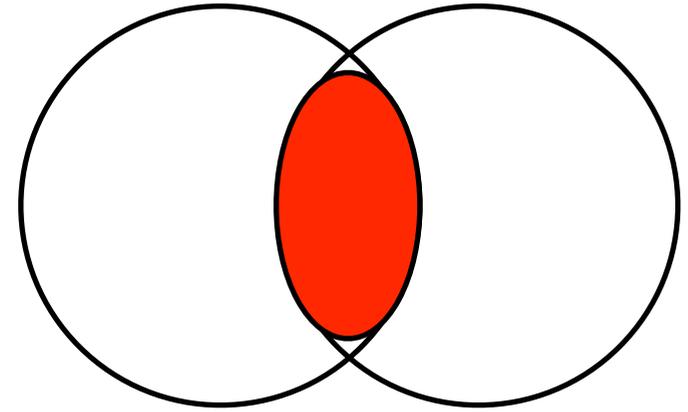
$y \Rightarrow$

AA collisions: Central vs Peripheral

Central:
Maximum
Overlap



Peripheral=>
“Almond” of
overlap region



Theoretically: would like to compare central AA from small to large A.
Takes a lot of beam time. But running with given A, *automatically* measure peripheral collisions.

Exp. variable: # participants.

= 400 in central (= 200 + 200)

= 100 => 400 in peripheral (Glauber & other models; agree to 10%)

Typical Heavy Ion Event @ RHIC

Total # particles = 1000's.

Experiments @ RHIC:

STAR: big, 4 π coverage, $y = \pm 2$

PHENIX: big, elec.-mag., $y = \pm 2$

PHOBOS: small, all rapidity

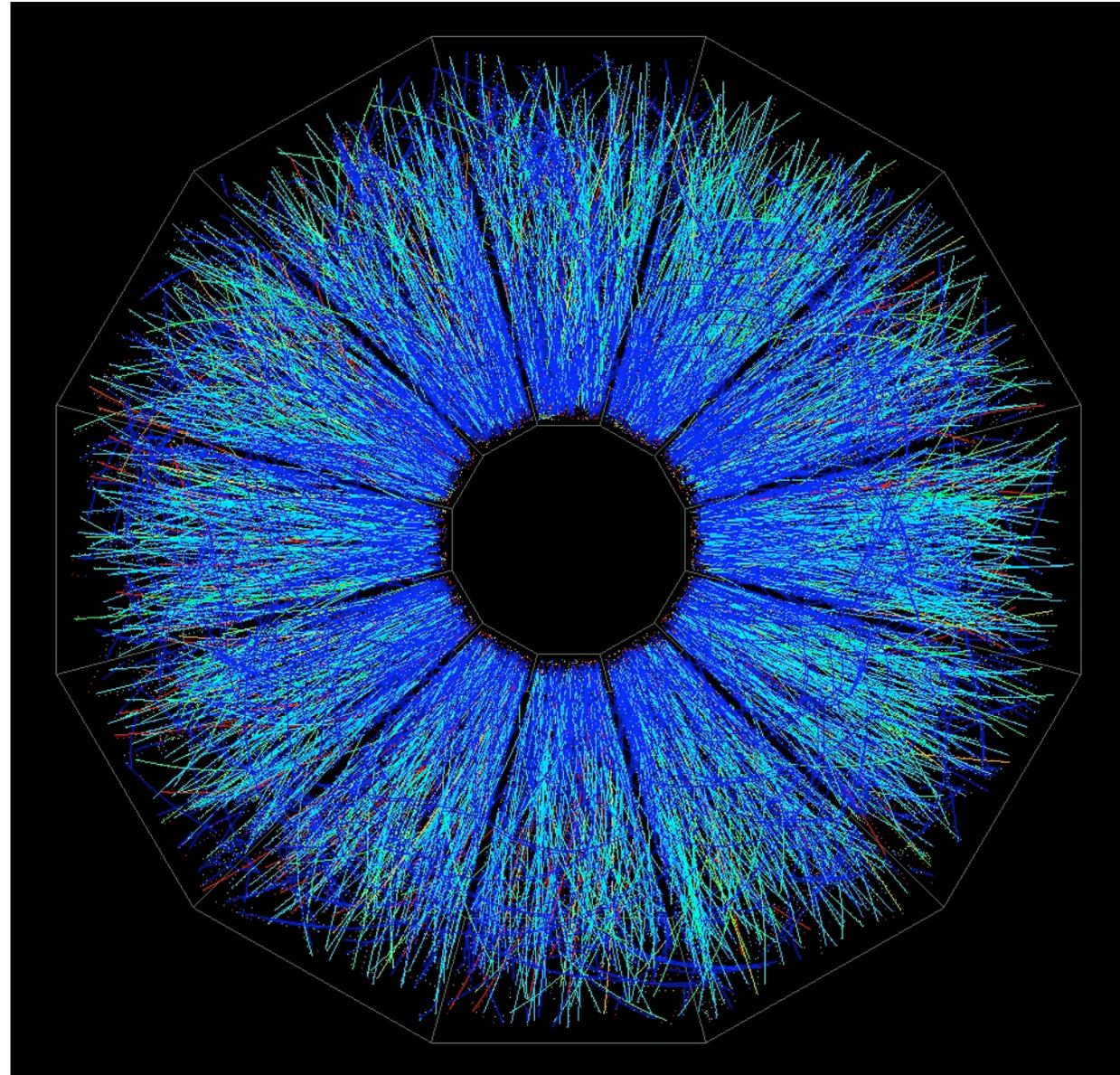
BRAHMS: small, all rapidity

small = 50 exp.'s.

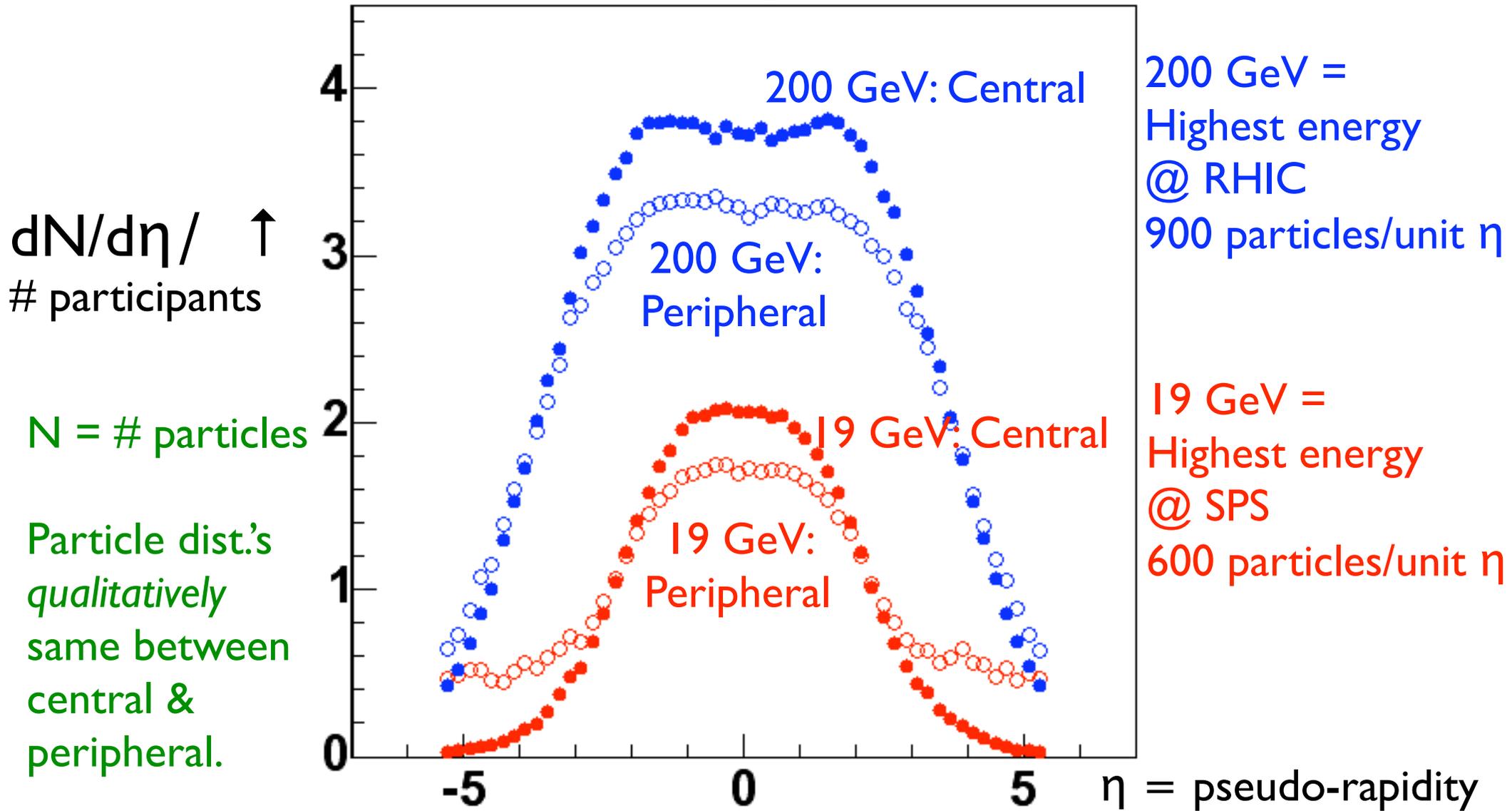
big = 400 experimentalists

400 \sim # part.'s/rapidity $\sim \log(s)$?

theorists $\sim \log(\log(s))$?



Particle Distributions vs η , Energy: “Central Plateau” @ RHIC



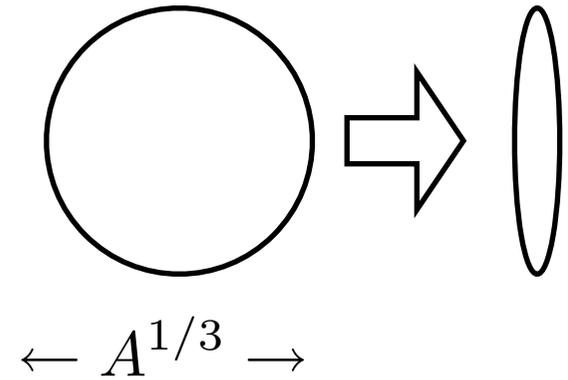
No surprises from overall multiplicity

Why do AA? “Saturation” as a Lorentz Boost

At high energies, incident nucleus is *Lorentz contracted*.
=> color charge of incident nucleus gets “squashed”.

McLerran & Venugopalan: color charge bigger by $A^{1/3}$

$A \rightarrow \infty$: can use *semi-classical* methods.



@ central rapidity, *gluon saturation* = **Color Glass**.

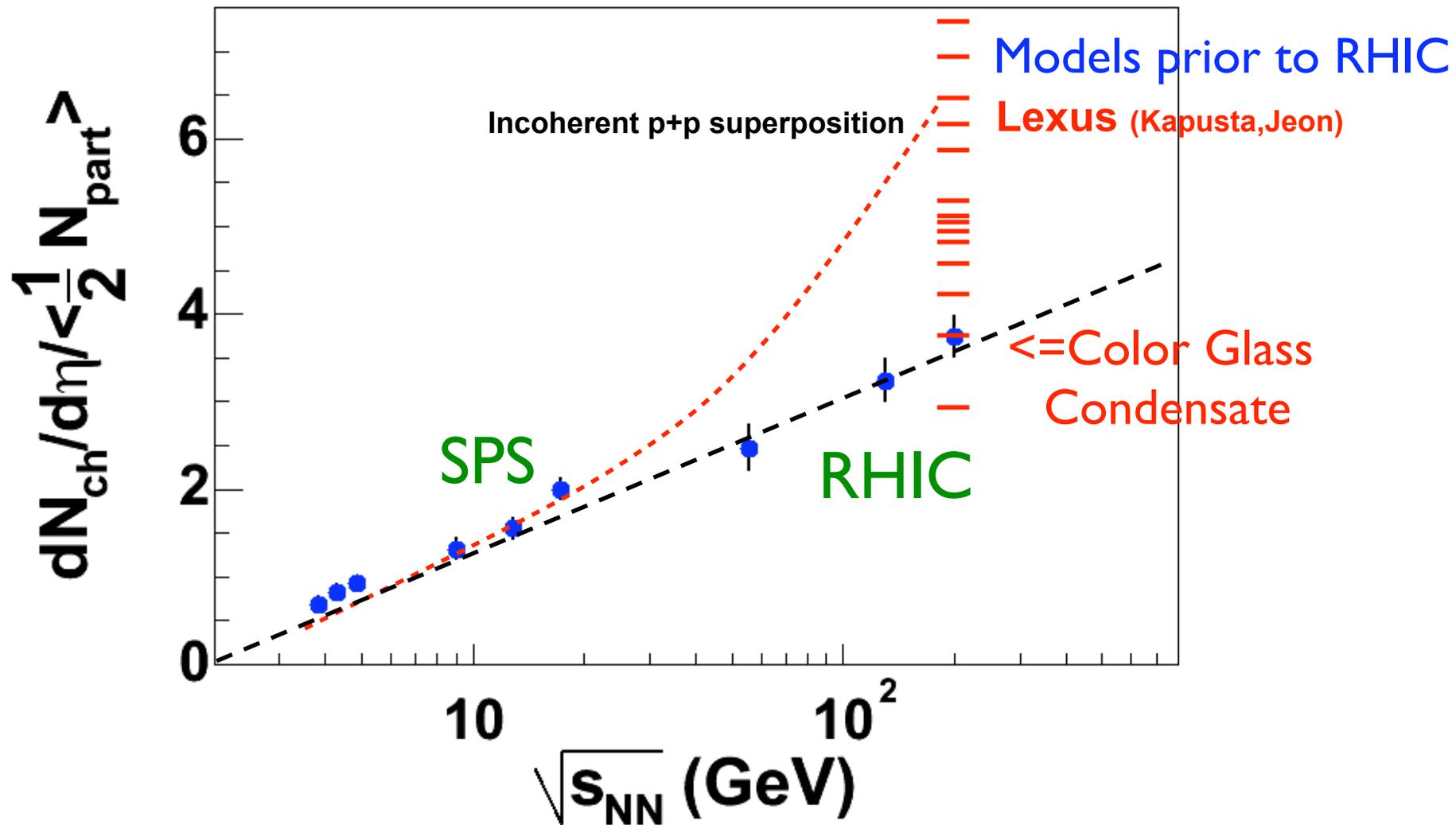
As semi-classical, predicts *logarithmic* growth in multiplicity:

$$\frac{dN}{dy} \sim \frac{1}{g^2(\sqrt{s}/A)} \sim \log(\sqrt{s}/A)$$

First surprise from Day 1: NO big increase in multiplicity. Approx. log growth.

Also: expect avg. momentum to grow similarly $\langle p_t \rangle \sim \log(\sqrt{s}/A)$
(Krasnitz & Venugopalan)

Slow Growth in Multiplicity with Energy



Good fits to overall multiplicity, centrality dependence (Kharzeev, Levin, Nardi)

STAR: from 130 \Rightarrow 200 GeV, multiplicity increases by 14%,
 but NO change in $\langle p_t \rangle \pm 2\%$. Vs. $> 7\%$ increase from Color Glass!

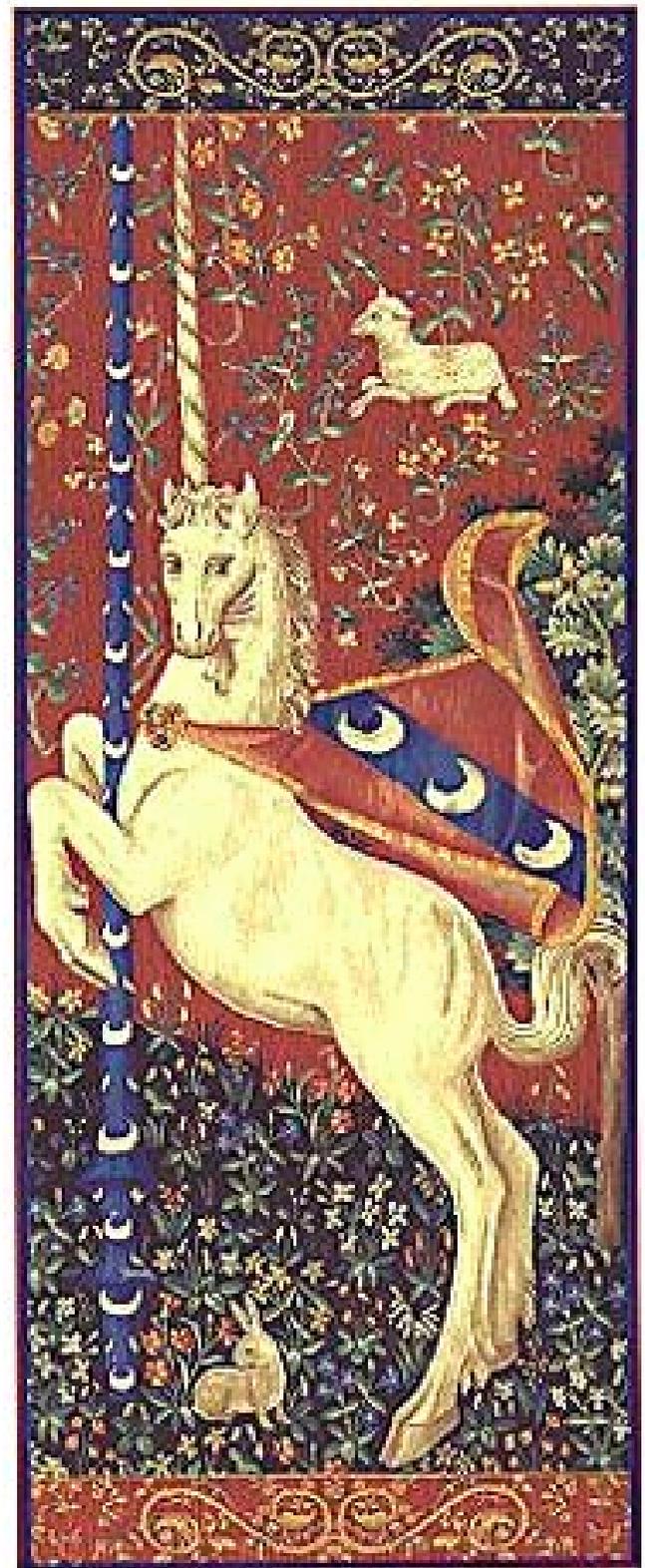
Body of the “Unicorn”:

Majority of particles, at small momenta
 $< 2 \text{ GeV}$.

Tail of the “Unicorn”:

Look at particles at *HIGH* momentum,
 $p_t > 2 \text{ GeV}$, to probe the body.

The Tail wags the (Dog) Unicorn

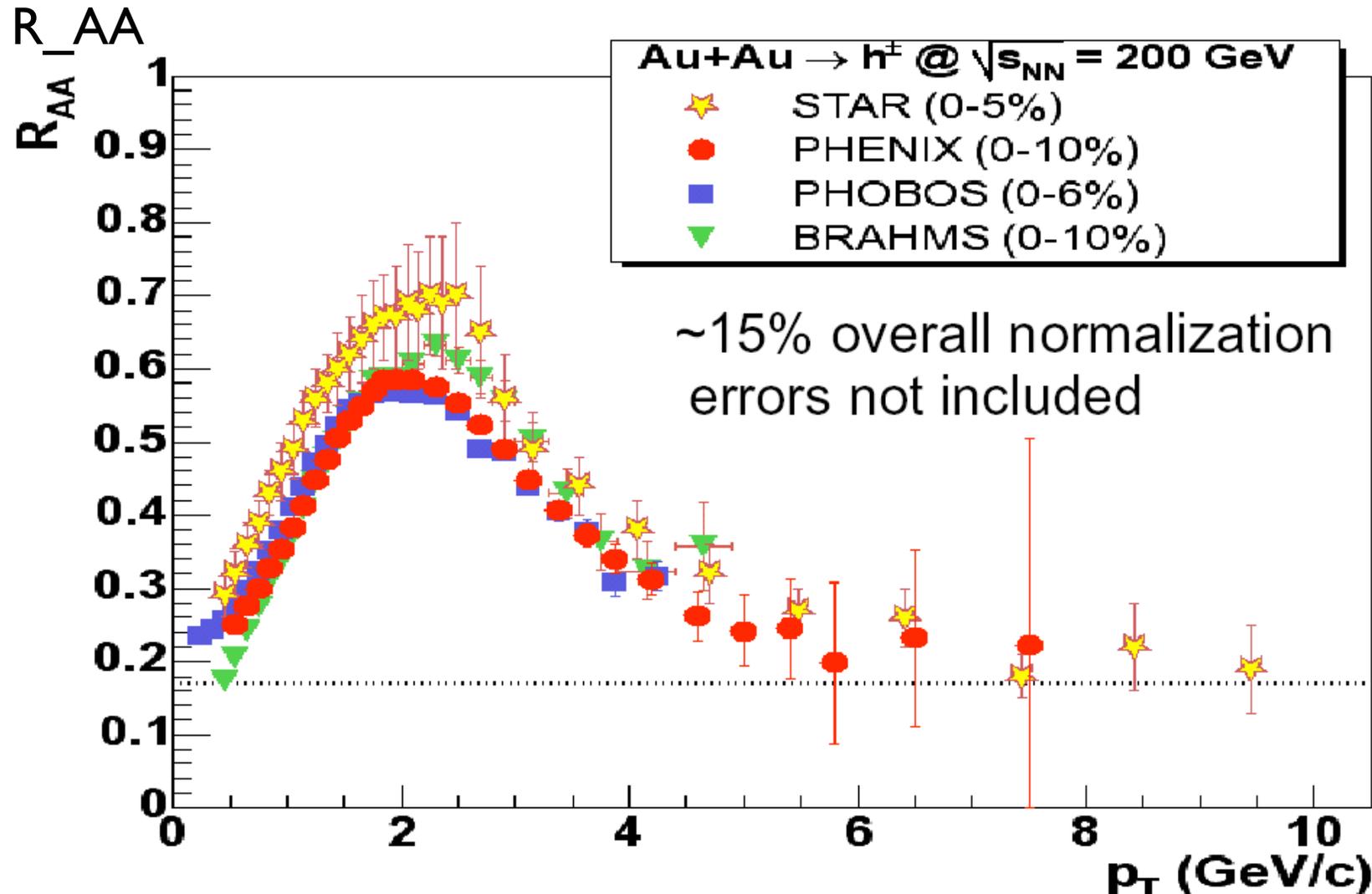


Clear Experimental Signal of “Stuff”: R_{AA}

Compare spectra in AA to that in pp, especially for “hard” $p_t > 2$ GeV:

From Day 1, “hard” spectra appear *steeper* in AA than pp => *fewer* particles.

$R_{AA} = \frac{\# \text{ particles at a given } p_t \text{ in central AA collision}}{\# \text{ particles at the same } p_t \text{ in pp, central rapidity}}$



$R_{AA} \Rightarrow$
suppression of hard particles in AA, vs pp.

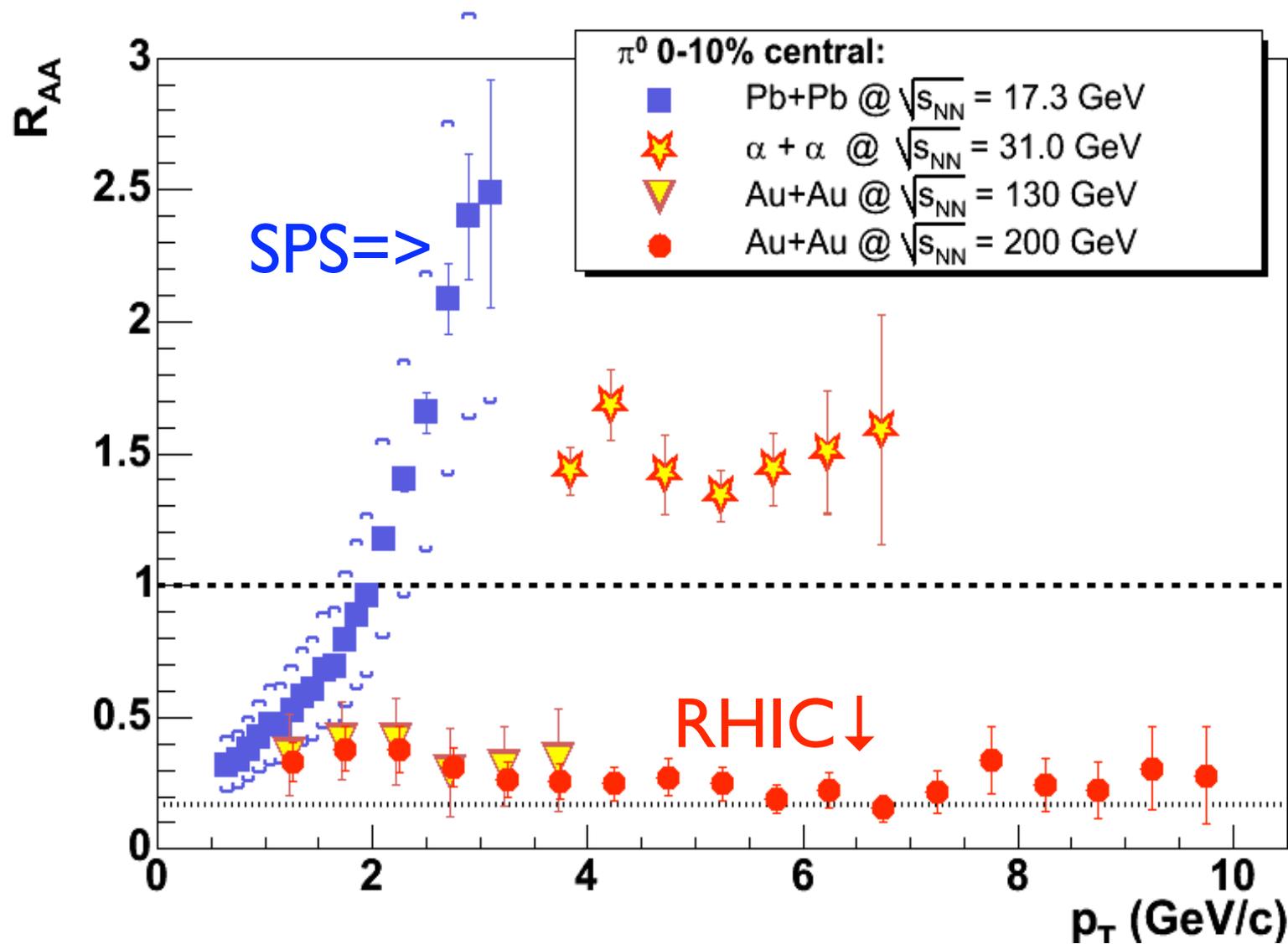
For $p_t > 6$ GeV
all particles suppressed.

R_AA: Enhancement @ SPS, Suppression @ RHIC

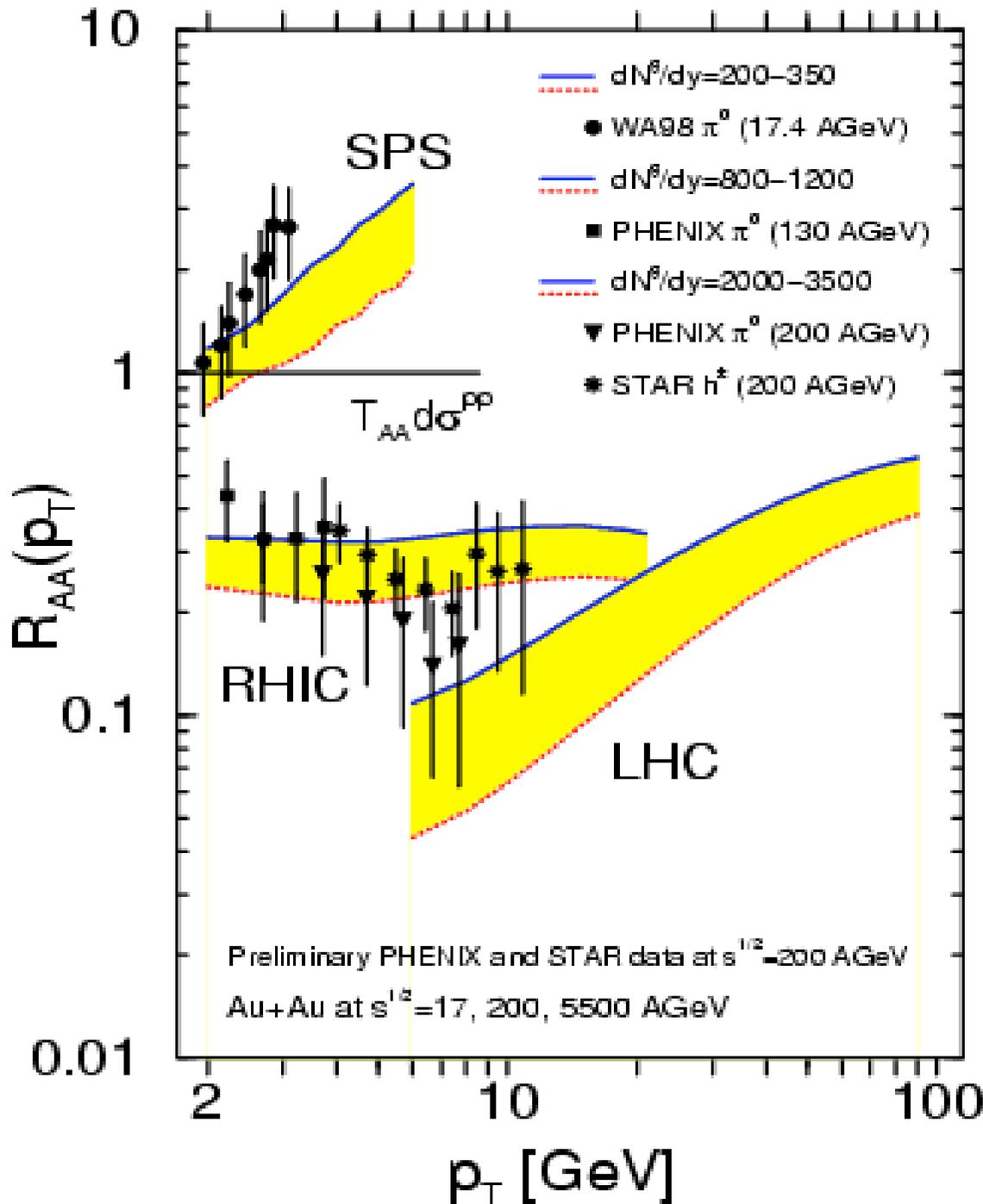
Effect most dramatic for π^0 's. SPS: $R_{AA} \sim 2.5$ @ 3 GeV. "Cronin"

RHIC: $R_{AA} \sim 0.2$ @ 3 GeV.

RHIC: Supp. from energy loss - "stuff" slows fast particles down.



R_AA: Qualitative Agreement with “Energy Loss”



Energy Loss: A fast particle going through a thermal bath loses energy:

Gyulassy, X.N. Wang, Vitev... Baier, Dokshitzer, Mueller, Schiff, Zakharov

<= Gyulassy & Vitev: *conspiracy* to give *flat* R_{AA} @ RHIC.

Need to add several effects, “Cronin”, energy loss, shadowing...

Is “flat” R_{AA} for π^0 's special to RHIC? Will be interesting @ LHC!

Central AA: at inter. p_t , *only* mesons suppressed

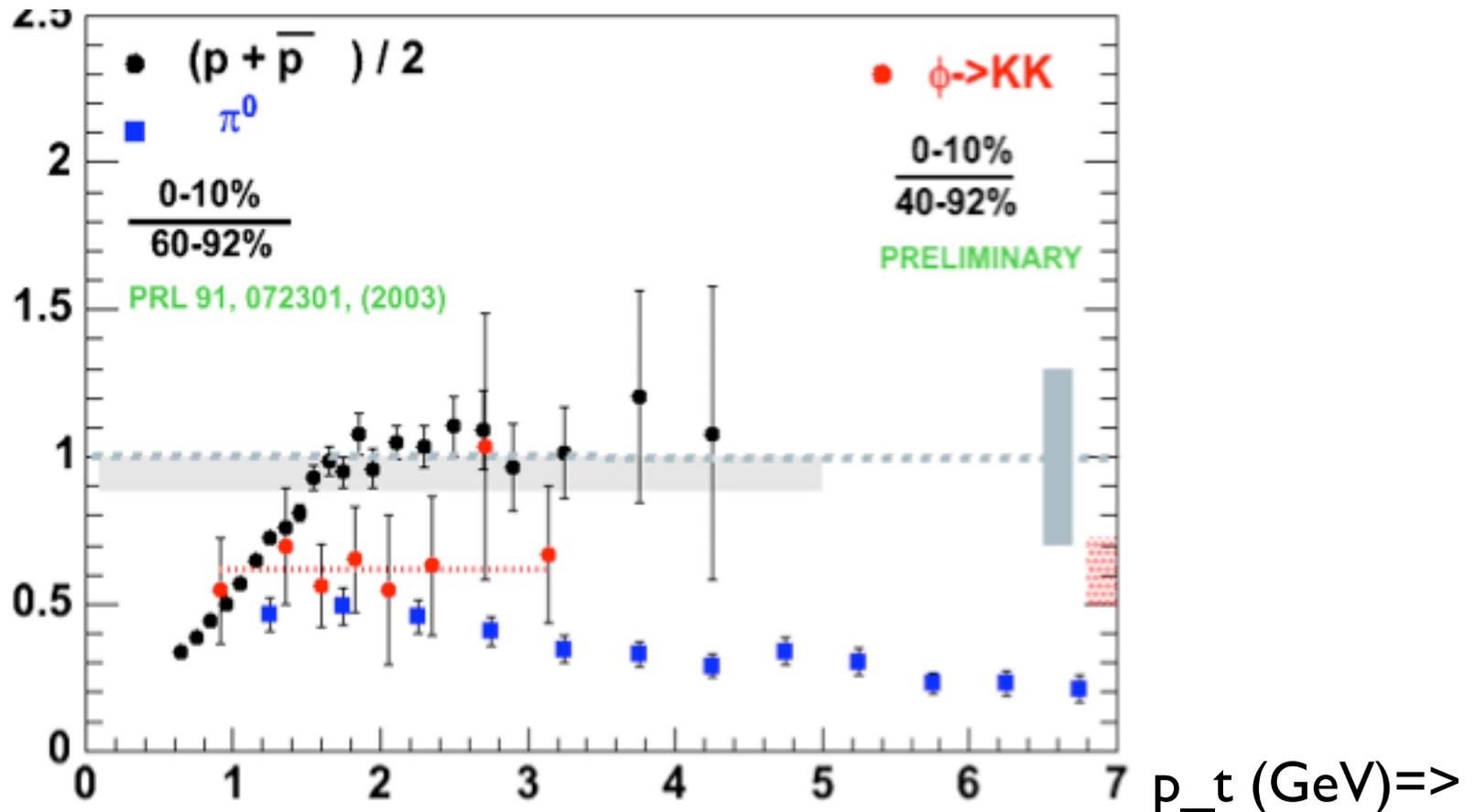
R_{CP} : ratio for # particles at given p_t , for **central to peripheral collisions**

Behaves like R_{AA} , easier to get data.

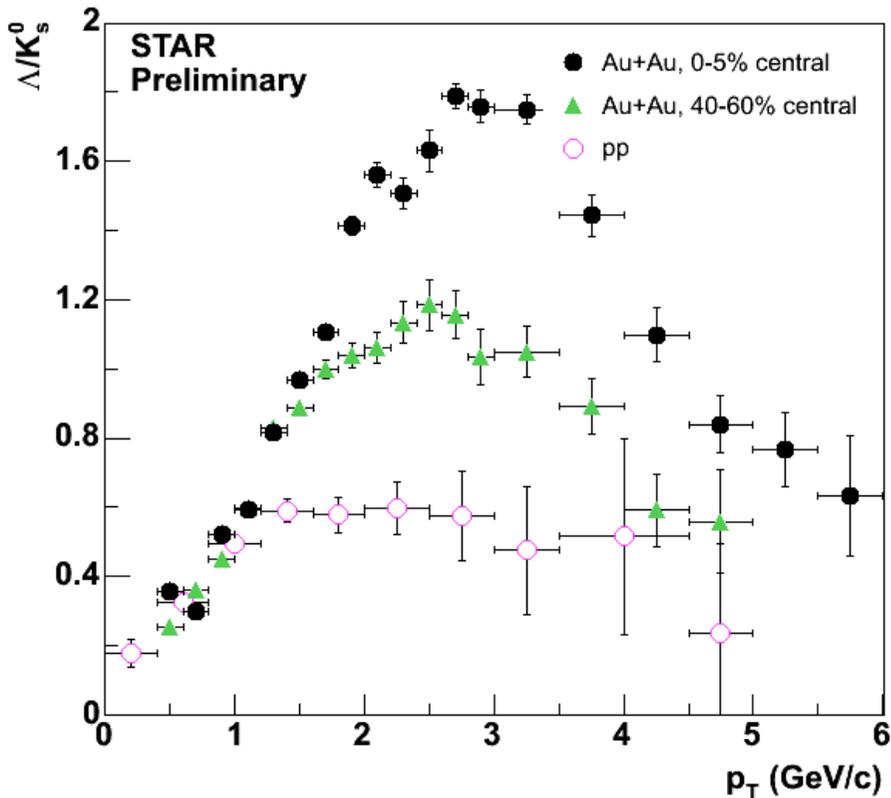
Find: *baryons* not suppressed for $p_t: 2 \Rightarrow 6$ GeV, *mesons* are.

Mesons suppressed \Rightarrow “stuff” is gluonic.

$R_{CP} \uparrow$



Baryon "Bump" at $p_T: 2 \Rightarrow 6$ GeV



Central AA: *baryon "bump" at $p_T: 2 \Rightarrow 6$ GeV*

Baryon/meson ratio enhanced by ~ 3 in central AA vs pp. First seen in ρ/π .

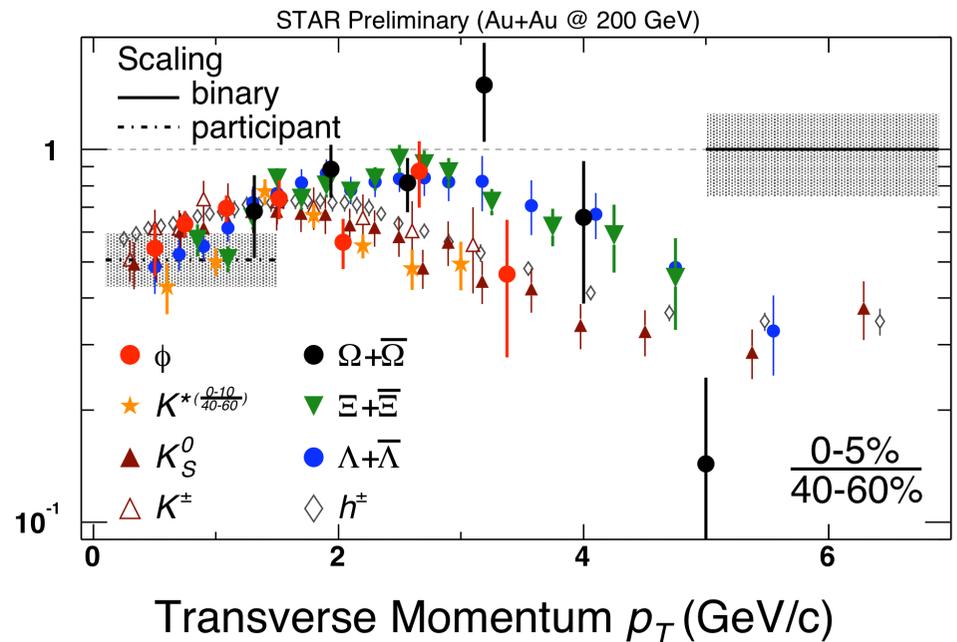
\leq Λ/K ratio: bump peaks at ~ 3 GeV.

Above $p_T = 6$ GeV, ratios like pp.

R_{CP} vs particle species \Rightarrow

All particles suppressed > 6 GeV, $R_{CP} \sim 0.2$

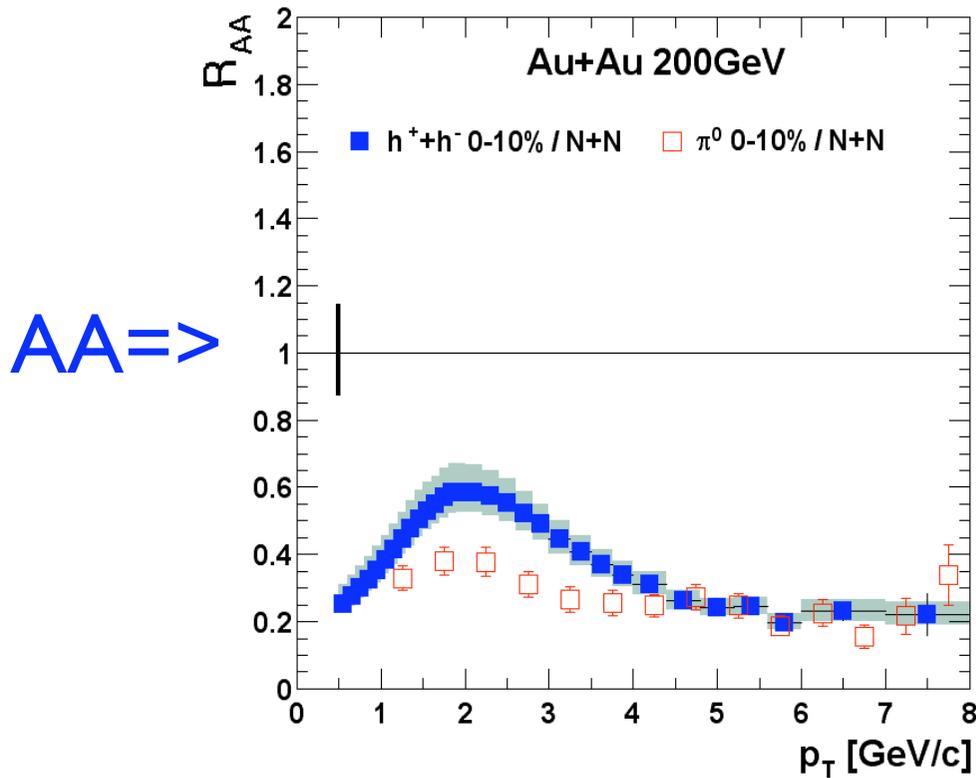
\Rightarrow Gluon "stuff" supp.'s mesons, generates baryon "bump"



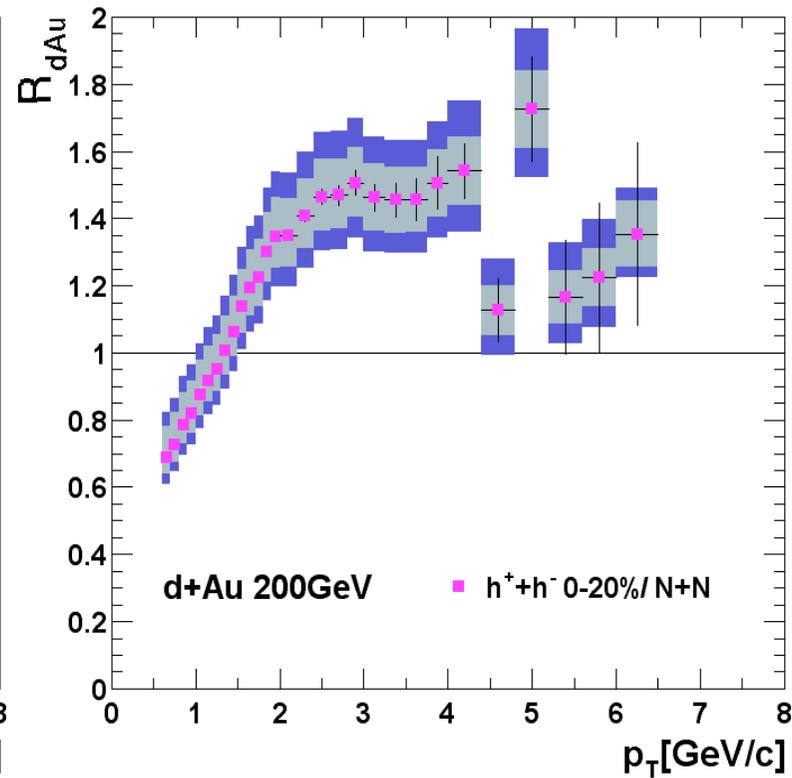
R_AA Final State Effect: NOT seen in R_dA

Look at R_dA, analogous ratio in dA collisions @ *central rapidity* ($y=0$):
find “Cronin” enhancement in dA, vs suppression in AA.

Color Glass (initial state effect) predicted suppression in dA, *not* seen.



Suppression in AA ↑
 $R_{AA} \sim 0.4$ @ 3 GeV



<=dA

Enhancement in dA ↑
 $R_{dA} \sim 1.4$ @ 3 GeV

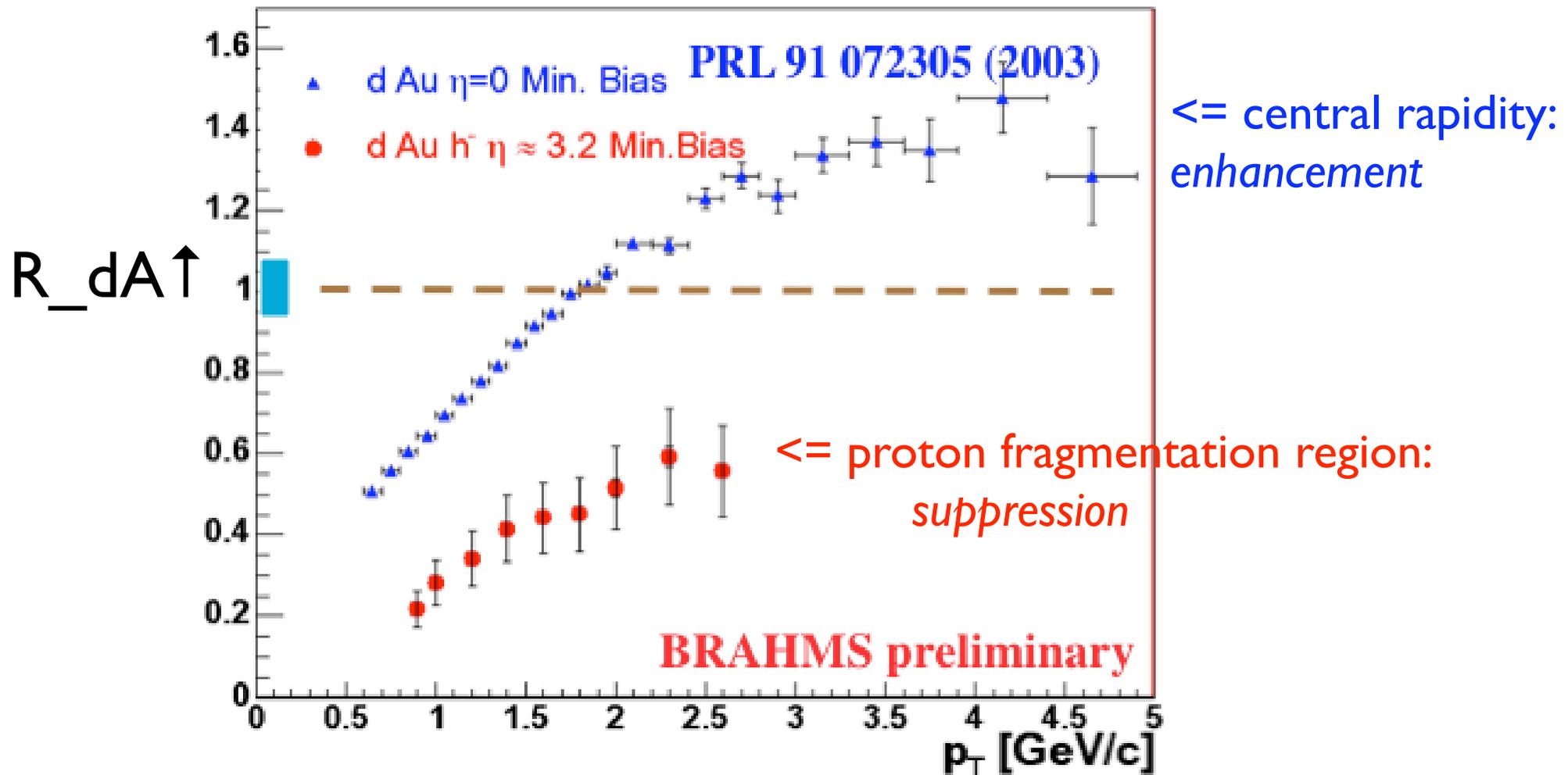
Where to find the Color Glass: dA, by the *proton*

dA: fragmentation region of nucleus tells one about *final* state effects.

frag. region of proton: in the proton rest frame, feels the large color charge of the incident nucleus => *sensitive to initial state effects*:

= *the place to find the Color Glass* (Dumitru, Gelis, Jalilian-Marian)

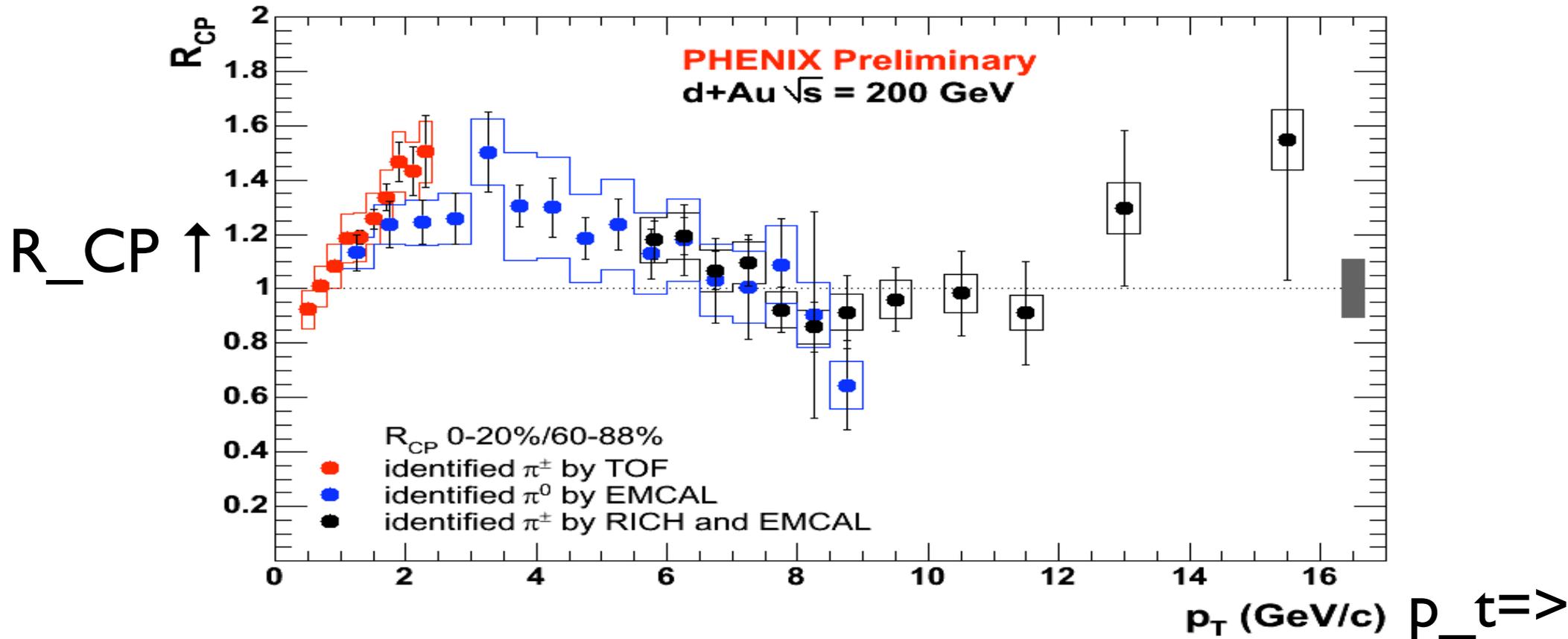
BRAHMS: in dA, *enhancement @ $y=0$, suppression @ proton frag. region.*



dA: No “Cronin” Enhancement at High p_t

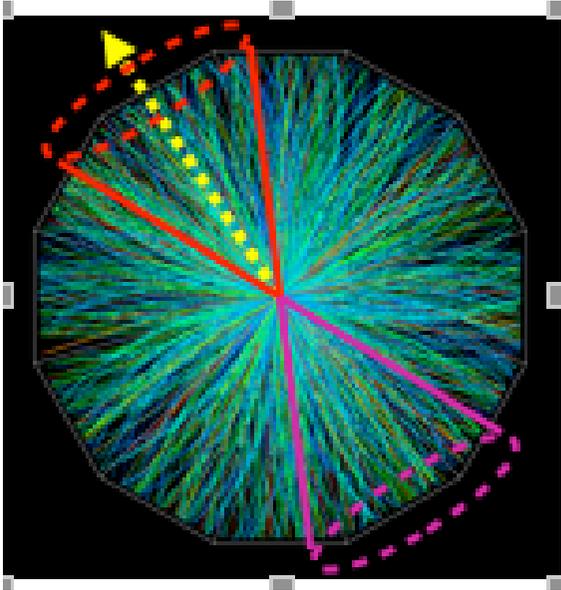
At high p_t , all R's (R_{AA} & R_{CP}) should go to one.

In dA, seen in R_{CP} for $p_t \sim 8$ GeV.



At what p_t does $R_{AA} \Rightarrow 1$? > 10 GeV!

The “Tail” of the Unicorn: Central AA “Eats” Jets



In pp collisions at $\sqrt{s} = 130, 200$ GeV, clearly see “jets”: high energy quarks (& gluons) in each event.

\leq “jet” in AA: cannot see on an event by event basis.

In AA, construct statistical measure: trigger on *hard* particle in one direction, look for *associated* particle in the backward direction

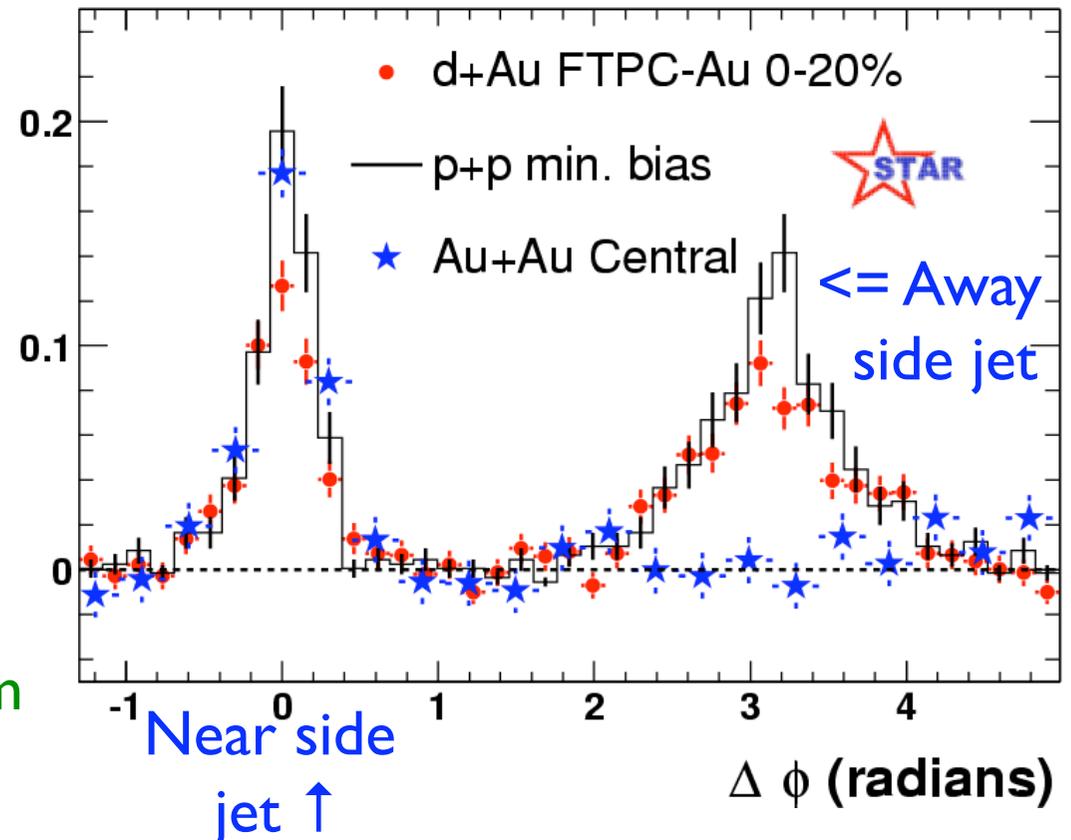
forward: $6 > p_t > 4$ GeV Adams *et al.*, Phys. Rev. Let. 91 (2003)

back: $p_t > 2$

In pp & dA, *clearly* see “backward” peak in angular correlation \Rightarrow associated jet.

In central AA, backward peak is *gone*: “stuff” in AA “eats” jets.

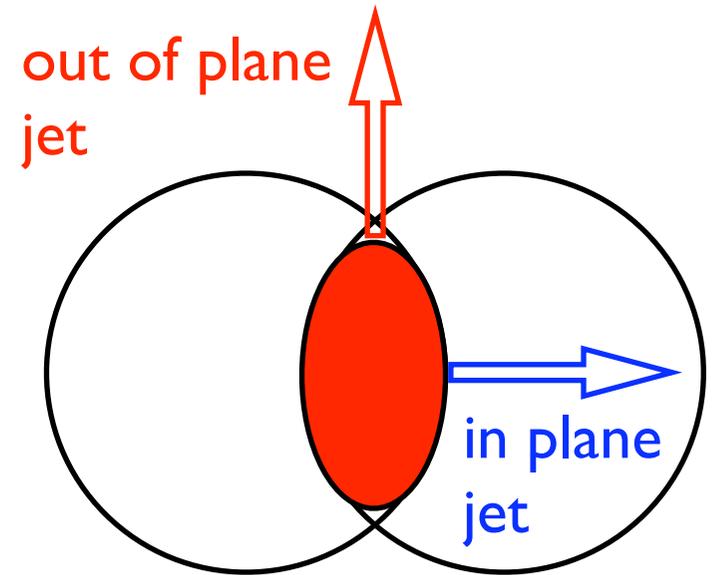
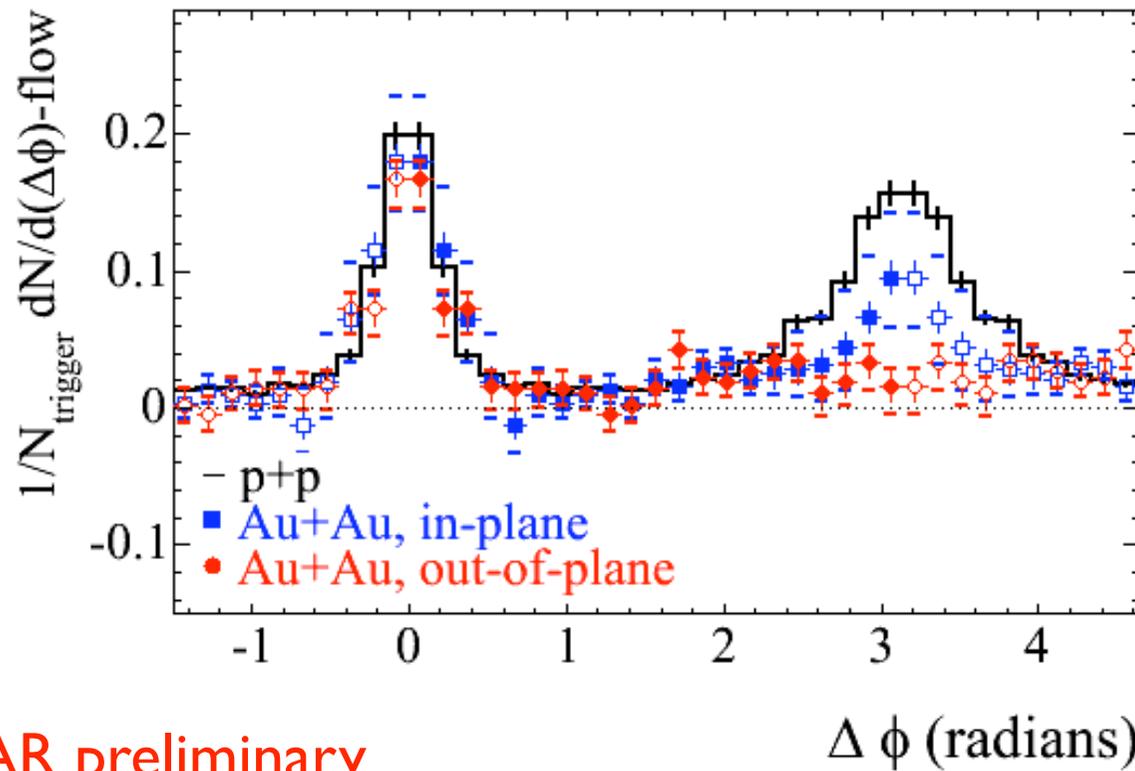
Central AA *really* “eats” the jet: essentially *nothing* at *hard* momentum in the backward direction.



Peripheral Coll's: Geometrical Test that AA Eats Jets

In peripheral collisions, “stuff” forms an “almond”; a jet has to travel farther through the almond, **out** of the reaction plane, than **in** the reaction plane.

=> Geometrical test that AA “eats” jets: backward jet more strongly suppressed out of plane than in plane!



peripheral collision ↑
almond = “stuff”

STAR preliminary

Suppression larger out-of-plane

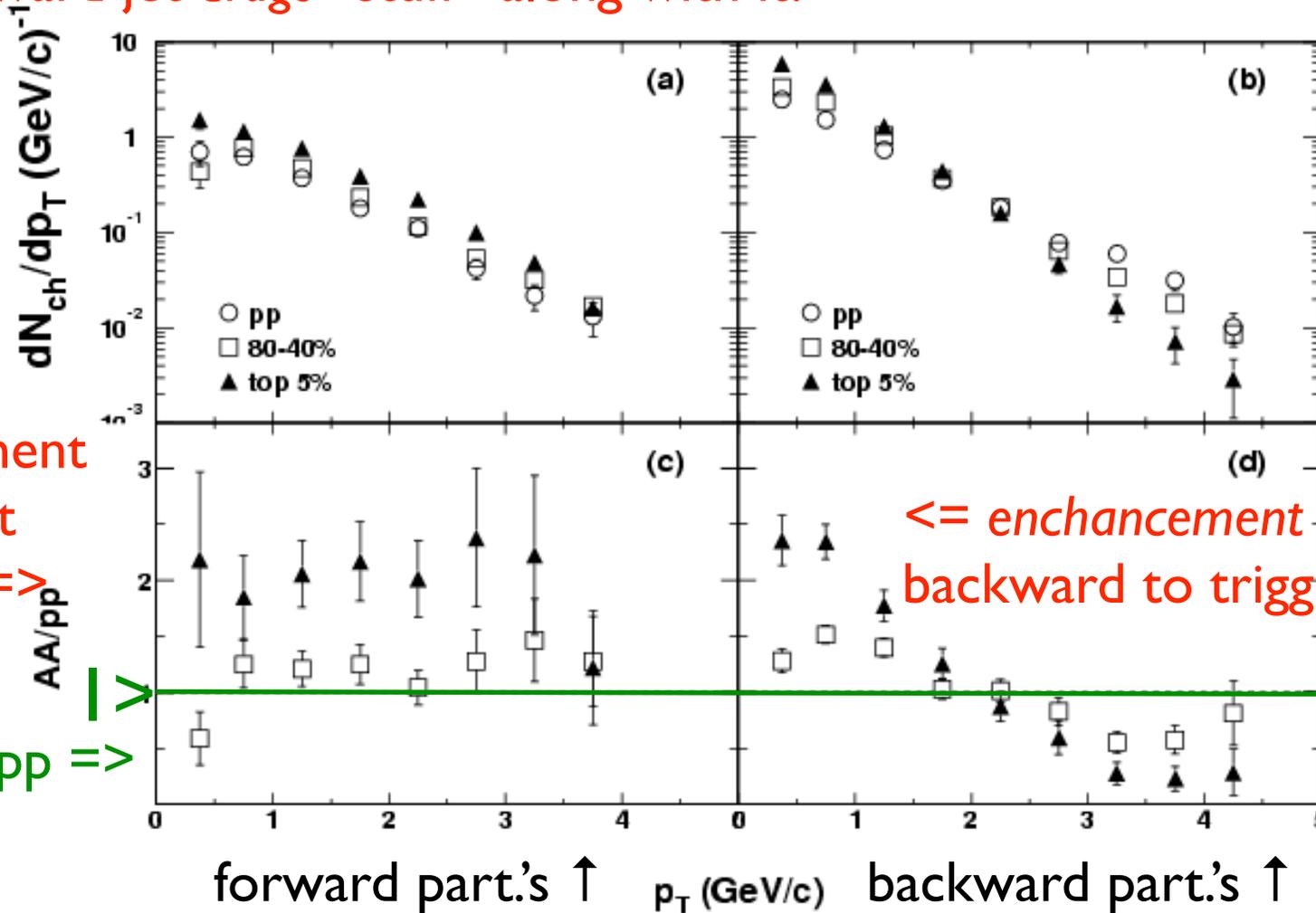
Where does the Backward Jet go in AA?

As before, trigger on forward jet, $6 > p_{t, \text{trig}} > 4$ GeV. But look at *all* particles, $p_{t, \text{ch}} > .15$ GeV, in both forward and backward directions.

In direction opposite to jet, *suppressed* at high $p_{t, \text{ch}}$ (yes), & *enhanced* at low $p_{t, \text{ch}}$.
 In direction *along* jet, *more* particles at low $p_{t, \text{ch}}$ in central AA than pp.

=> “stuff” in central AA shifts backward jet to *low* momentum,
 forward jet *drags* “stuff” along with it!

raw =>
 spectra



STAR
 prelim.

enhancement
 at low $p_{t, \text{ch}}$
 along jet =>

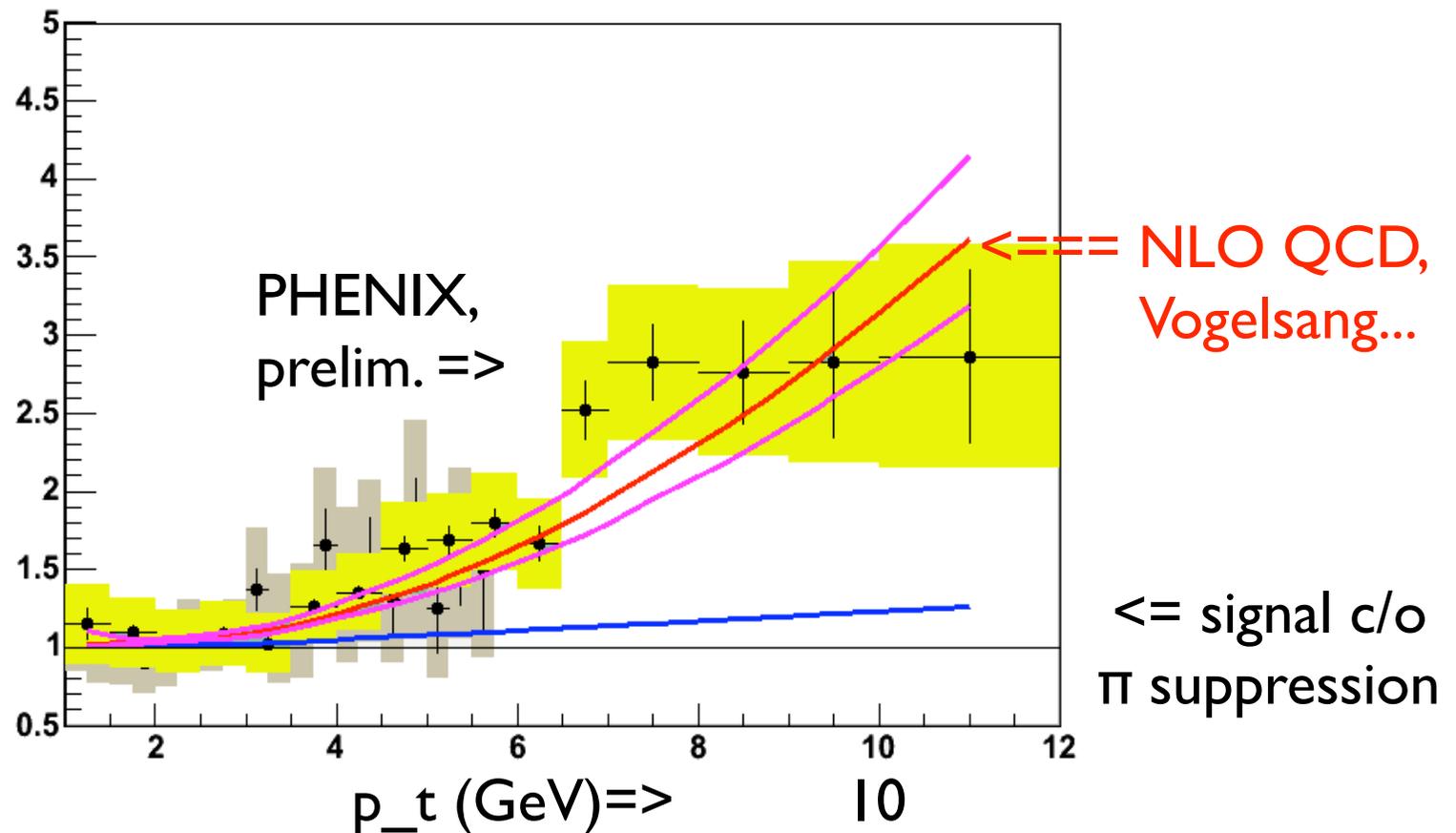
ratio, AA/pp =>

<= enhancement at low $p_{t, \text{ch}}$
 backward to trigger jet

AA=pp
 <= suppression
 at high $p_{t, \text{ch}}$
 backward

Direct Photons Measured

Direct photons: easily escape, so probe initial state. *Without* pion suppression, very hard to measure (true at SPS). *With* observed suppression of π^0 's, measurable. Reasonable agreement at $p_t \sim 10$ GeV with Next to Leading Order QCD calculation, = pp times # binary collisions.



The “Body” of the Unicorn: Soft Momenta, $p_t < 2 \text{ GeV}$

Most particles are at soft momentum.

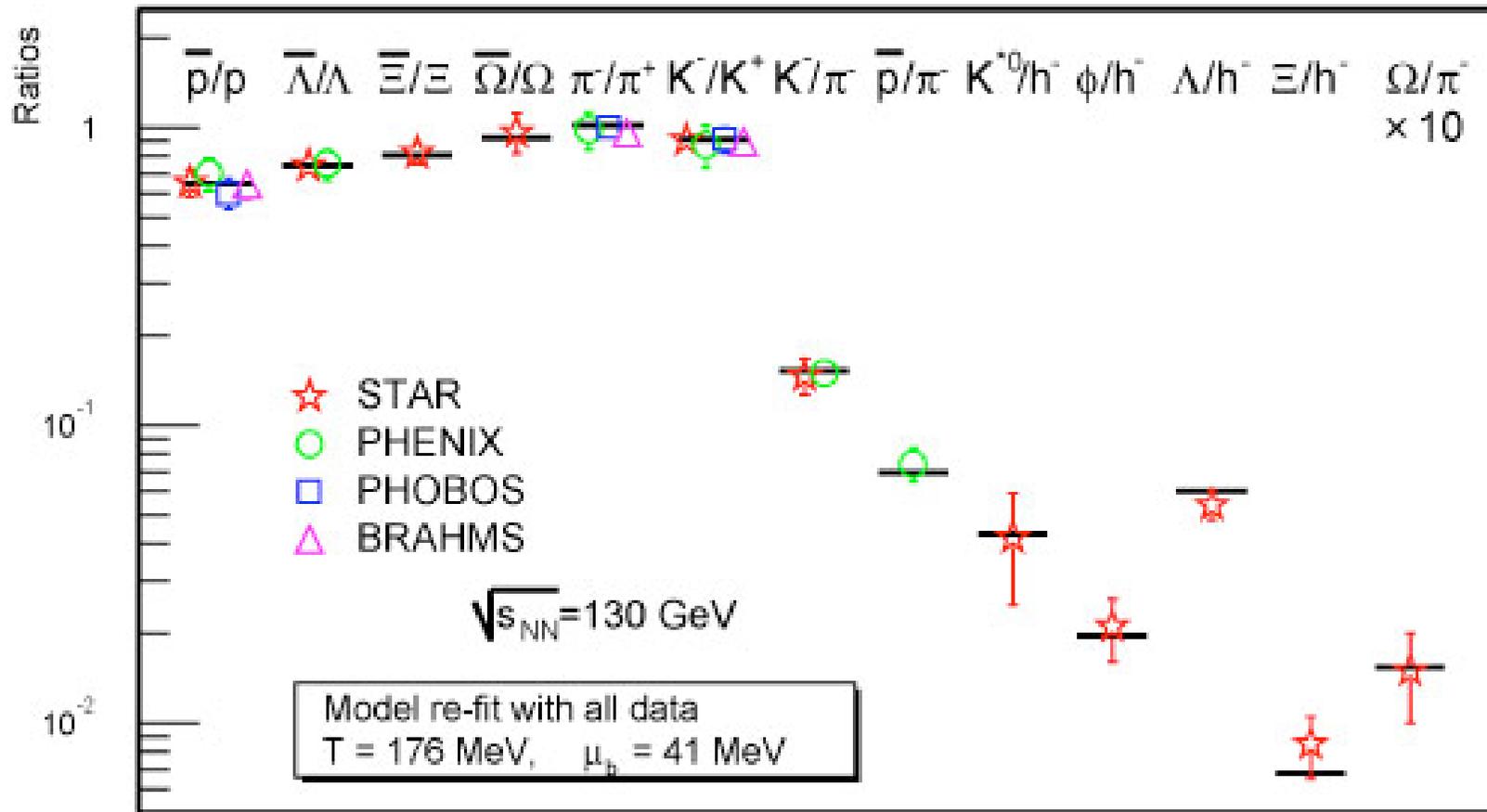
With $T_c \sim 200 \text{ MeV}$, expect thermal particle distributions to $p_t \sim 2 \text{ GeV}$.

Thousands of particles, should be able to use hydrodynamics...



Total Chemical Ratios *Appear* in Thermal Equilibrium

$$T_{ch} = 175 \text{ MeV}$$



Braun-Munzinger et al., PLB 518 (2001) 41 D. Magestro (updated July 22, 2002)

OVERALL chemical abundances *well* fit with $T_{ch} = 175 \text{ MeV}$, $\mu_{\text{baryon}} \sim 0$
 (Becattini, Braun-Munzinger, Letessier, Rafelski, Redlich, Stachel, Tounsi...)

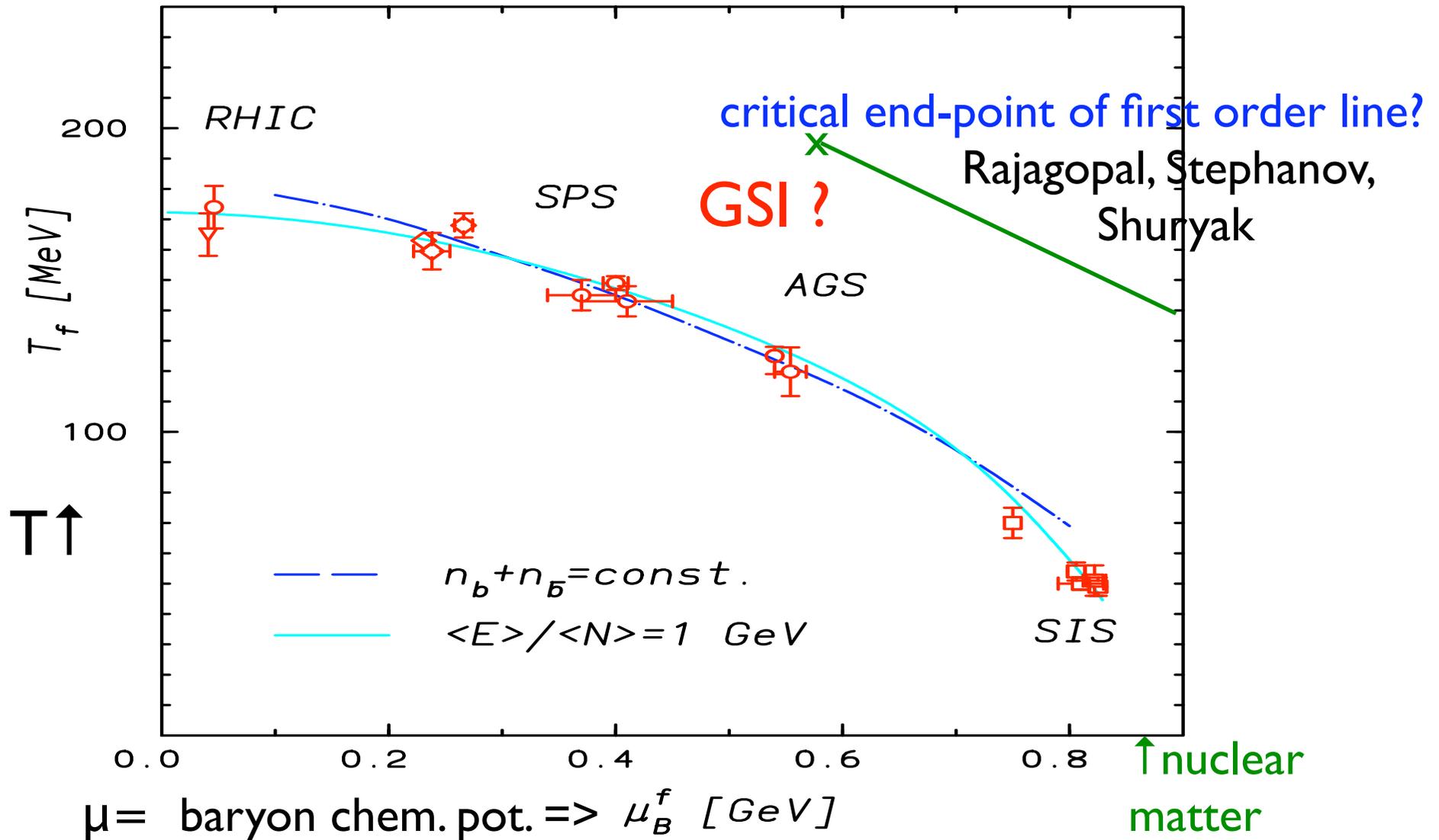
N.B.: even for multi-strange baryons, with relative abundances $\sim 1\%$ of pions.

Chemical Ratios vs Energy in AA: T- μ plane

Similar fits for chemical abundances also work at lower energies. Baryons still present at $y=0$, so need to add **baryon chemical potential, μ** .

Find *line* in T- μ plane. **Similar fits work for pA, pp - everywhere!**

(With corr.'s for finite vol., canonical ensemble...) **=> NOT conclusive.**



p_t Spectra Appear In Thermal Equi. \sim Hydrodynamics

$T_{kin} \approx 100 MeV (\ll T_{ch}!)$ Local Boost Velocity $\beta \sim .7c$

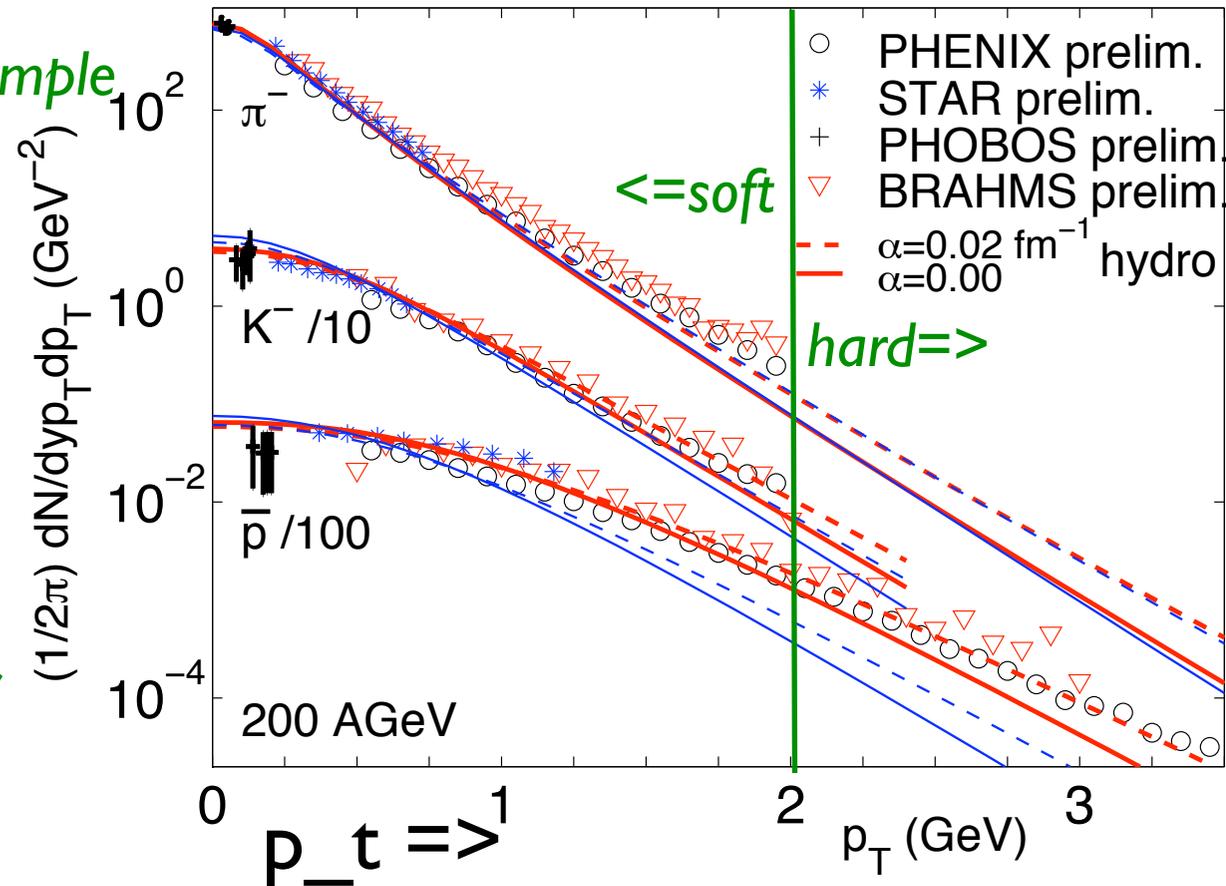
Hydro. gives good description for most particles, at low $p_t < 1 GeV$.

Assumes initial conditions: starts above T_c in thermal equilibrium, *simple* Equation of State (1st order!)
Ideal hydro.: NO viscosity...

Large local boost velocity $\beta \sim .7 c$.
Spectra of heavy particles “turn over” at low p_t . $\beta = \beta(\text{radius})$.

RHIC: first clear evidence for boost velocity: big!

Direct fits similar: “Blast-wave”

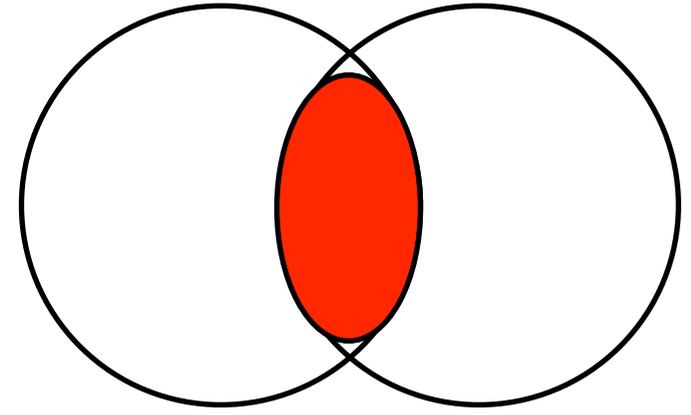


Hydro needs to assume applicable from very early times, $.6 \text{ fm}/c!$

Heinz, Hirano, Kolb, Rapp, Shuryak, Teaney... (above Heinz & Kolb)

Success of Hydro.: $v_2 =$ Elliptical Flow

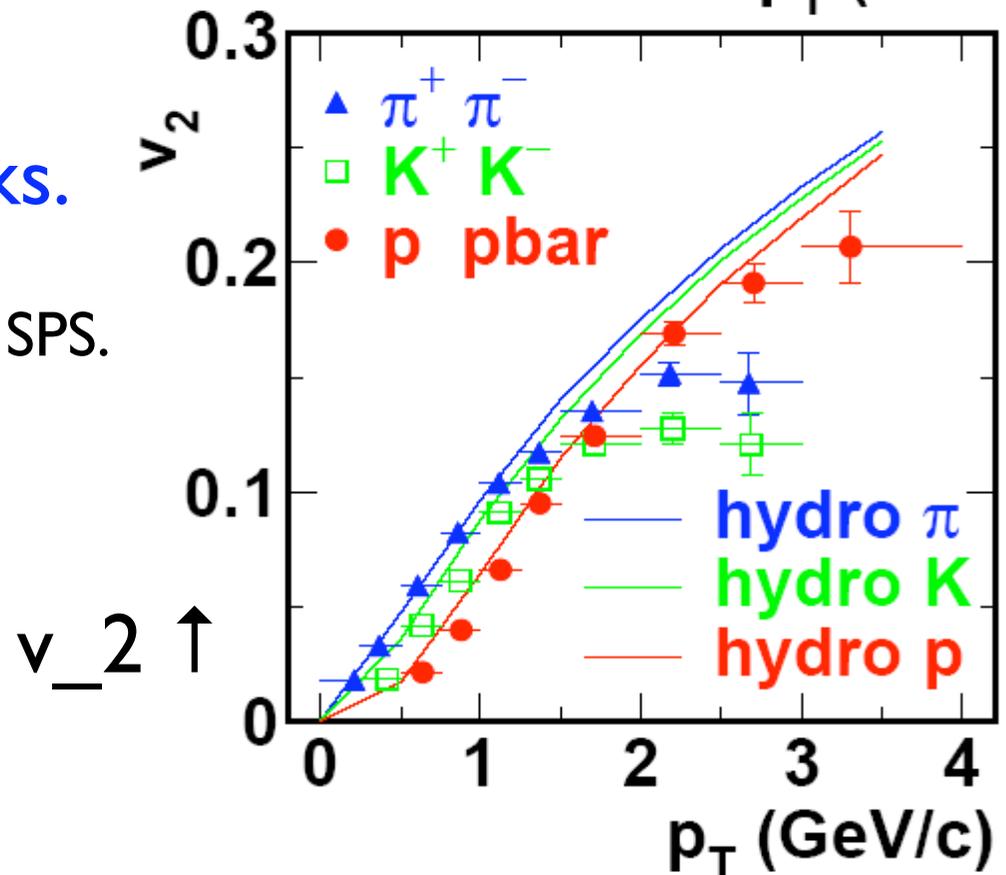
Peripheral Coll.'s: Start with system which is anisotropic in momentum space. Exp.'y, compute how *spatial* anisotropy \Rightarrow *momentum* anisotropy. (Ollitrault, Borghini)



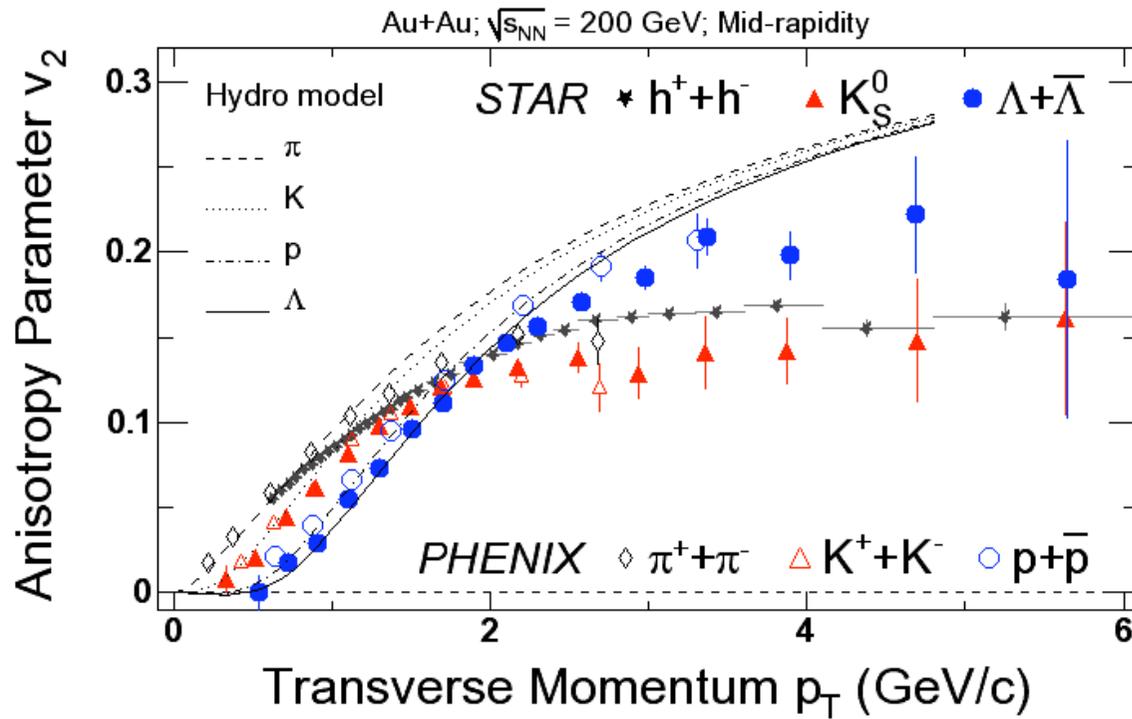
$$v_2 = \langle \cos(2\phi) \rangle, \quad \tan \phi = p_y/p_x$$

$v_2 \Rightarrow$ collective behavior:
there is “stuff”, and it sticks.

Hydro works for v_2 @ RHIC, not SPS.



At Low $p_t < 1$ GeV, Hydro. works for All Particles

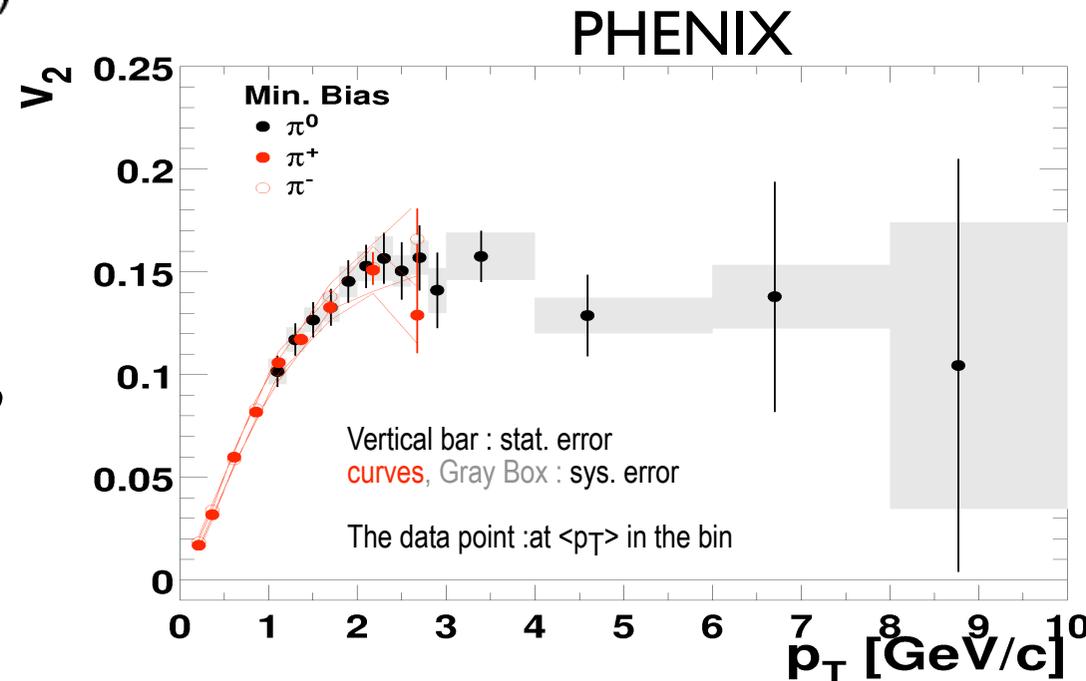


\Leftarrow Hydro works for v_2 to $p_t \sim 1$ GeV for π 's, K's, p's, Λ 's.... everything.

For all particles, v_2 flat for $p_t > 1$ GeV \Rightarrow 10 GeV - !!

Is v_2 at $p_t > 1$ GeV measuring collective flow, or jet-jet correlations?
Apparently: true collective flow.

So why flat?



HBT Radii: Hydro *Fails*. “Blast Wave” Works

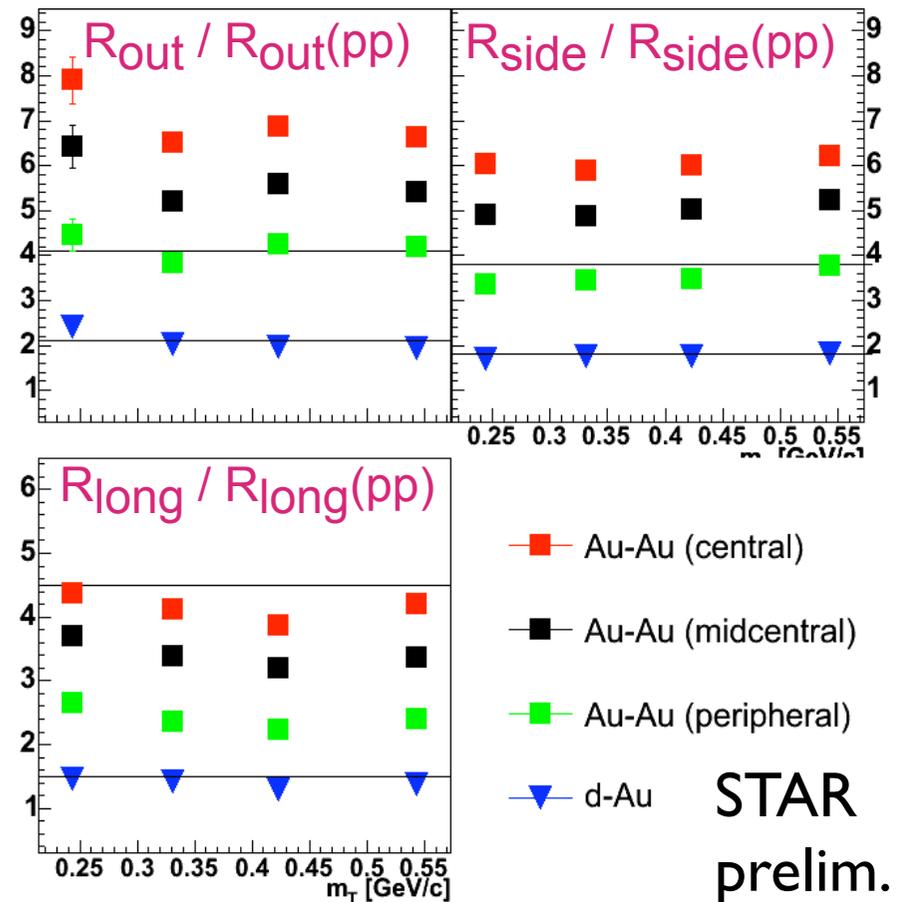
Hanbury-Brown-Twiss (HBT) radii: two-particle correlations for identical particles, used to determine size (as for stars). Typically: fall off like Gaussian.

Here: *three* directions for momentum of pion pair (Bertsch & Pratt).
HBT then gives three sizes: along beam ($R_{\text{longitudinal}}$), along line of sight (R_{out}), & perpendicular to light of sight (R_{side}).

Hydro: $R_{\text{out}}/R_{\text{side}} > 1$, increases with p_{t} .
Exp.: $R_{\text{out}}/R_{\text{side}} \sim 1$, decreases with p_{t} !

“Blast Wave” works: expanding shell.
Is a *fit*, not underlying space-time picture.

HBT radii \sim same in pp, dA, and AA!
Even p_{t} dependence same!



Has RHIC found (tamed) the “Unicorn” = QGP?

New final state effects:

R_AA

Suppression of backward jets

Also: new initial state effects,

Color Glass in forward dA

Exp.'y: for the unicorn of central AA,
the high p_t “tail” wags the
low p_t “body”

HBT? Space-time evolution of the body?

Precise measure of thermal equilibration?

p_t fluctuations at low p_t

Perhaps: it is a different beast....

But its still a *NEW* beast!





"A possible eureka."